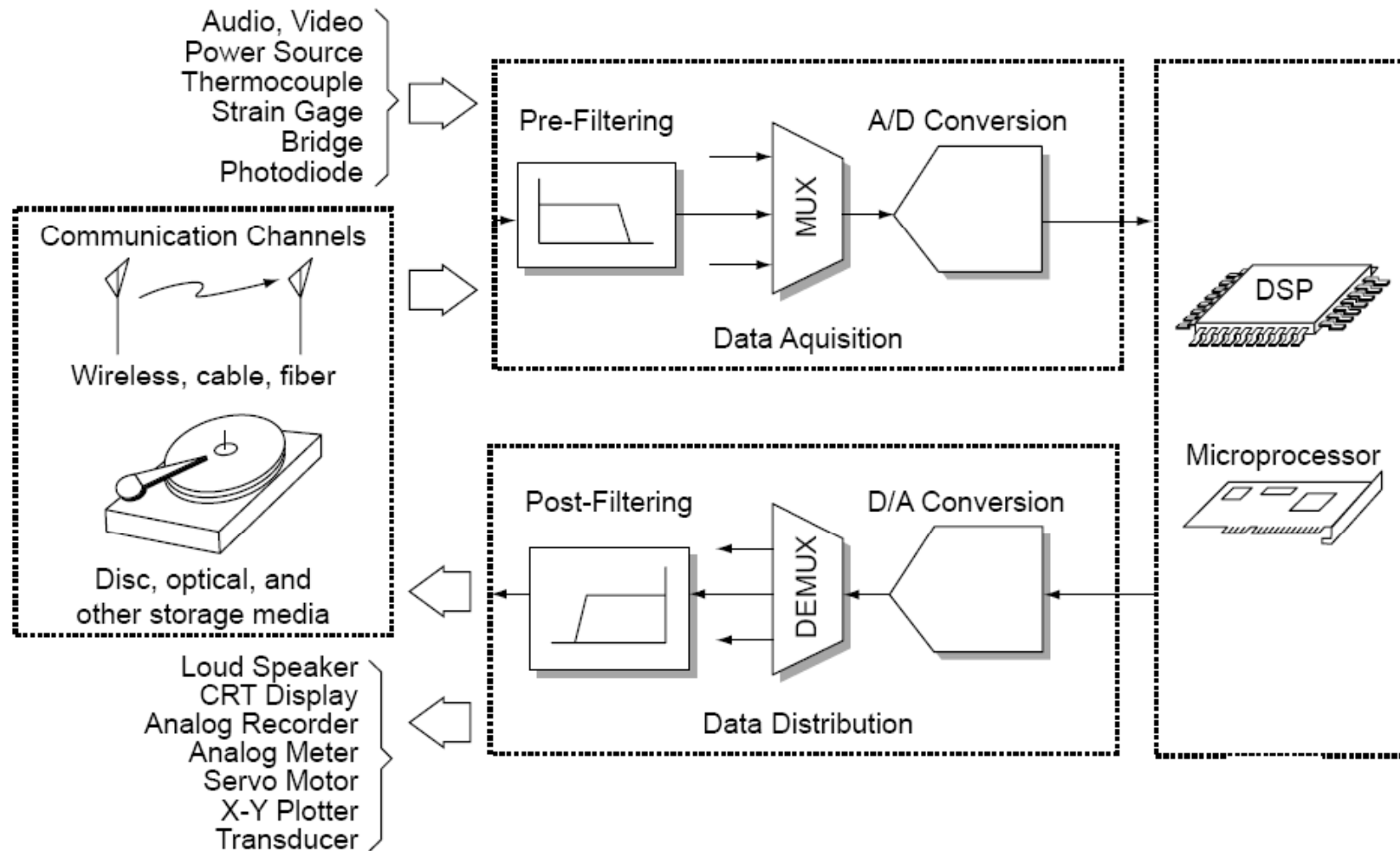
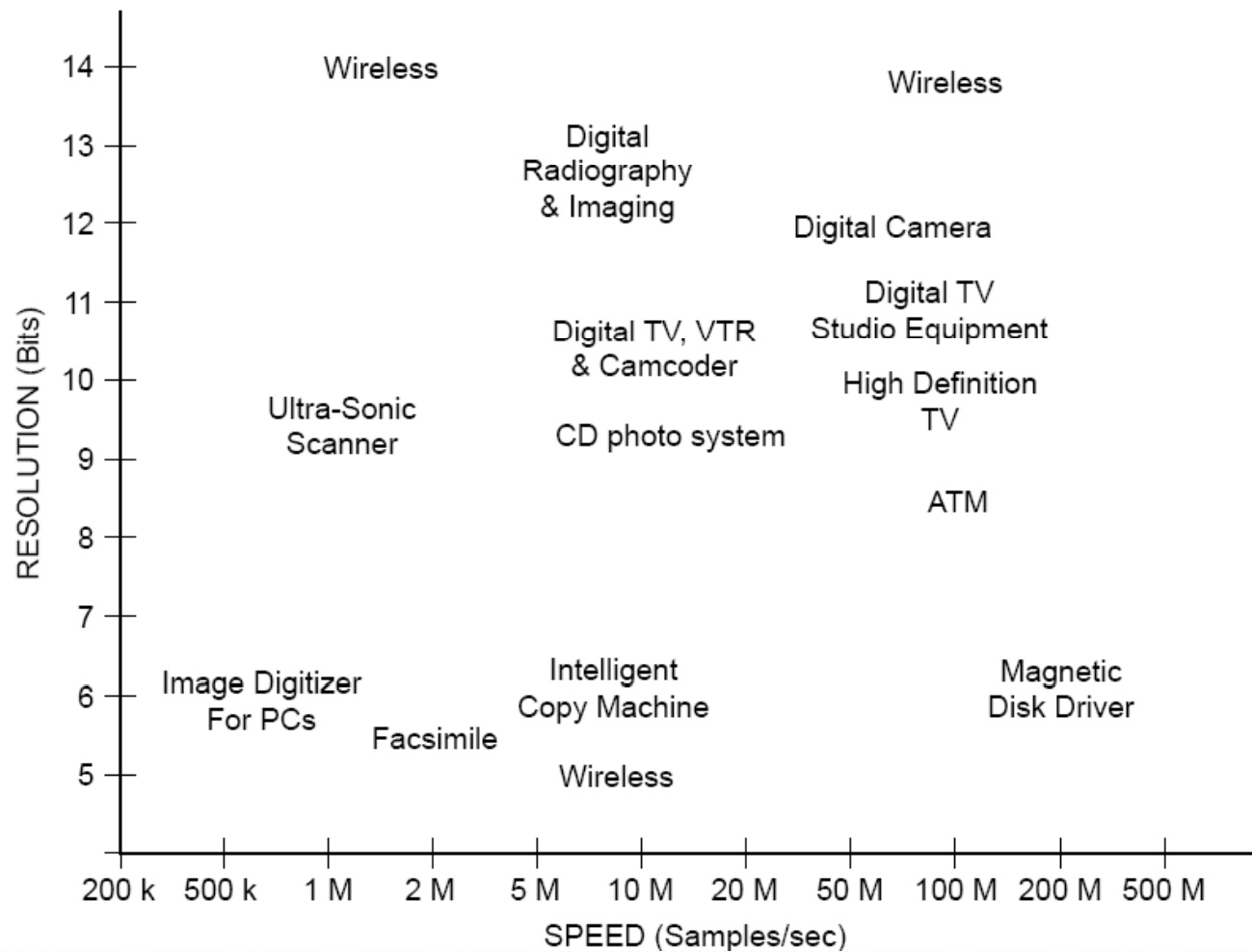
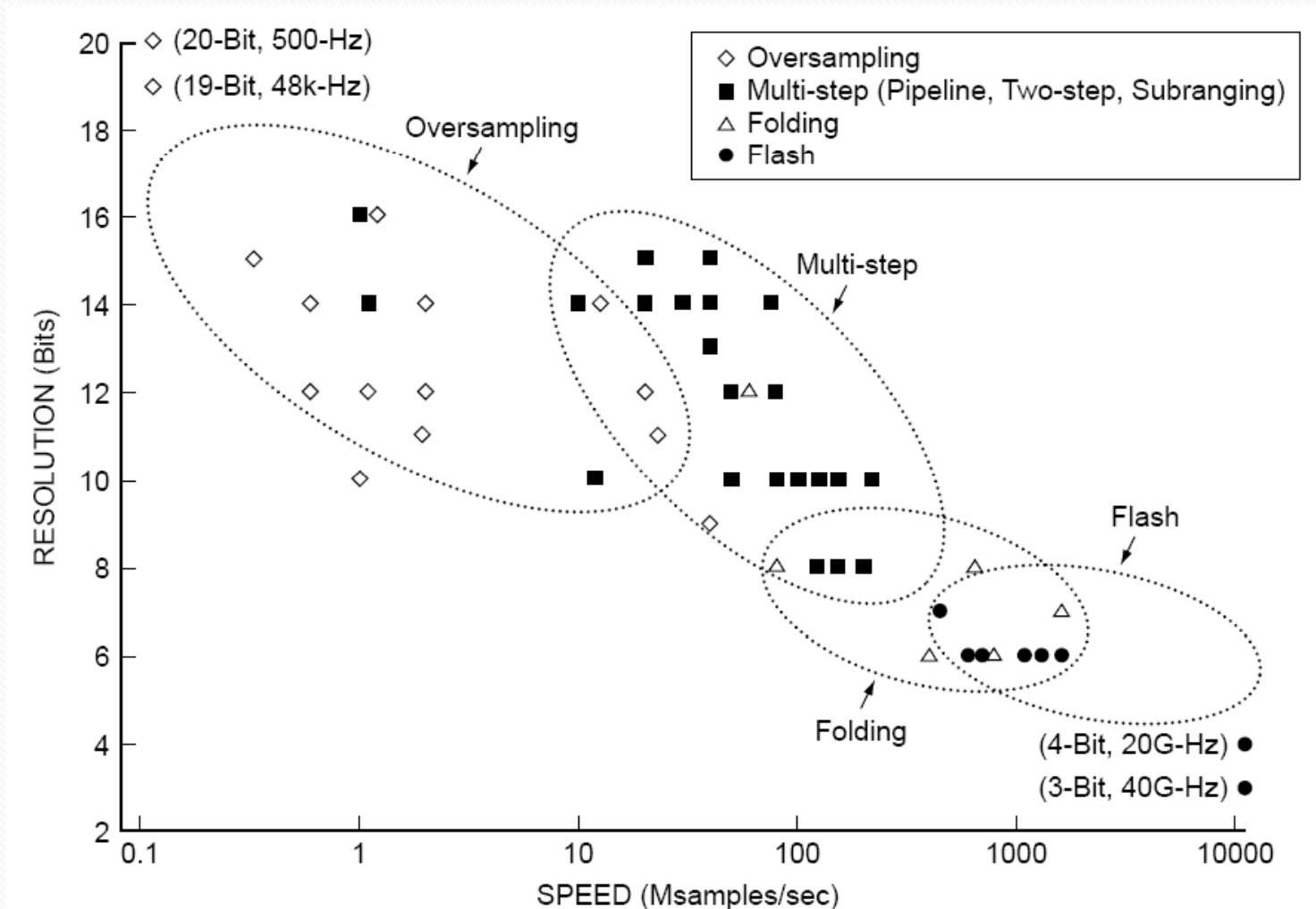


A/D and D/A Converters



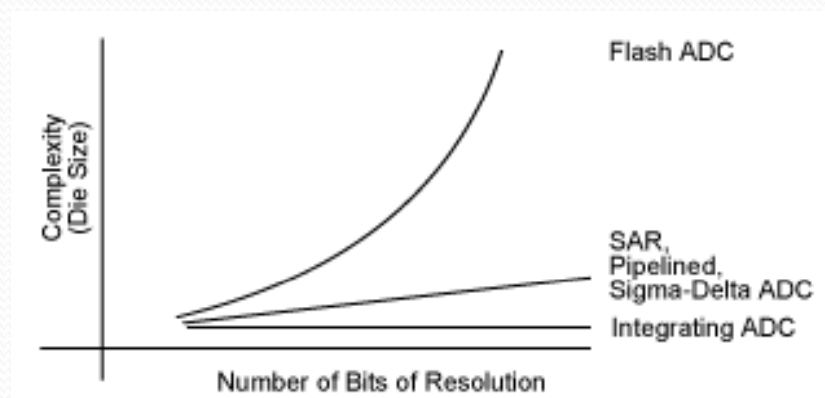
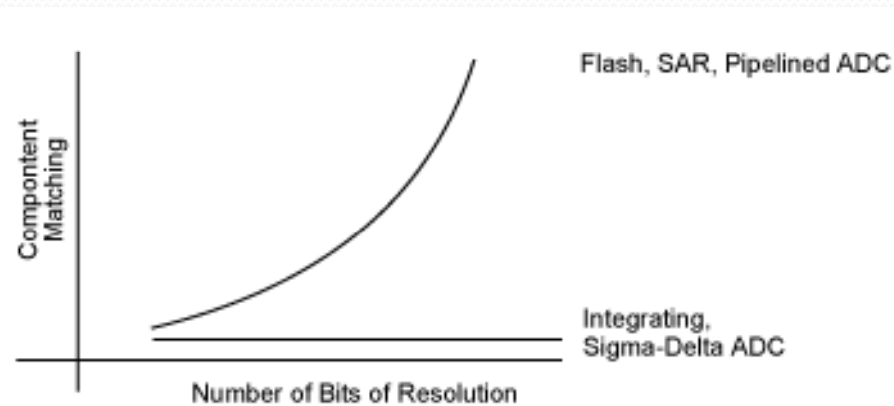
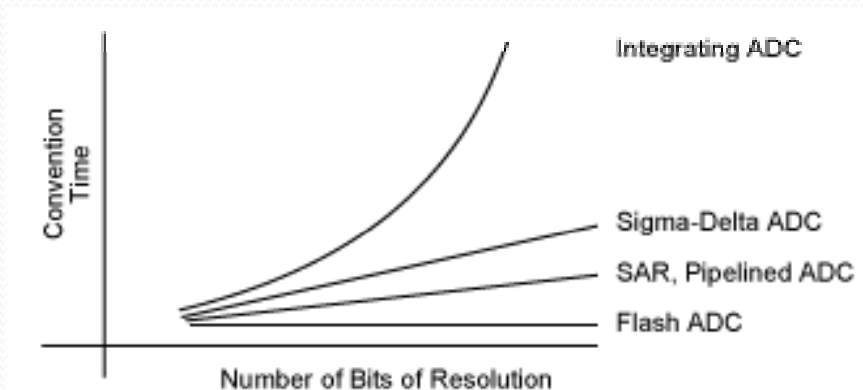


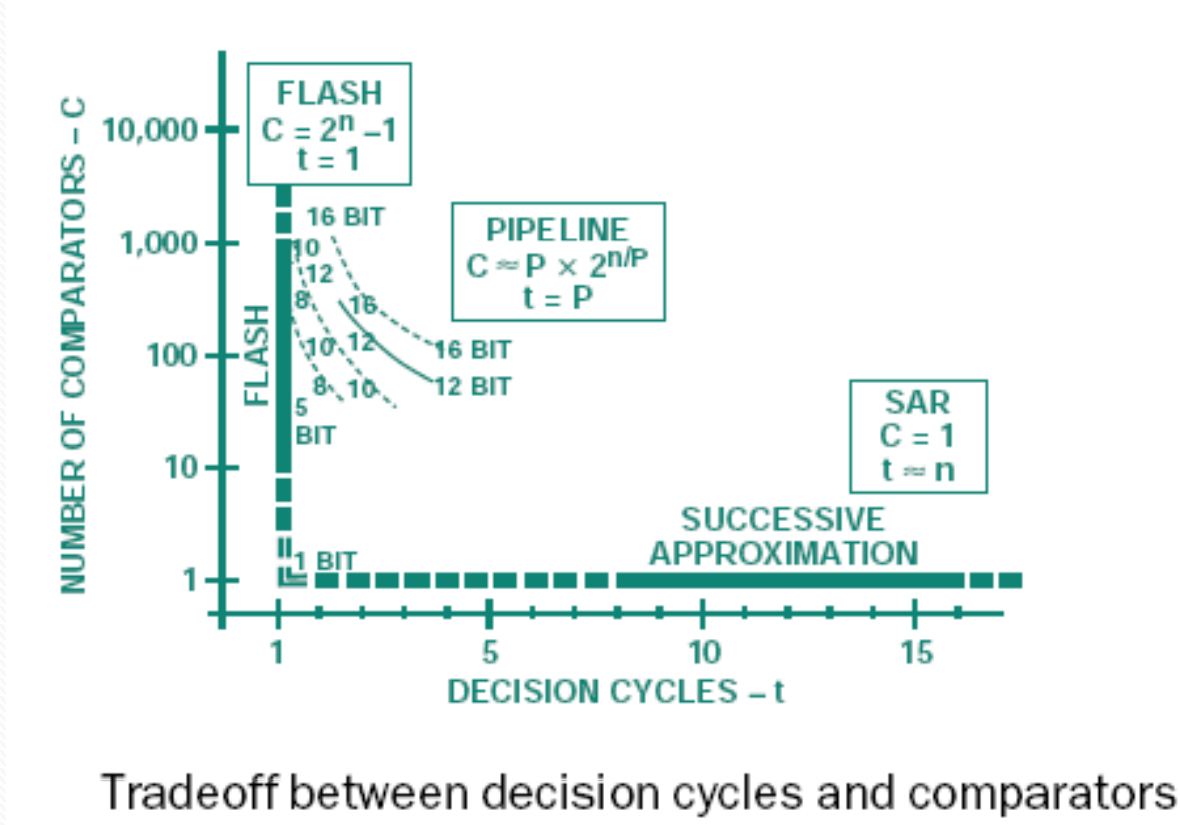
High-speed ADC applications



Performance of recently published ADCs: resolution versus speed.

ADC architectures trade-off

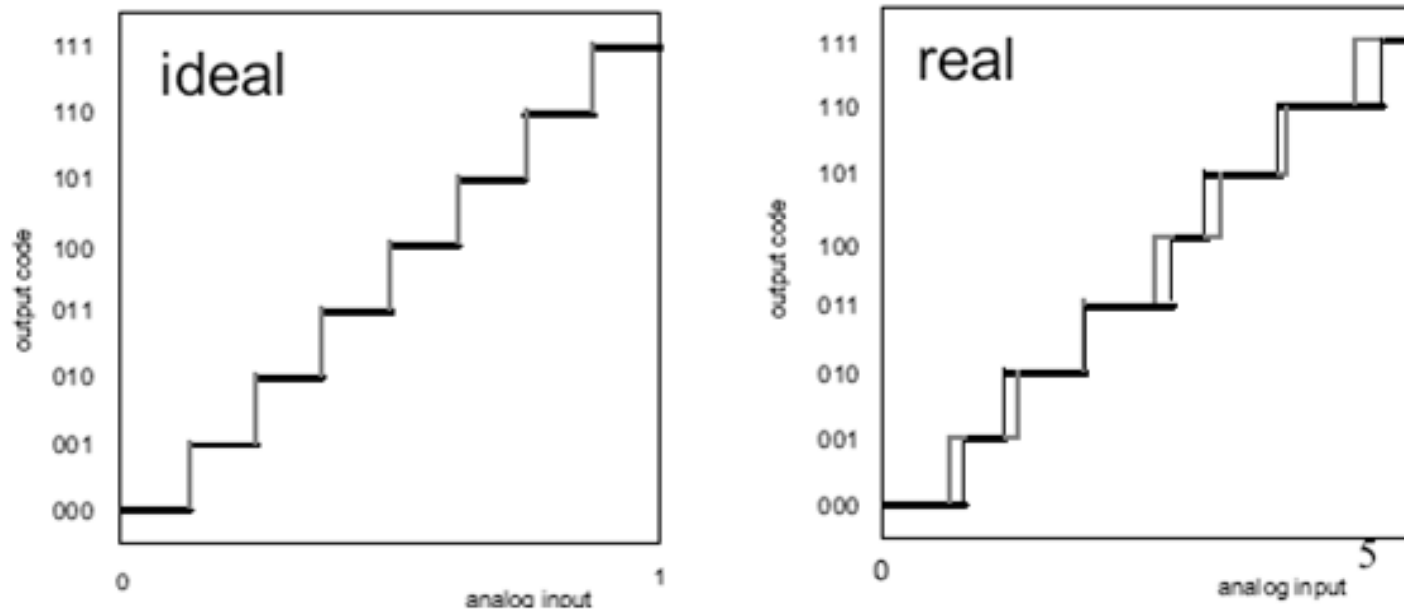




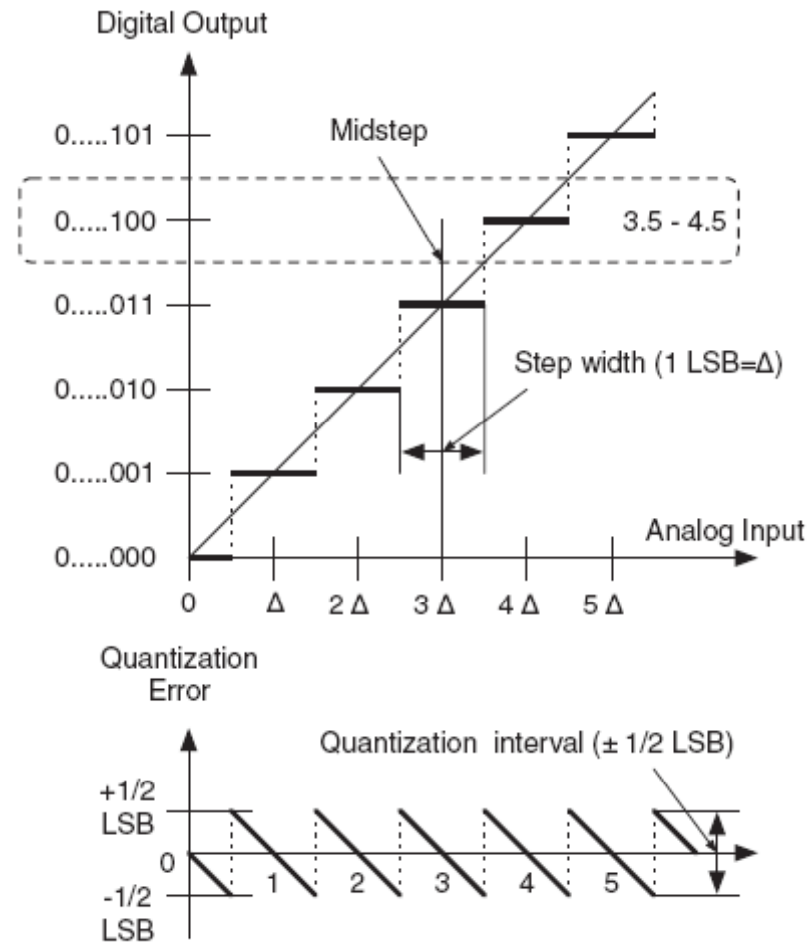
Tradeoff between decision cycles and comparators

Static transfer characteristic

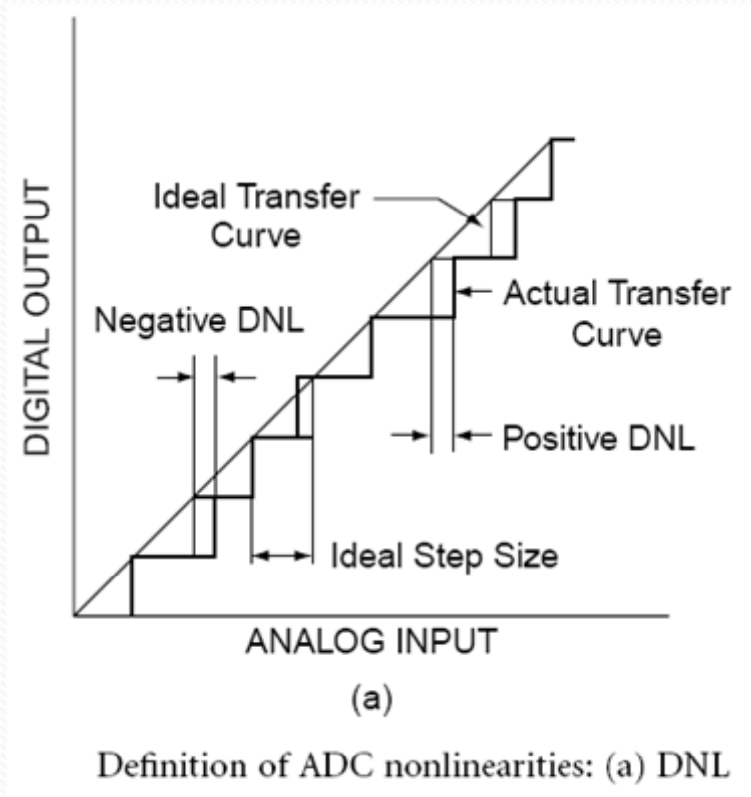
A to D converters



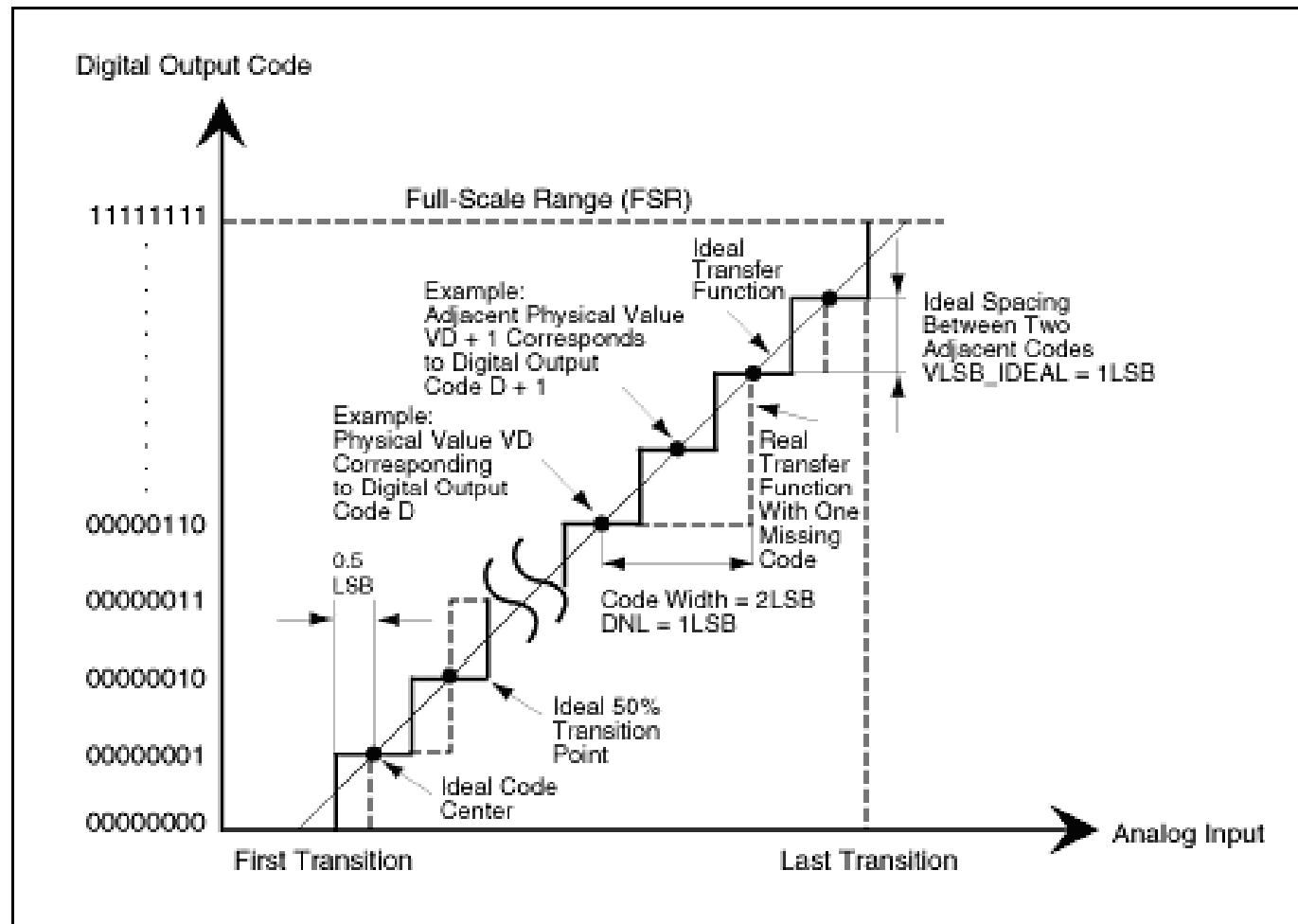
A/D Converter (Nyquist Rate)



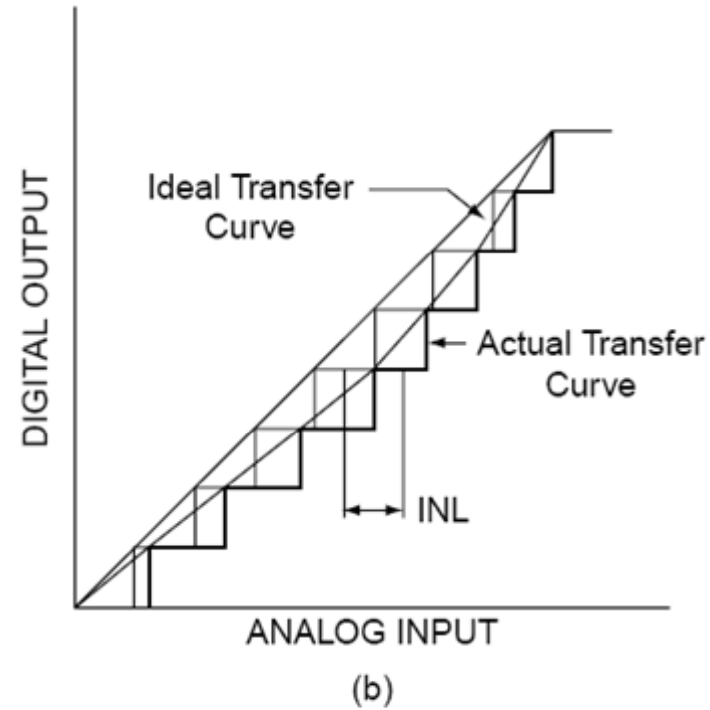
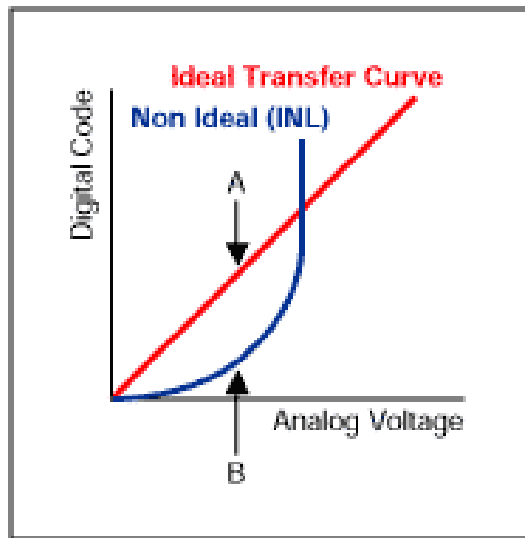
A/D Nonlinearities



- DNL error is defined as the difference between an actual step width and the ideal value of 1LSB



- to guarantee no missing codes + monotonic transfer function, DNL should be less than 1LSB (+/- 0.5LSB)

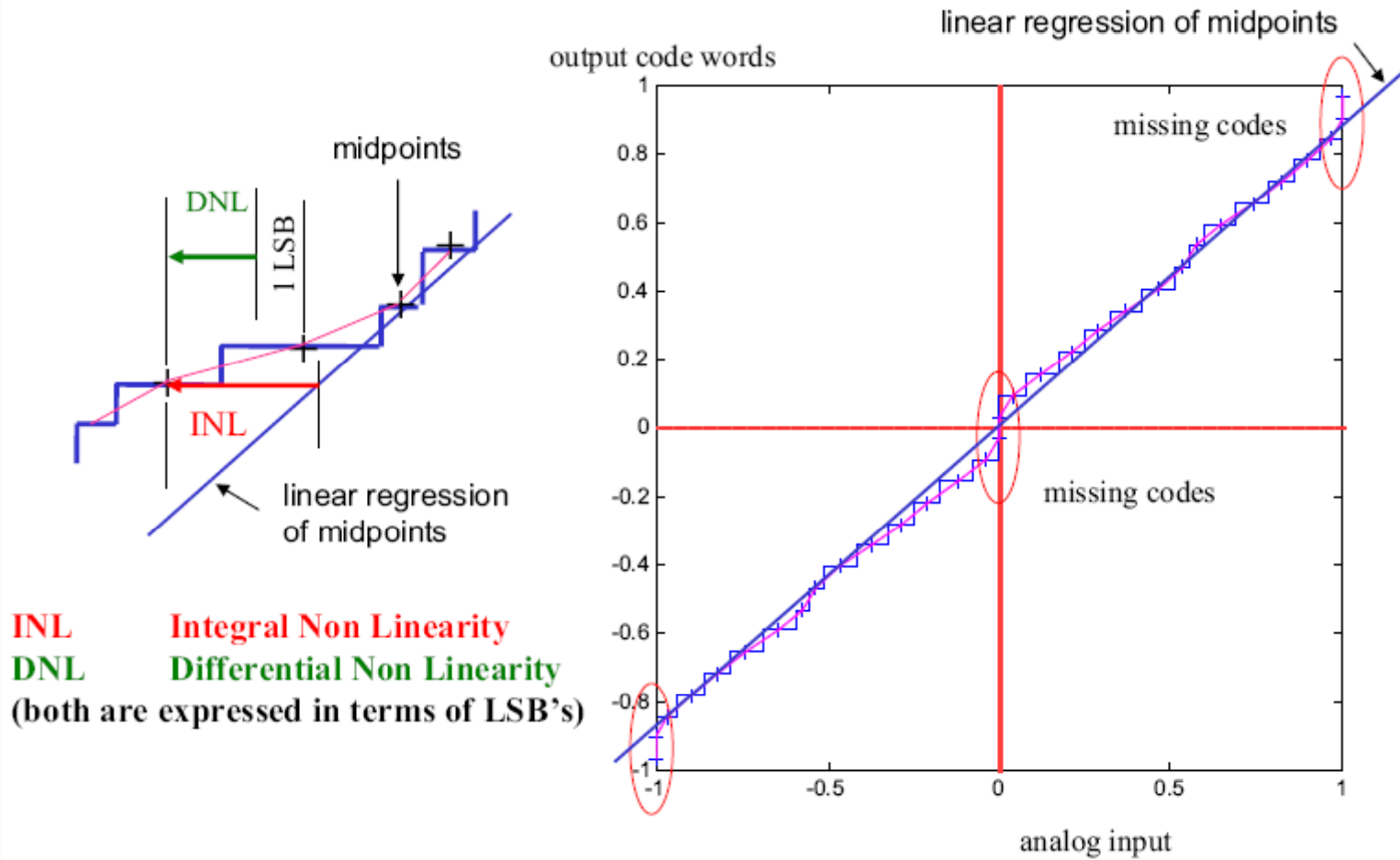


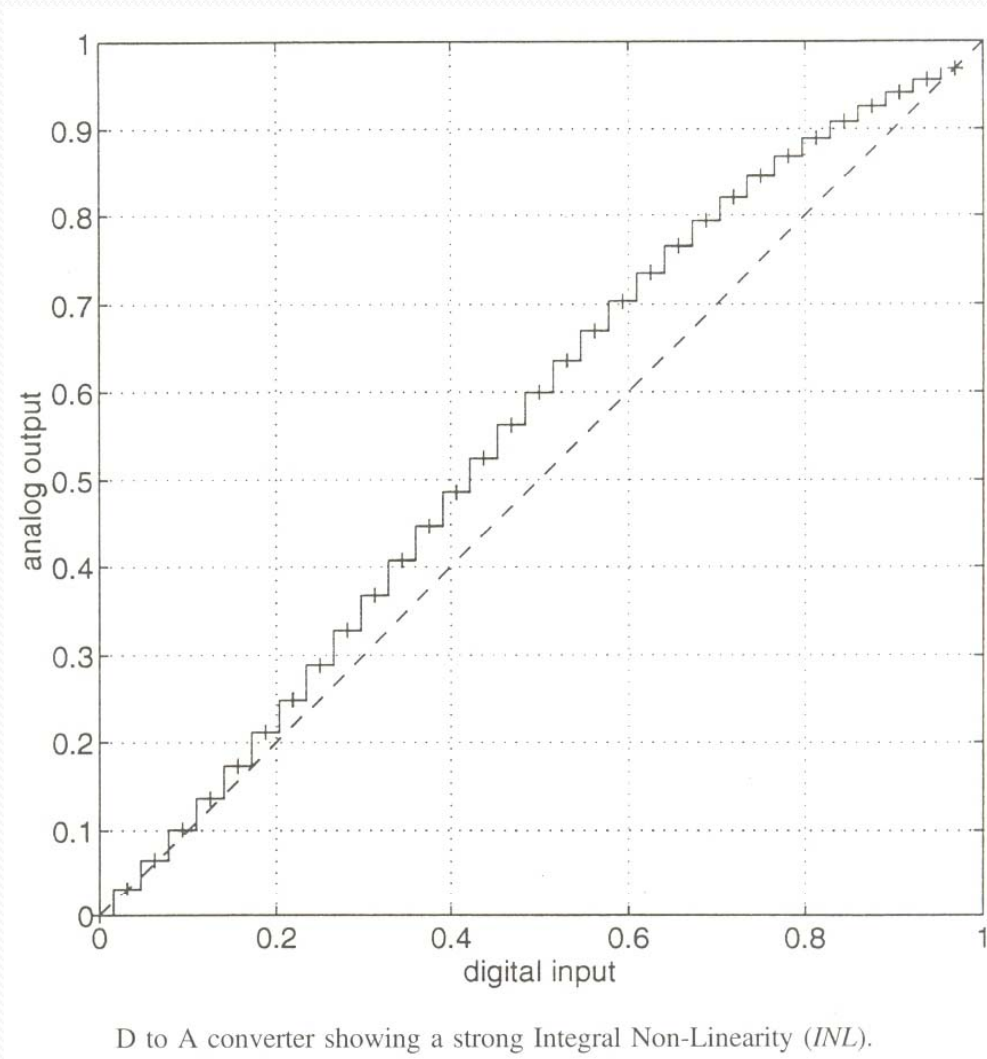
Definition of ADC nonlinearities: (b) INL.

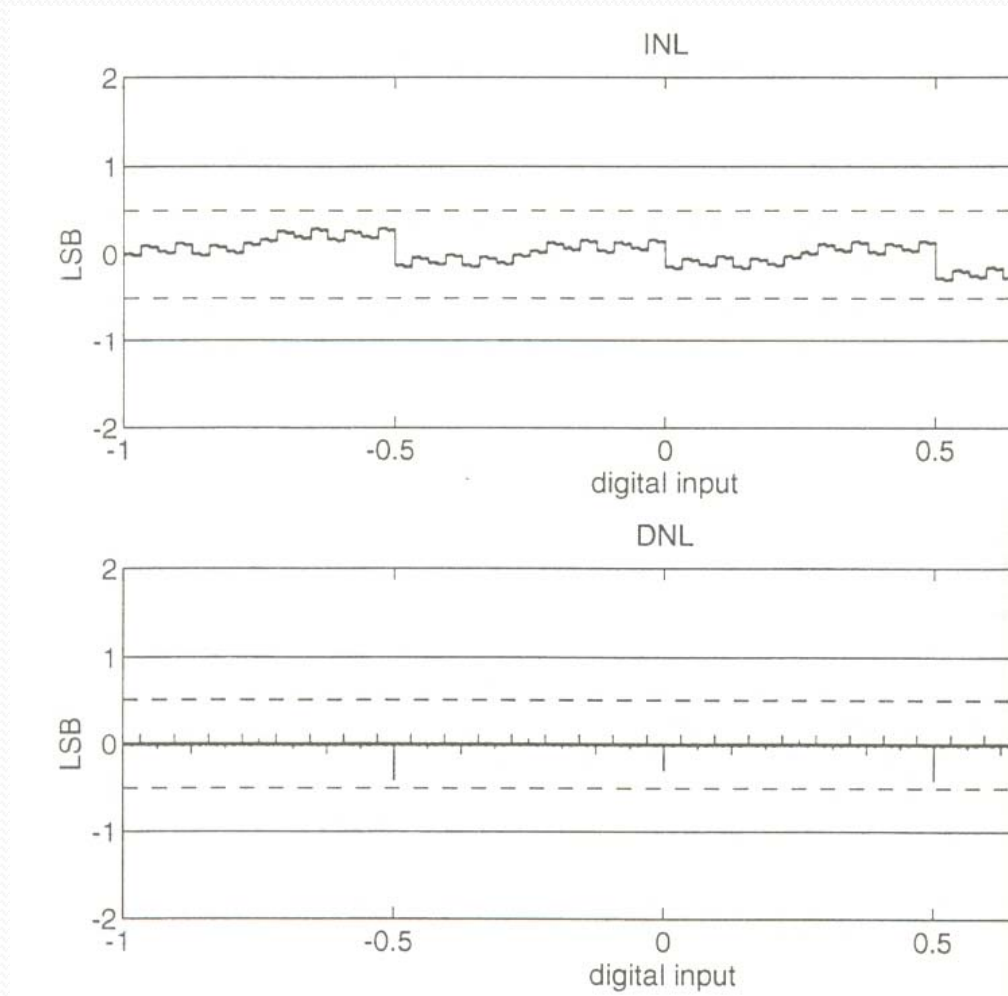
- Integral Non-Linearity is defined as the maximum deviation of the ADC transfer function from the ideal transfer

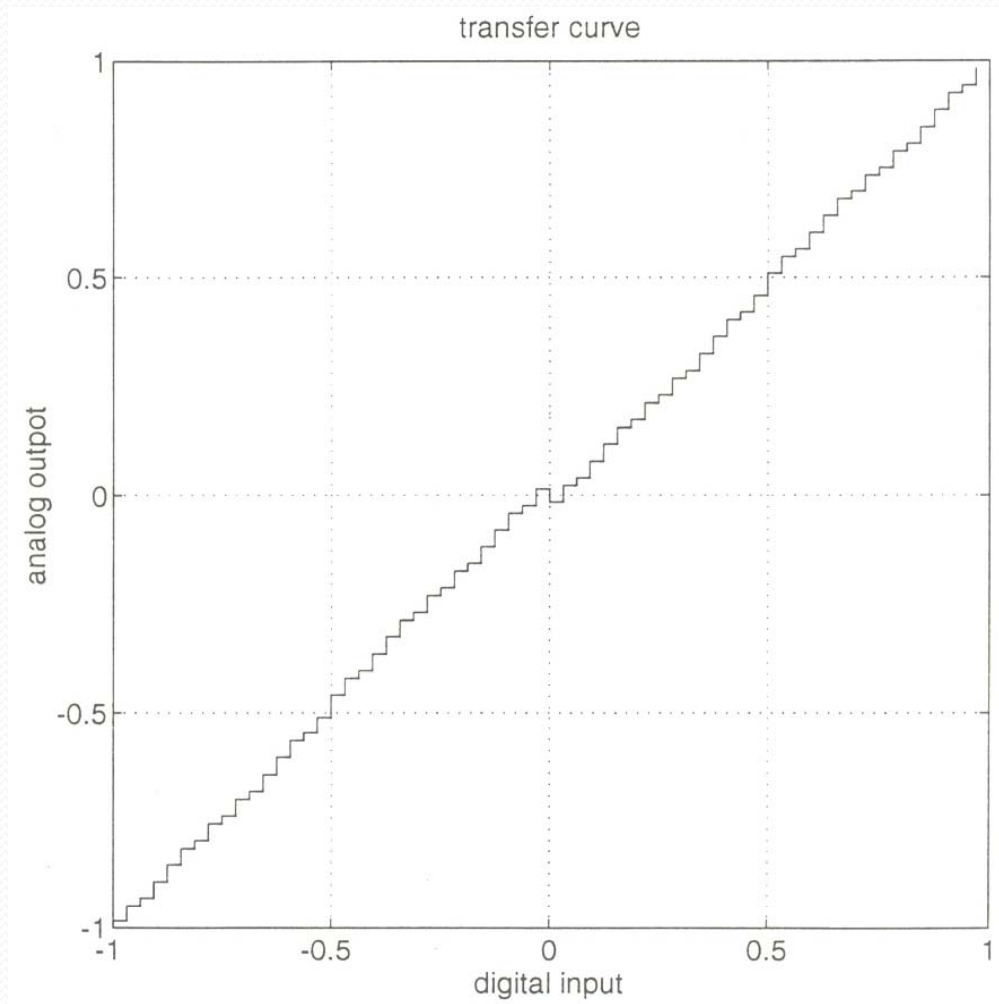
Linearity characterization

- A to D converters





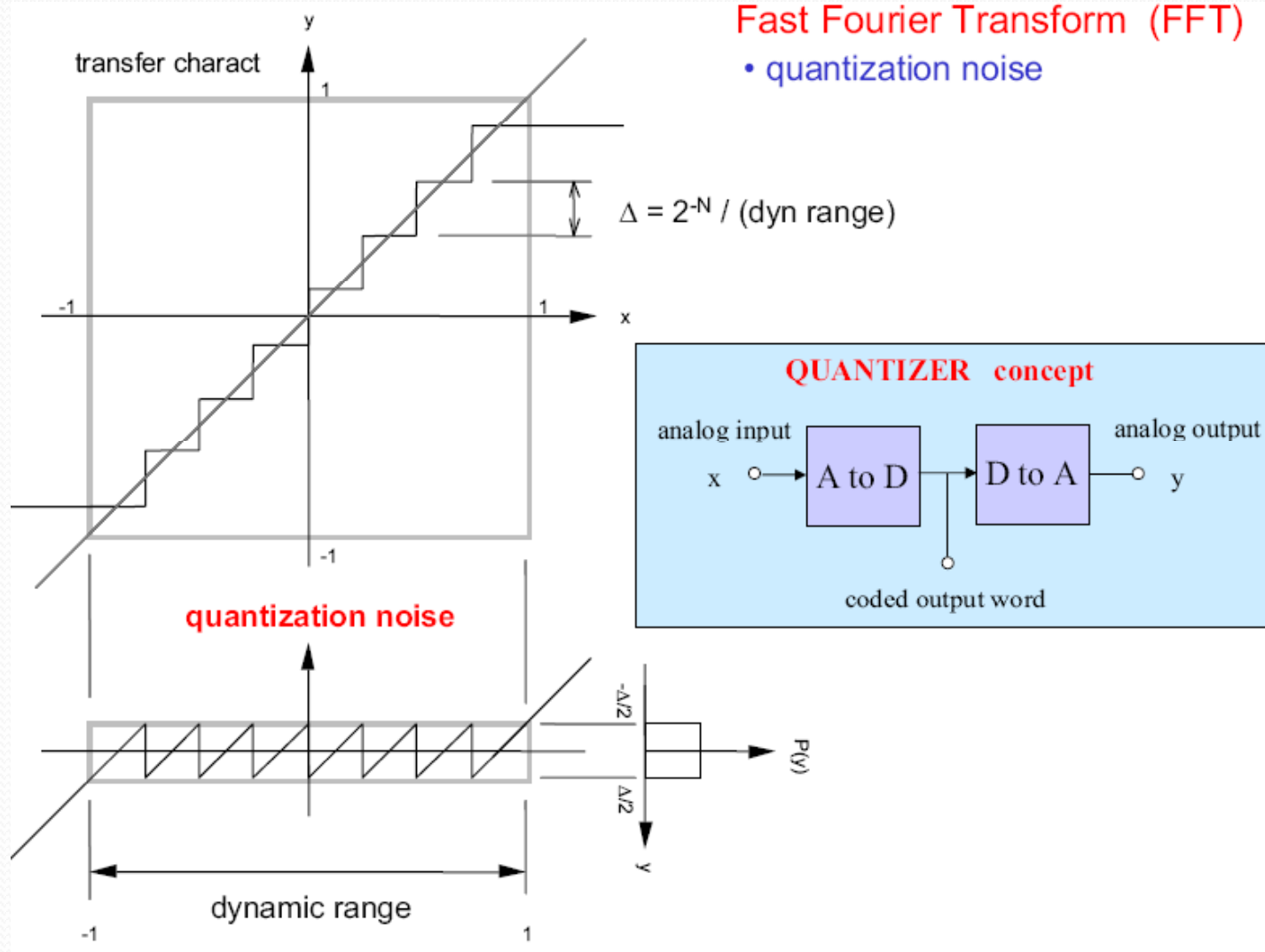




Unequal heights of consecutive steps are measured by the Differential Non-Linearity (*DNL*). In the middle, severe *DNL* causes non-monotonicity.

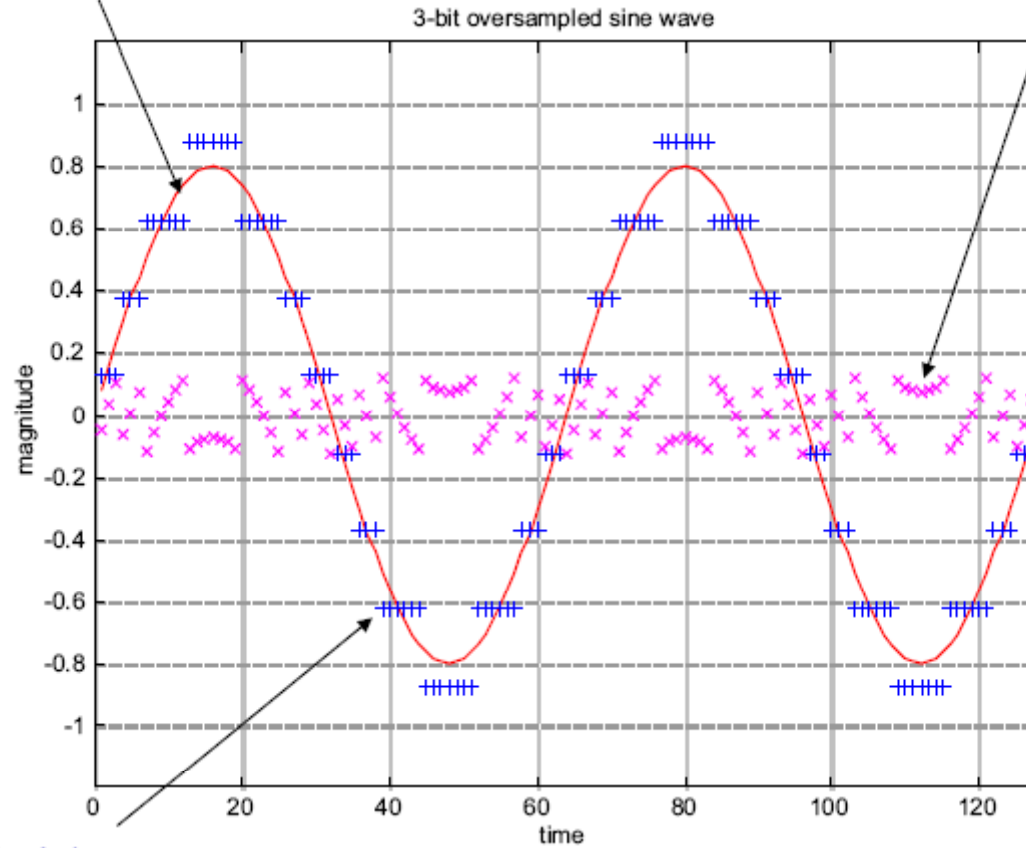
Fast Fourier Transform (FFT)

- quantization noise



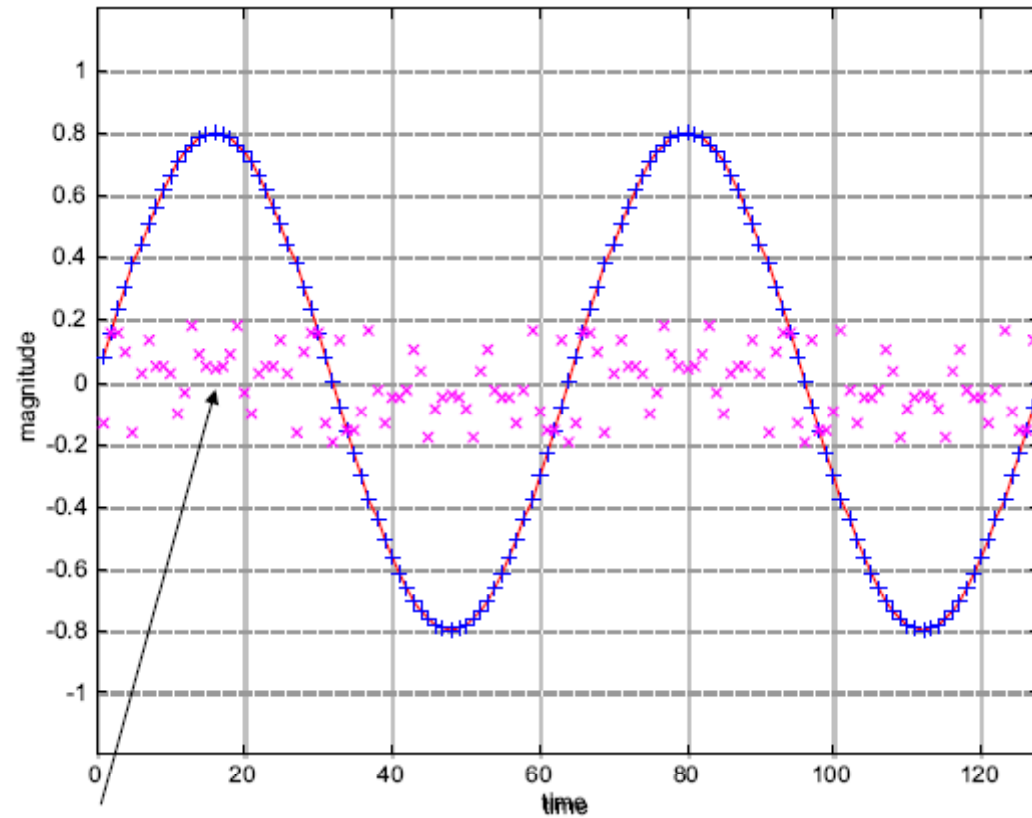
input sine wave

quantization noise



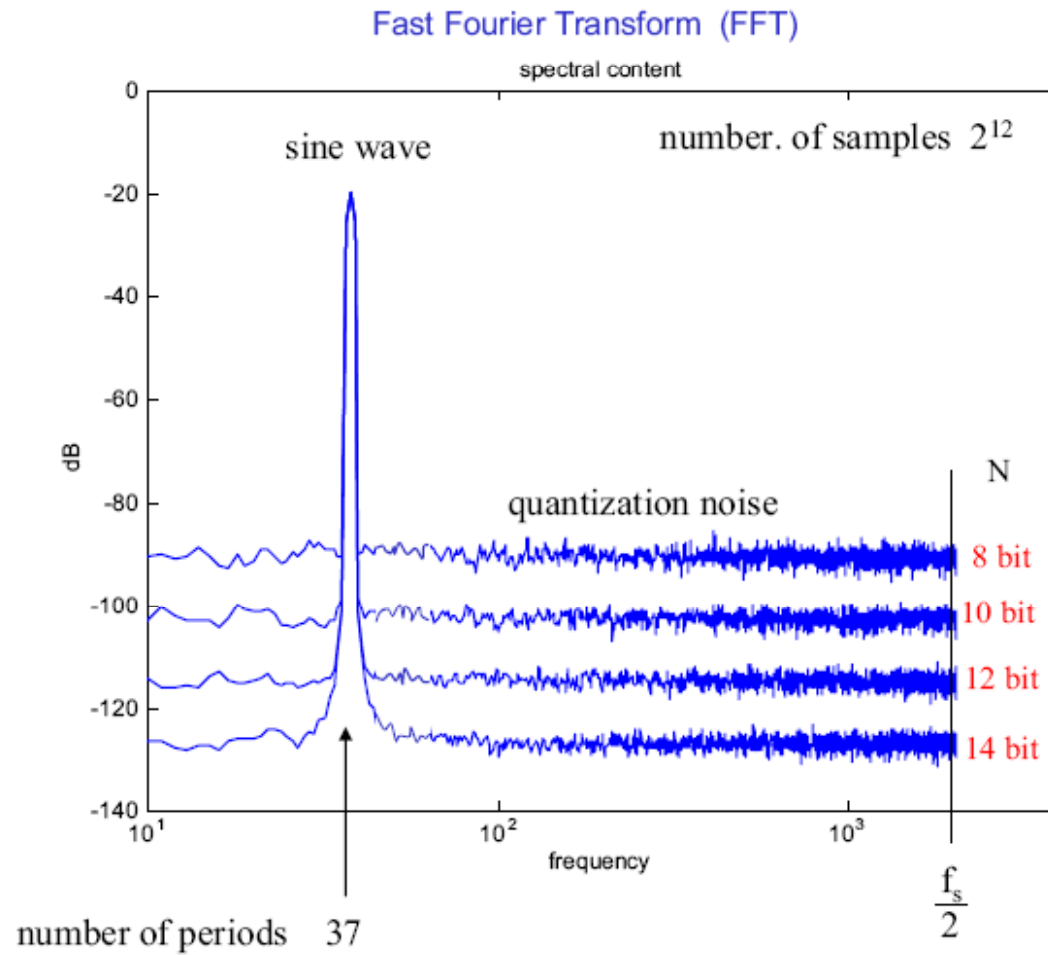
quantized sine wave

10-bit oversampled sine wave

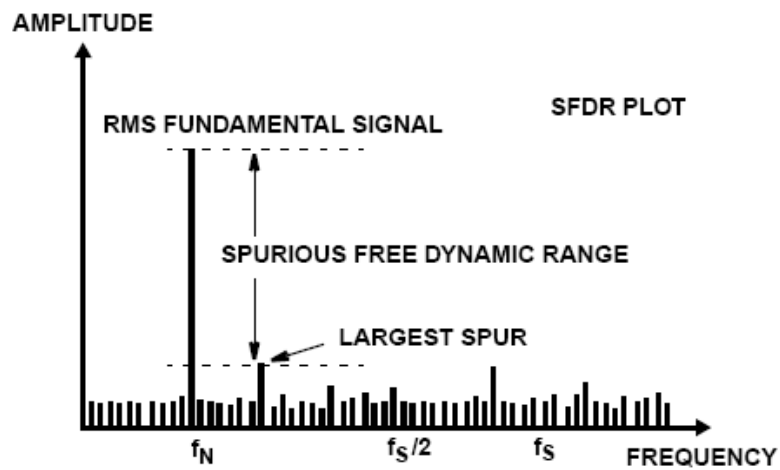


quantization noise
(magn multiplied by 200)

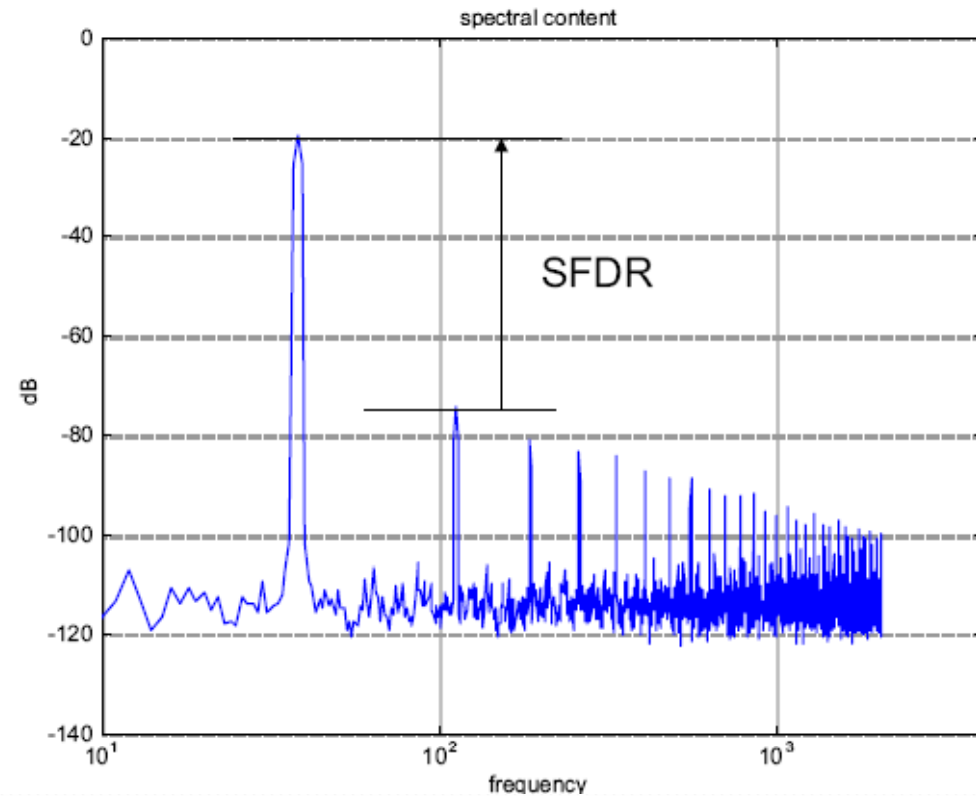
power density spectrum of quantized sine waves



Spurious Free Dynamic Range



Assumption:
quantization noise is uniformly distributed



Real SFDR measurement

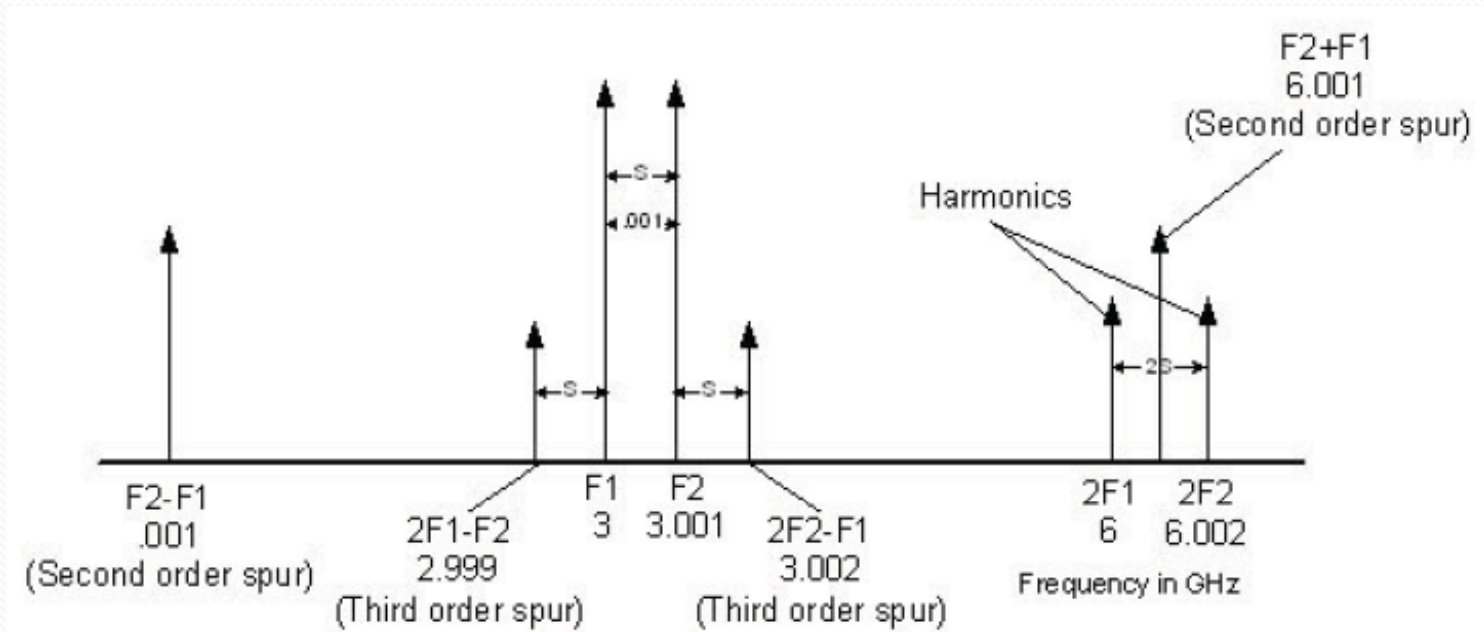
Spurious Free Dynamic Range is the usable dynamic range of a A/D or D/A converter before spurious noise interferes or distorts the fundamental signal.

SFDR: ratio of the RMS value of the signal (carrier) at the input of the ADC or DAC to the RMS value of the next largest noise or harmonic distortion component (which is referred to as a “spurious” or a “spur”) at its output. SFDR is usually measured in dBc (i.e. with respect to the carrier frequency amplitude).

⇒ SFDR as an indicator of fidelity.

$$\mathbf{SNR_{IDEAL} - 6.02 (N) + 1.76} \quad (\text{only quantization noise!!})$$

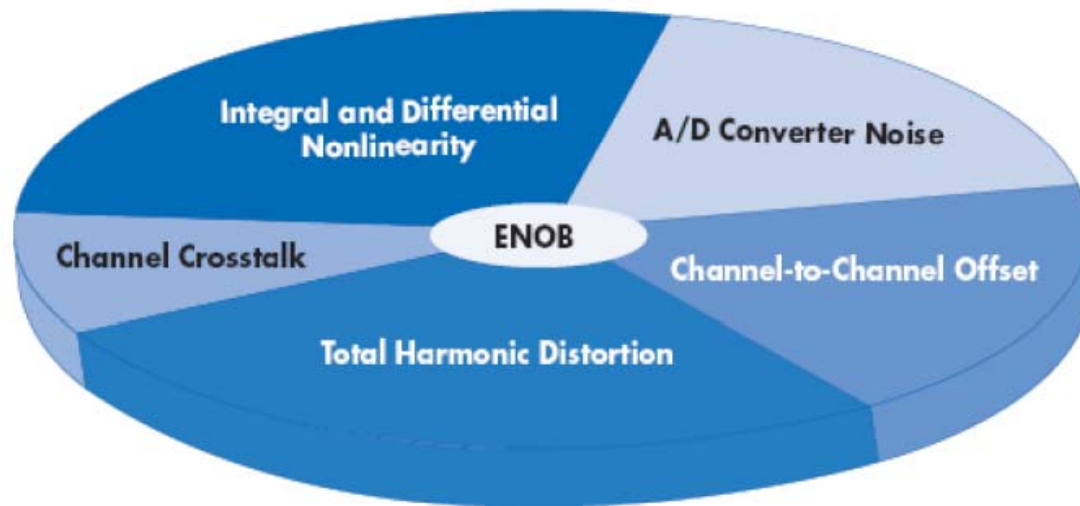
(best-case: assumption that quantization noise is uniformly distributed)



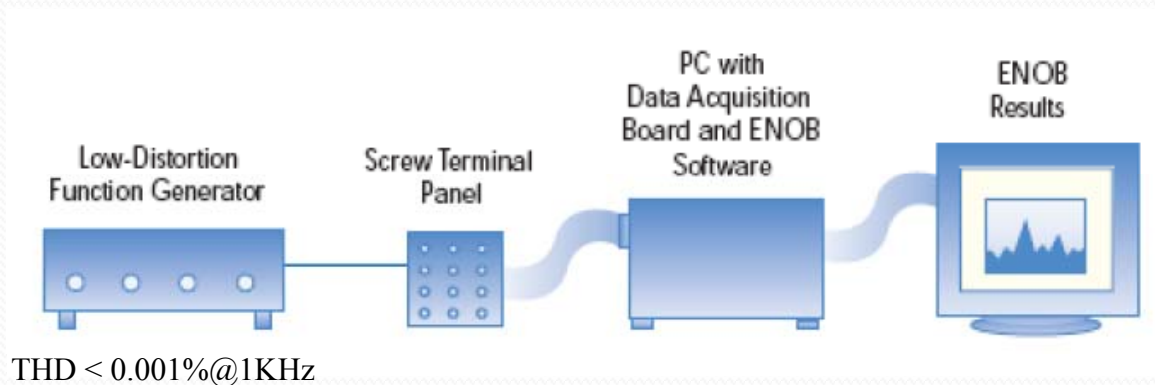
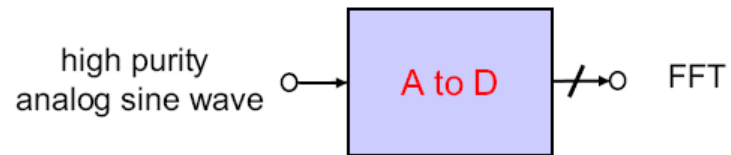
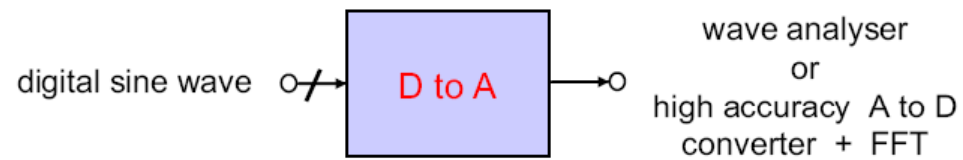
generation of spurious second and third-order products

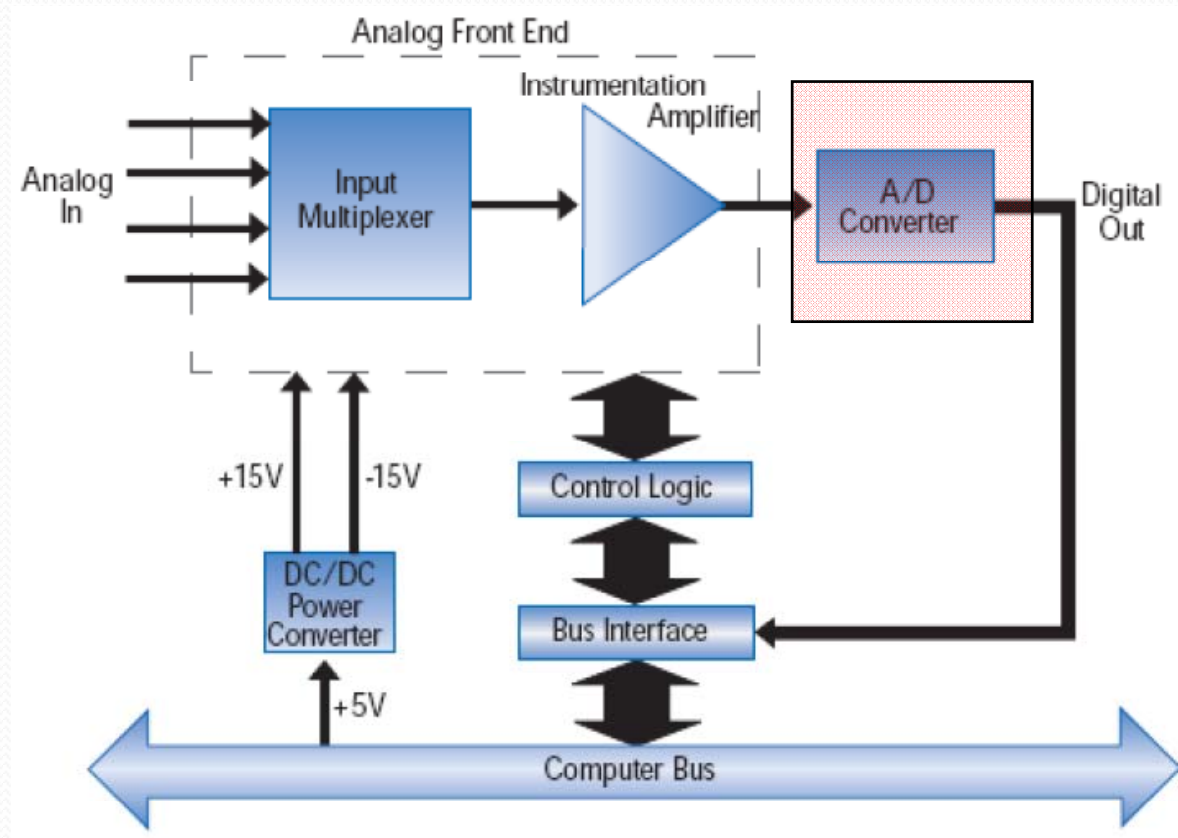
ENOB (Effective Number of Bits): A measure of overall accuracy under real-world conditions

ENOB Measures the Combined Effects of Multiple Sources of Noise and Distortion



Evaluation of ENOB





overall noise picked up by A/D

Error (Distortion) Sources in ADCs

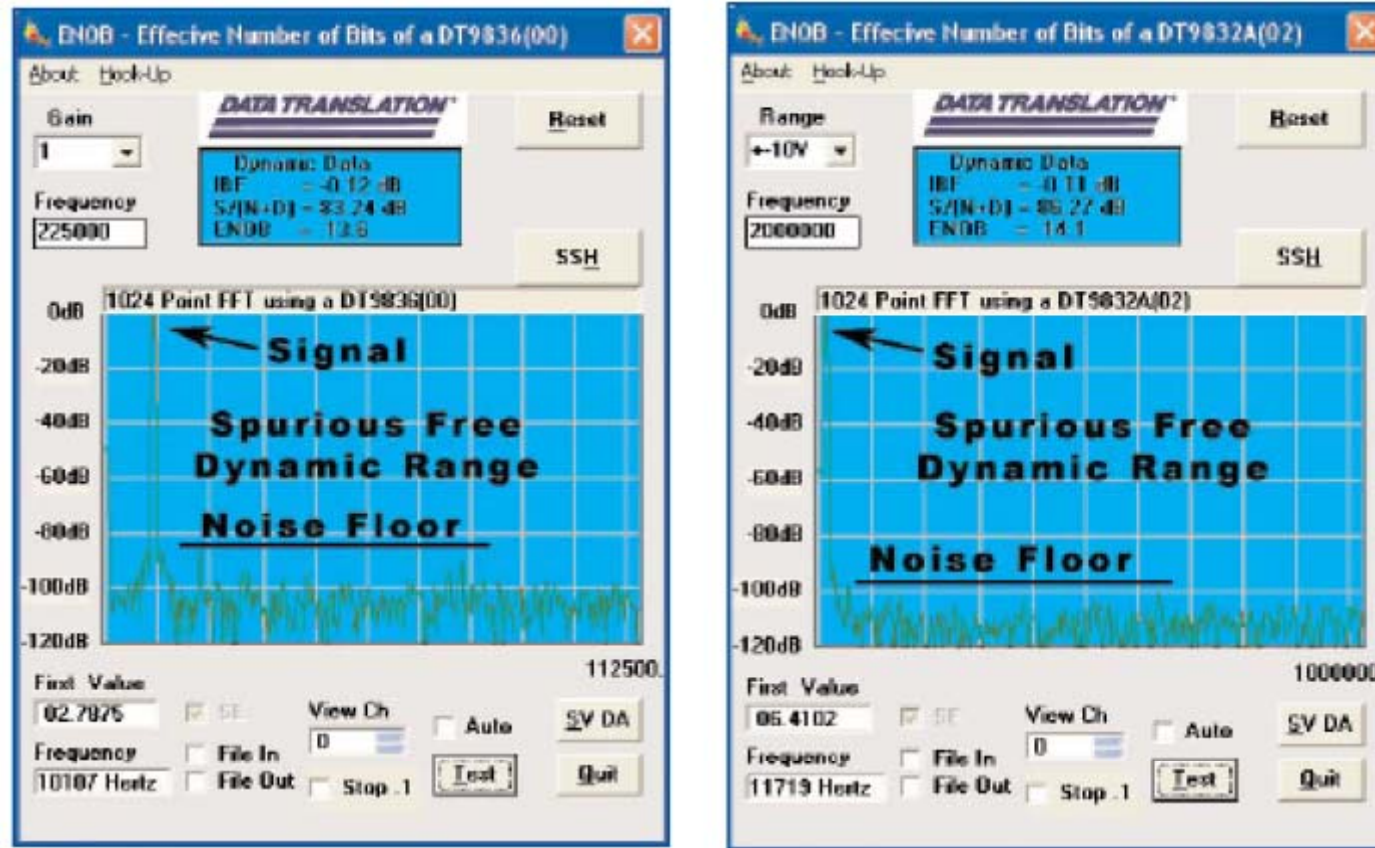
DC:

- i) **integral and differential nonlinearity errors:** irreducible distortion, as ADC output is not continuous, but quantized. Even perfect ADC exhibit some integral and differential nonlinearity.
- ii) **noise:**
 - a: quantization error - inherent to data conversion process
 - b: generated within the converter itself.
- iii) **channel-to-channel offset:** difference in the characteristics of analog input channels

AC:

- i) **THD:** ratio of all harmonics generated to the original signal frequency.
- ii) **channel crosstalk:** signal interference analog input channels.

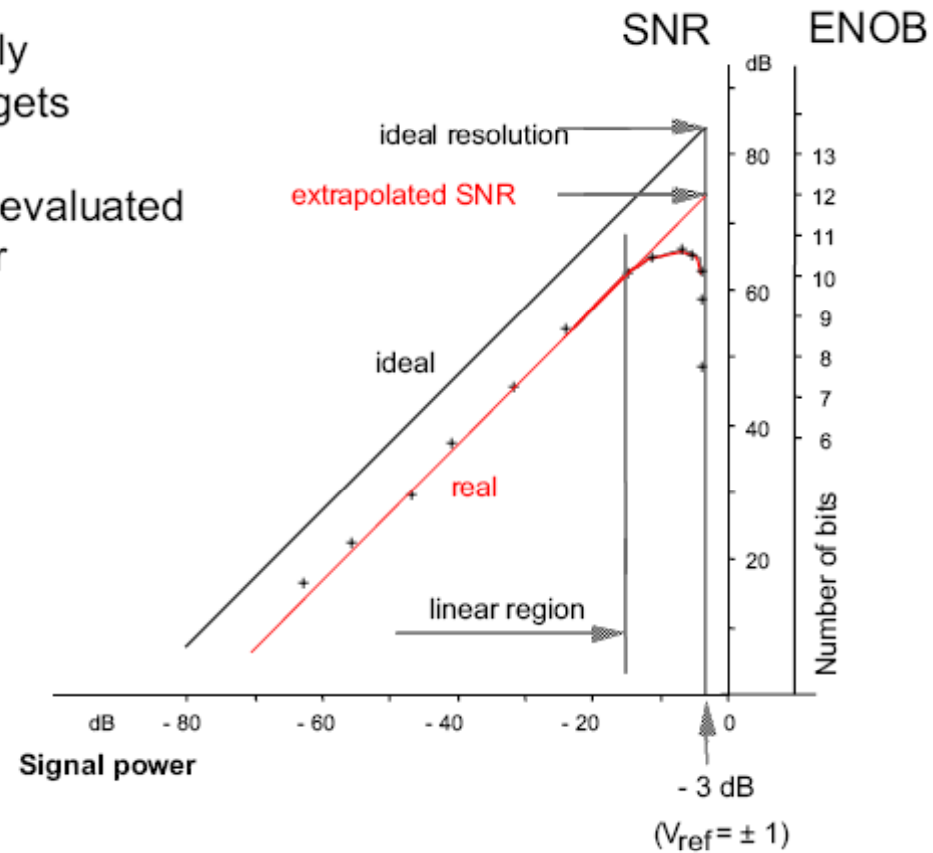
ENOB Measurement of 16-bit ADC



ENOB of 13.6 and 14.1 bits

$$\text{ENOB} = \frac{\text{SNR}_{\text{dB}} - 1.8}{6}$$

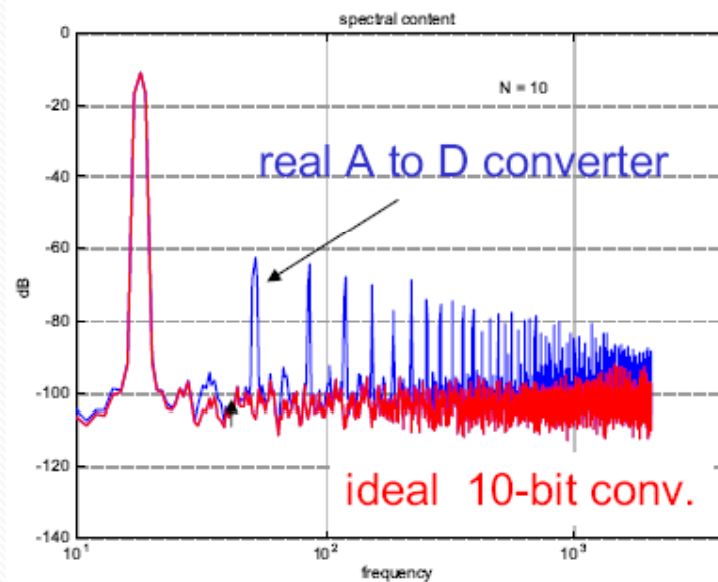
because saturation is likely to occur when the signal gets large the SNR, which determines the ENOB, is evaluated by extrapolating the linear part of the plot until F.S.



$$\text{SNR}_{\text{IDEAL}} = 6.02 (N) + 1.76$$

(**best-case:** assumption that quantization noise is uniformly distributed)

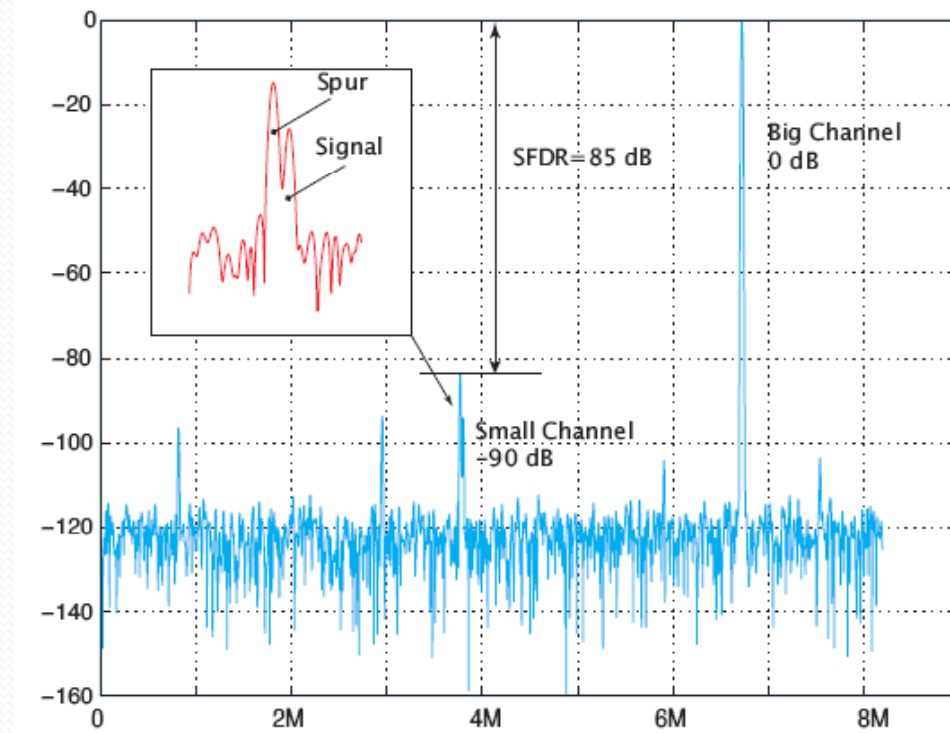
where N is the number of bits of the converter. For N=10, SNR = 62dB.

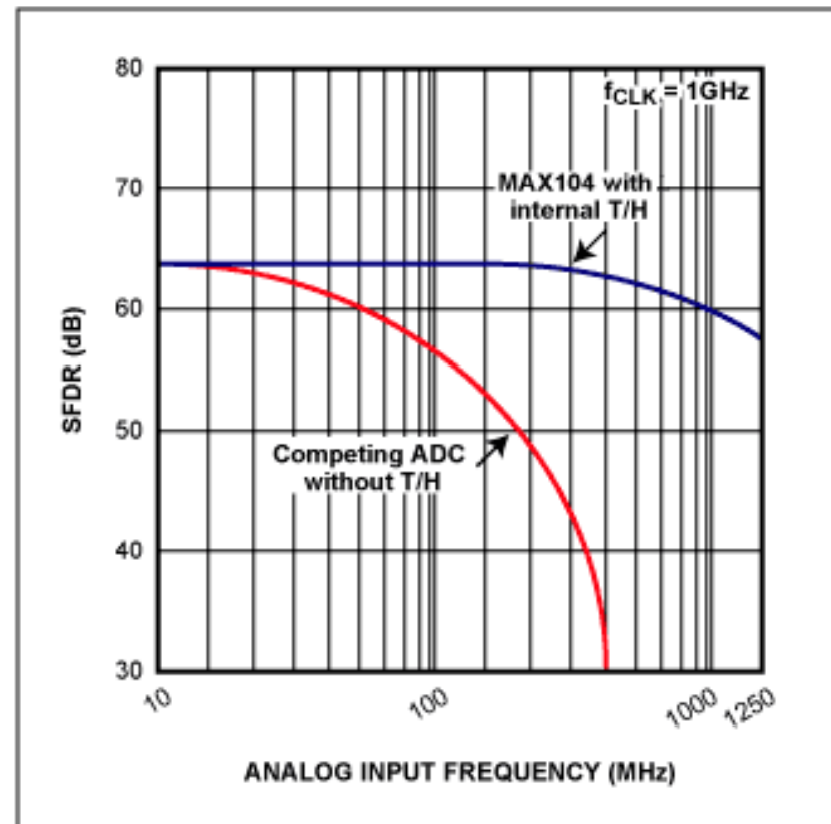
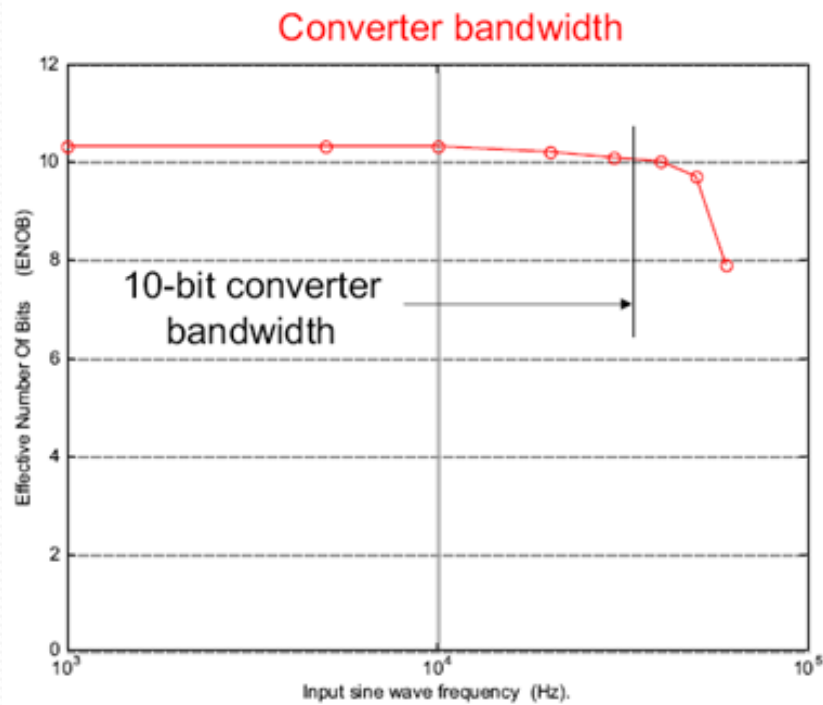


$$\text{ENOB} = \frac{\text{SNR}_{\text{dB}} - 1.8}{6}$$

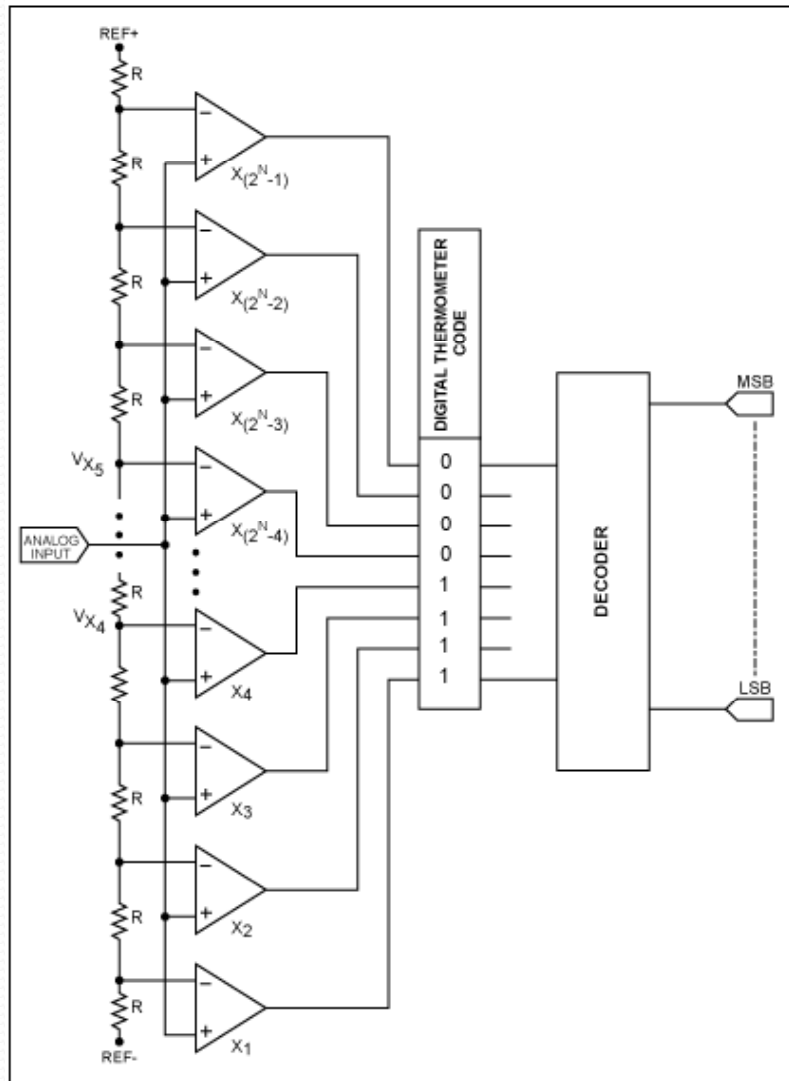
example: SNR = 53 dB
ENOB = 8.5

Ex: The input signal has two channels: a strong one (0dB) @6.72 MHz, and a small one (-90 dB) @3.8 MHz. The sampling frequency is 16.4 MHz. The big component generates a large third harmonic at 20.16 MHz which gets folded down to 3.76 MHz, just 40 kHz from the small channel. Even if the SFDR is 85 dB the spur almost completely masks the -90 dB signal.



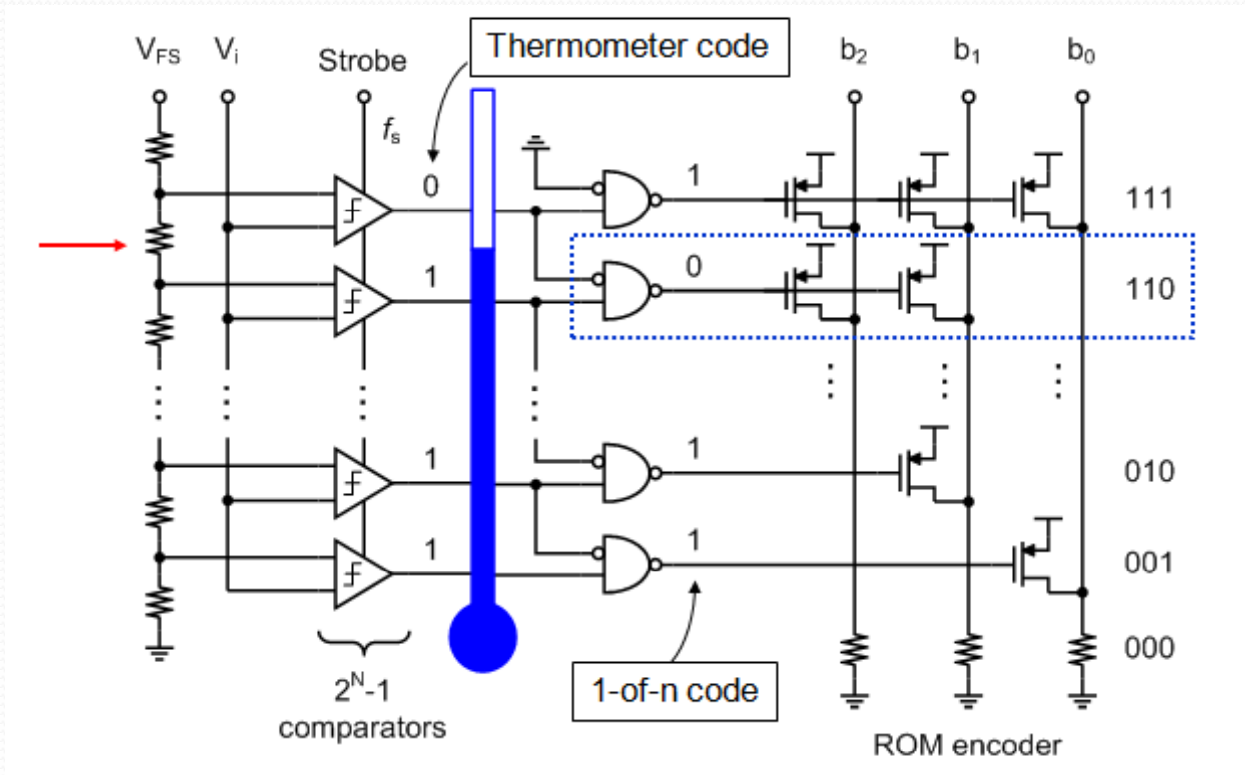


Spurious free dynamic range as a function of input frequency



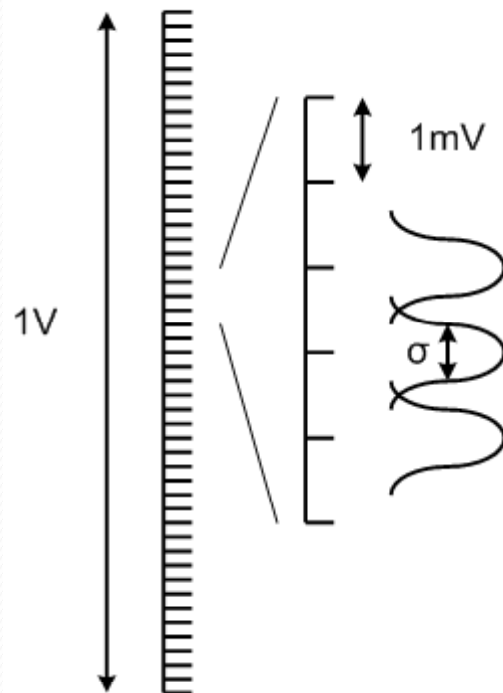
FLASH ADC

- $2^N - 1$ comparators
- typically consume more power than other ADC architectures
- generally limited to 8-bits resolution
- relatively low resolution and expensive
- ideal for applications requiring very large bandwidth
- exceed giga-sample per second (Gsp/s) conversion rates
- each comparator represents 1 LSB
- output code can be determined in one compare cycle.



Thermometer							Gray			Binary		
0	0	0	0	0	0	0	0	0	0	0	0	0
1	0	0	0	0	0	0	0	0	1	0	0	1
1	1	0	0	0	0	0	0	1	1	0	1	0
1	1	1	0	0	0	0	0	1	0	0	1	1
1	1	1	1	0	0	0	1	1	0	1	0	0
1	1	1	1	1	0	0	1	1	1	1	0	1
1	1	1	1	1	1	0	1	0	1	1	1	0
1	1	1	1	1	1	1	1	0	0	1	1	1
T ₁	T ₂	T ₃	T ₄	T ₅	T ₆	T ₇	G ₃	G ₂	G ₁	B ₃	B ₂	B ₁

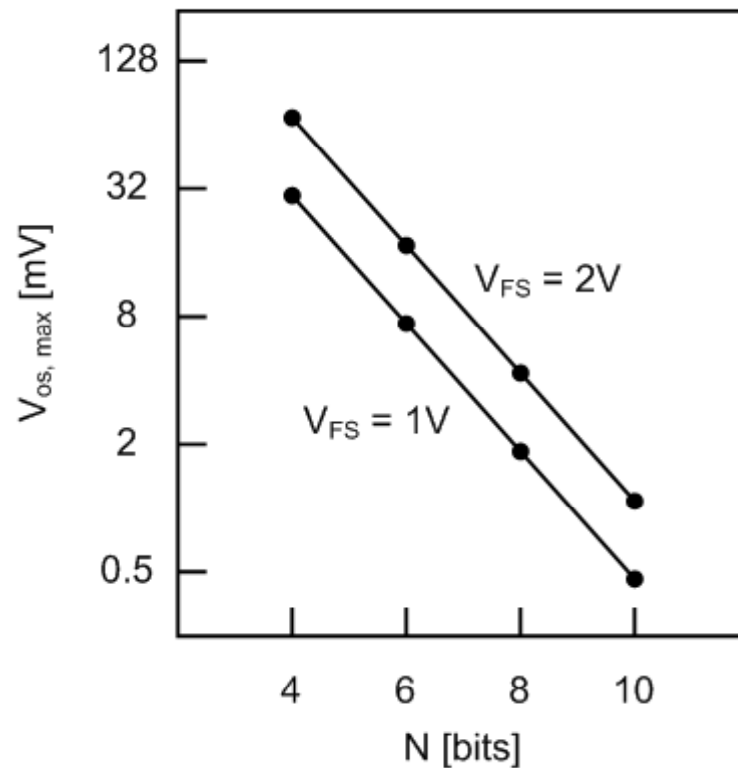
A 10-bit Flash ADC



- $V_{DD} = 1.8 \text{ V}$
- 10-bit $\rightarrow 1023$ comparators
- $V_{FS} = 1 \text{ V}$ $\rightarrow 1 \text{ LSB} = 1 \text{ mV}$
- $\text{DNL} < 0.5 \text{ LSB}$ $\rightarrow V_{os} < 0.5 \text{ LSB}$
- $0.5 \text{ mV} = 3\text{-}5 \sigma$ $\rightarrow \sigma = 0.1\text{-}0.2 \text{ mV}$

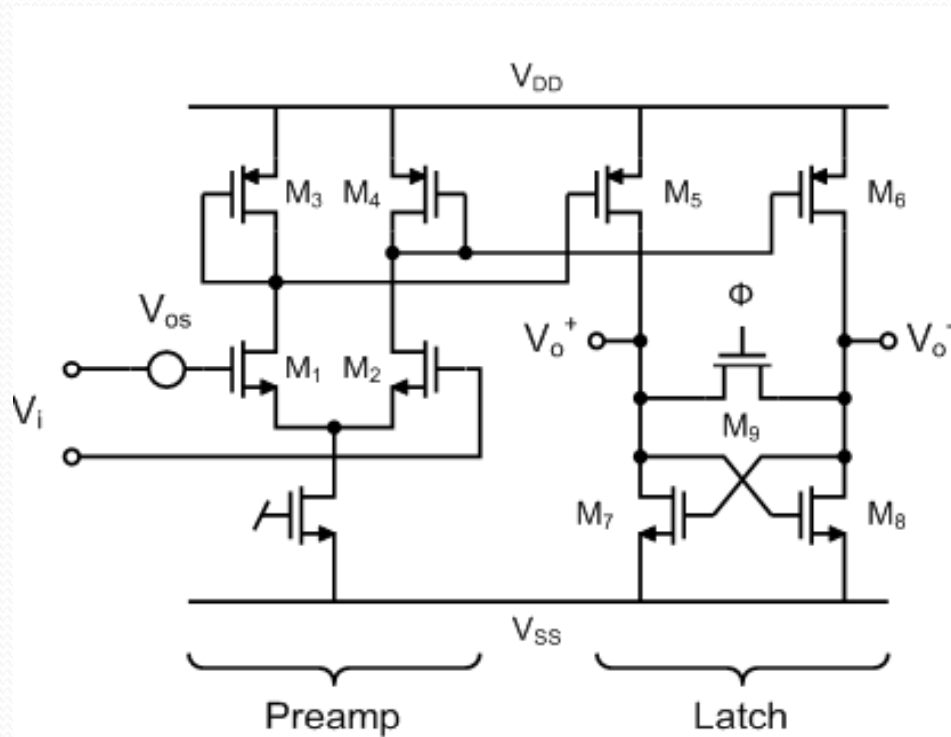
- $2^N - 1$ very large comparators
- Large area, large power consumption
- Very sensitive design
- Limited to resolutions of 4-8 bits

Offset vs. Resolution



- $DNL < 0.5$ LSB
- Large V_{FS} relaxes offset tolerance
- Small V_{FS} benefits conversion speed (settling, linearity of building blocks)

- Typical CMOS comparator

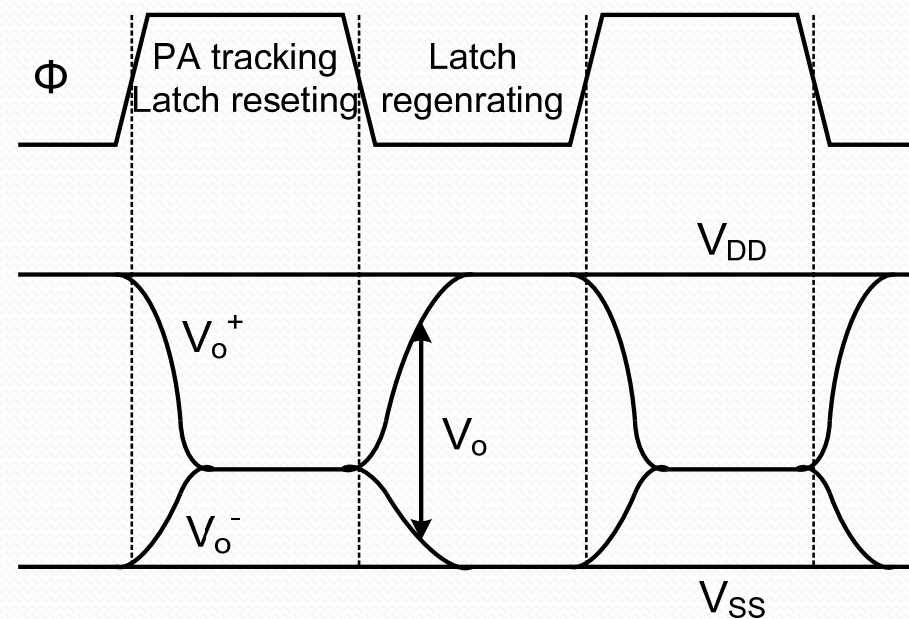


V_{0s} derives from:

- Preamp input pair mismatch (V_{th}, W, L)
- PMOS loads and current mirror
- Latch mismatch
- CI / CF imbalance of M_9
- Clock routing
- Parasitics

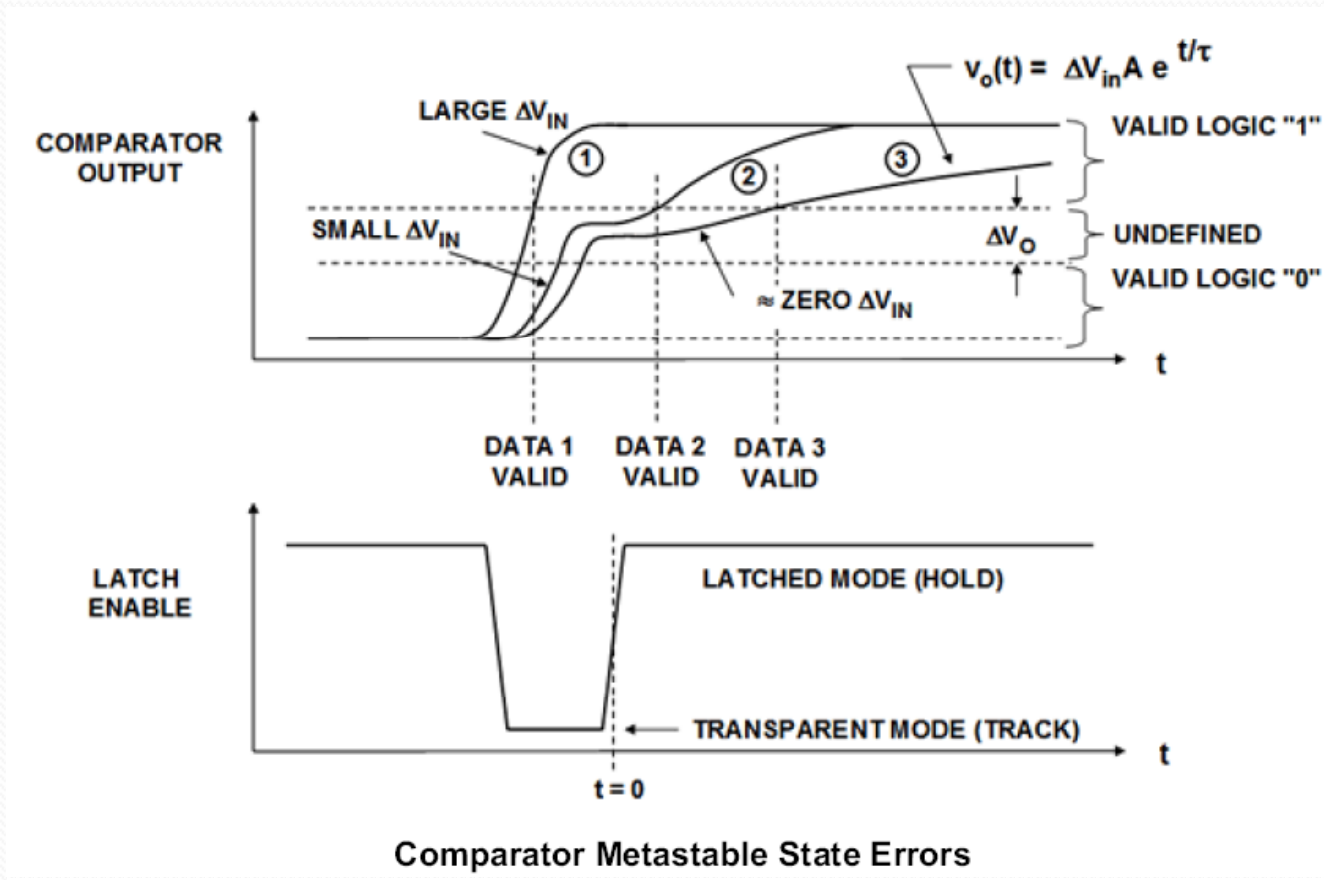
Latch Regeneration

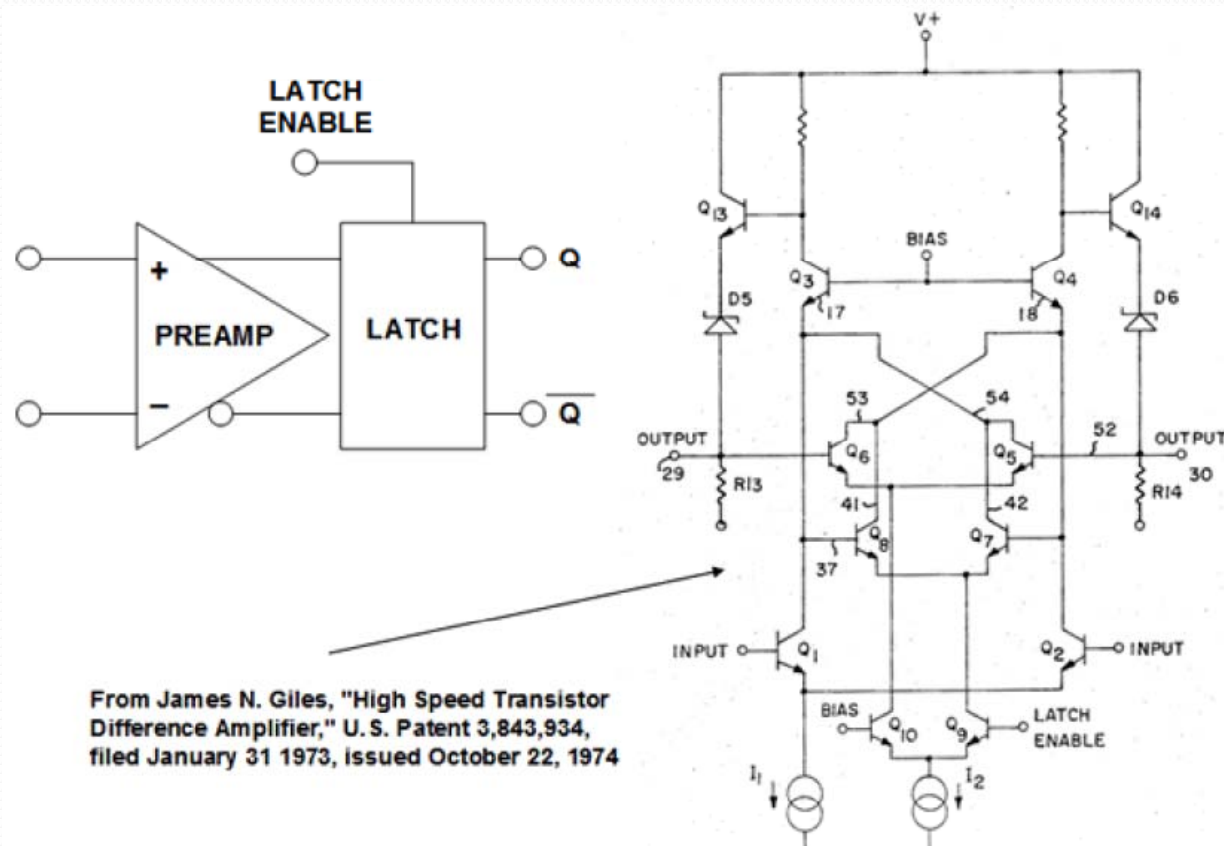
- exponential regeneration due to positive feedback of M_7 and M_8



- (1) large differential input voltage
- (2) small differential input voltage
- (3) \cong zero differential input voltage

ΔV_{IN} : the differential input voltage at the time of latching,
 A = the gain of the preamp at the time of latching,
 τ = regeneration time constant of the latch,
 t = the time that has elapsed after the comparator output is latched





The AM685 ECL Comparator (1972)

Interpolation A/D Converters

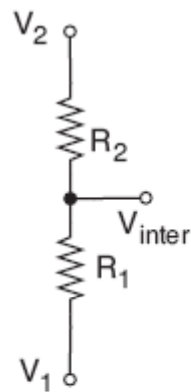
An interpolator generates an electrical value that is intermediate between two other electrical quantities by using, for voltage inputs: resistive or capacitive dividers and, for current inputs: schemes based on current mirrors.

$$V_{inter} = \frac{V_1 R_2 + V_2 R_1}{R_1 + R_2}.$$

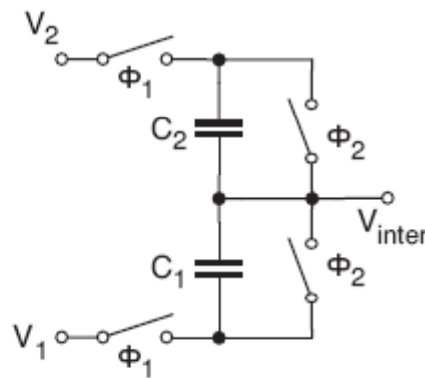
$$V_{inter}(\phi_2) = \frac{V_1 C_1 + V_2 C_2}{C_1 + C_2}.$$

$$\frac{(W/L)_{1,i}}{(W/L)_1} = \alpha; \quad \text{and} \quad \frac{(W/L)_{2,i}}{(W/L)_2} = 1 - \alpha$$

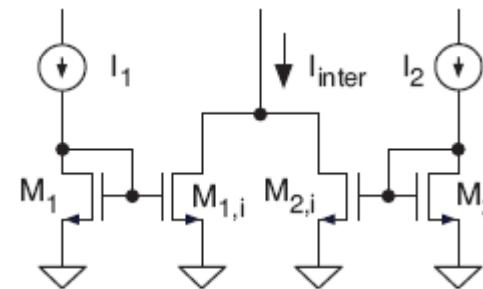
$$I_{inter} = \alpha \cdot I_1 + (1 - \alpha) \cdot I_2.$$



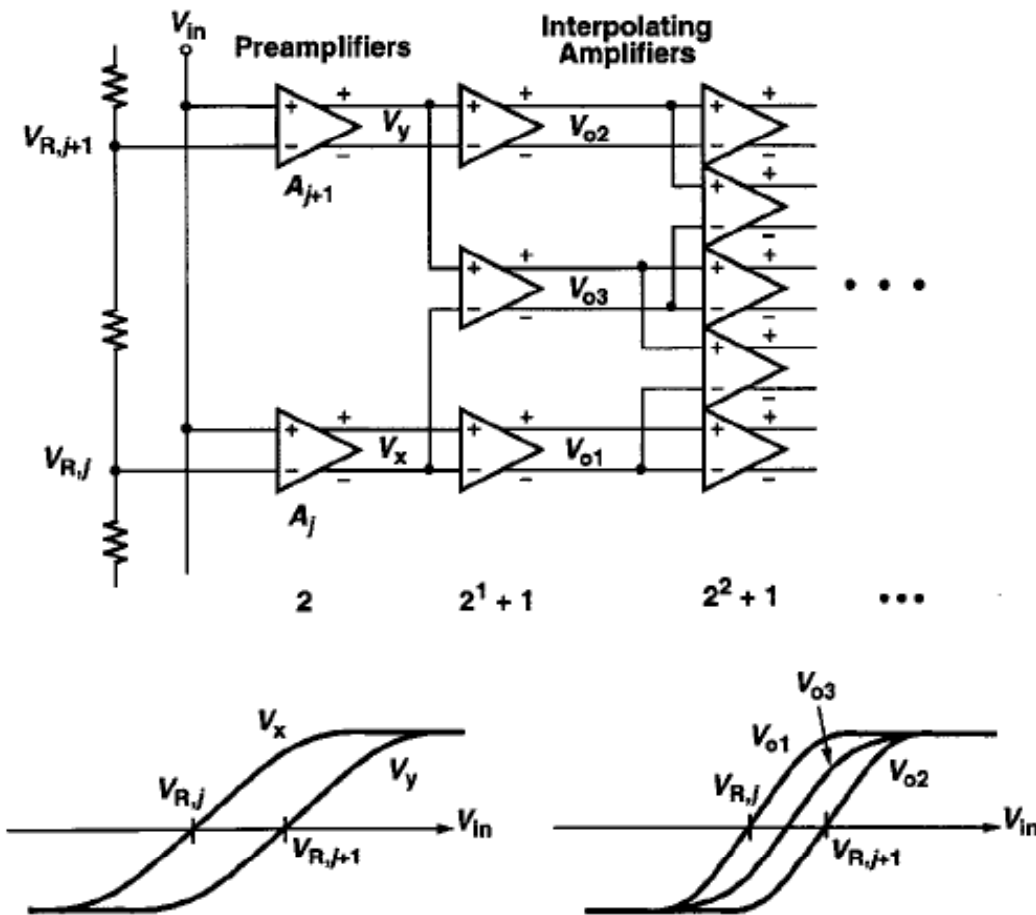
(a)



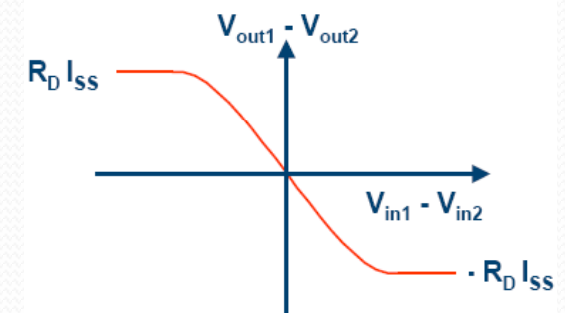
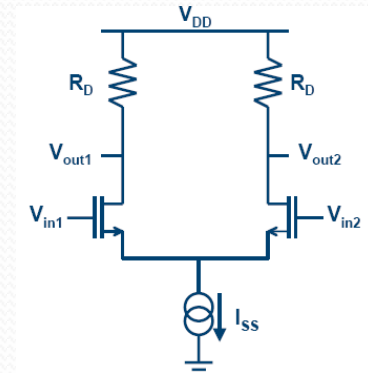
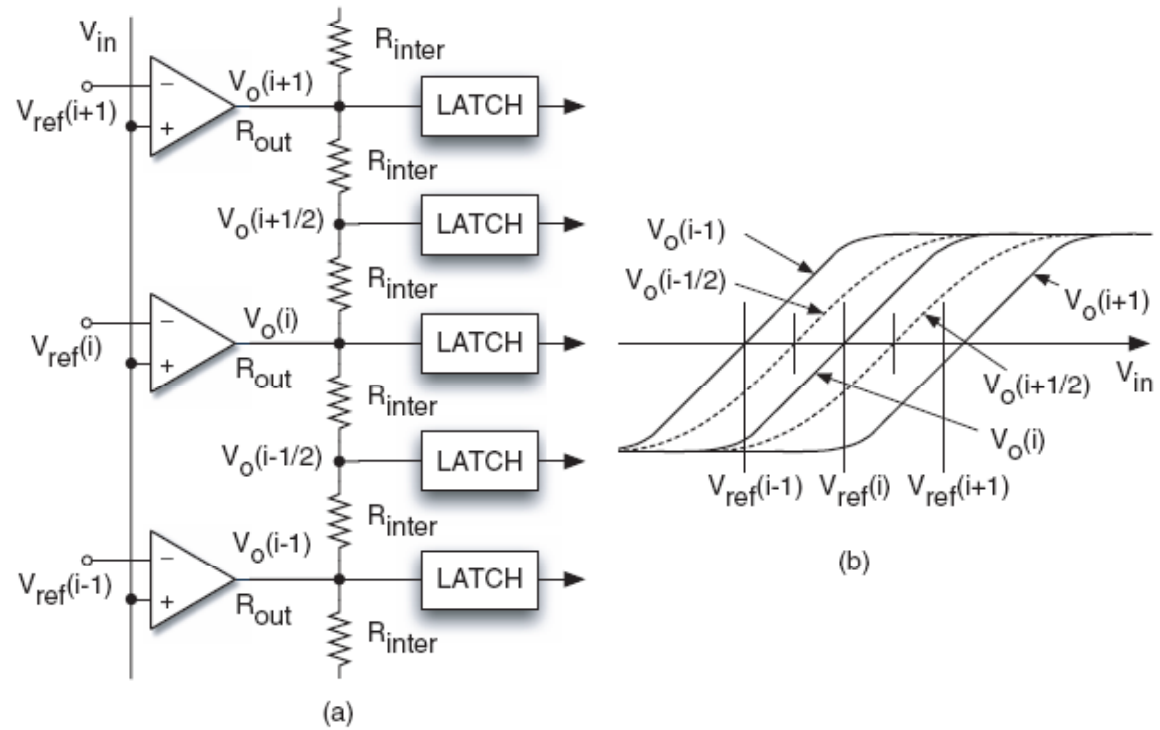
(b)



(c)

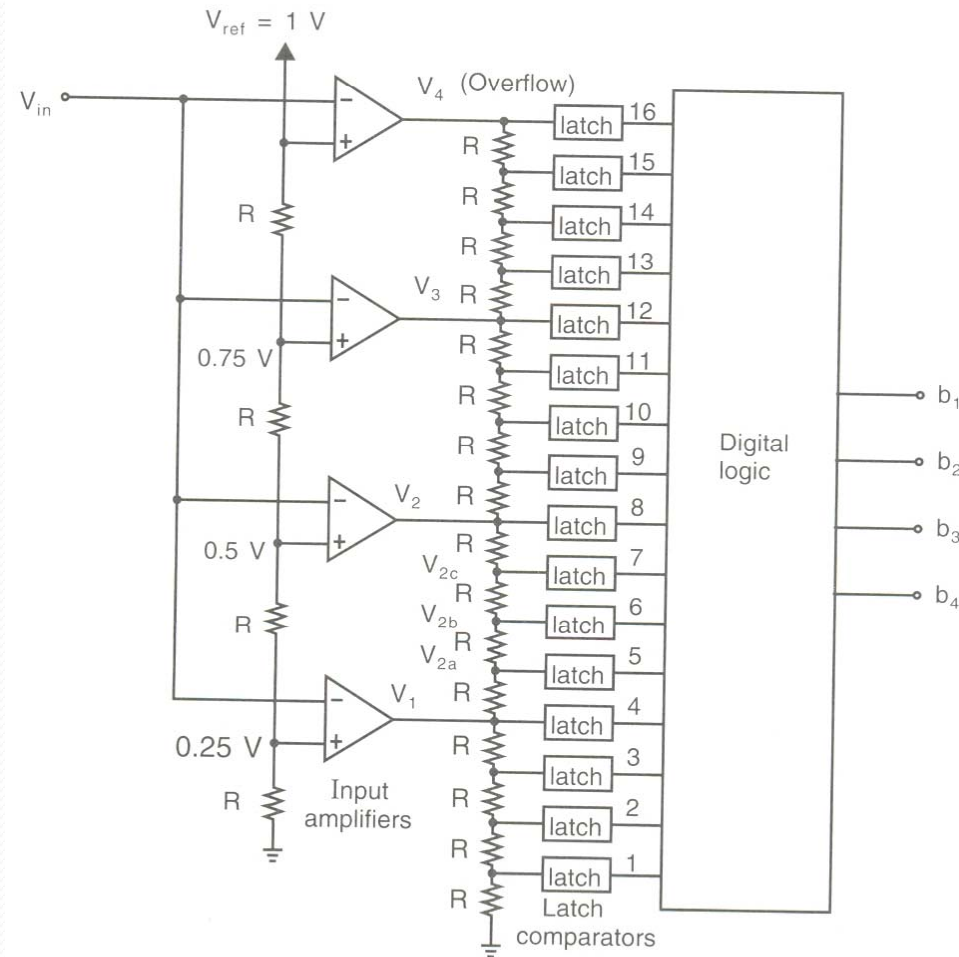


Traditional active 2x interpolation architecture.

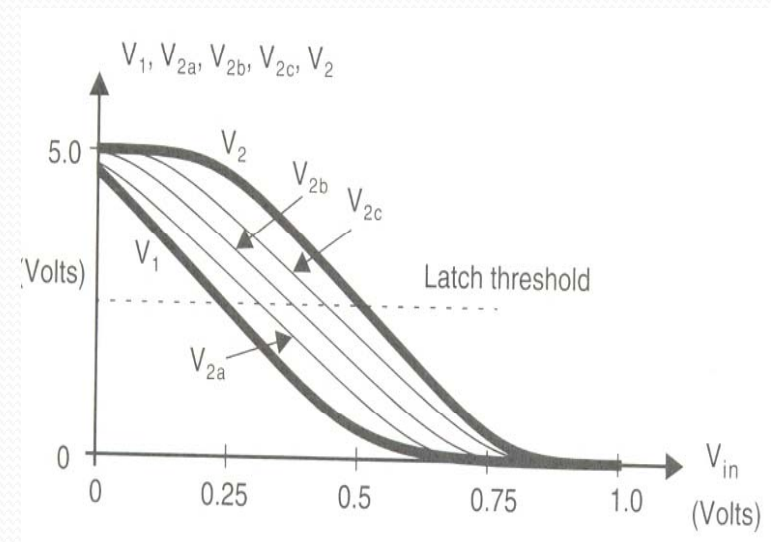


a) Use of interpolation in flash converters. b) Outputs and interpolated responses.

4-bit interpolating flash A/D Converter

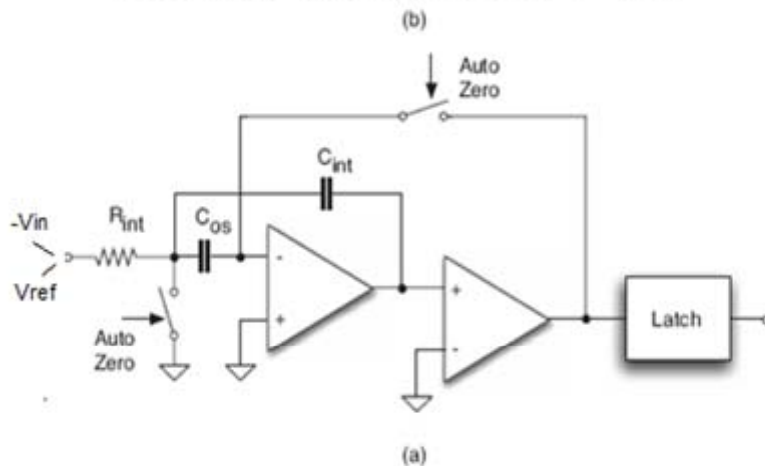
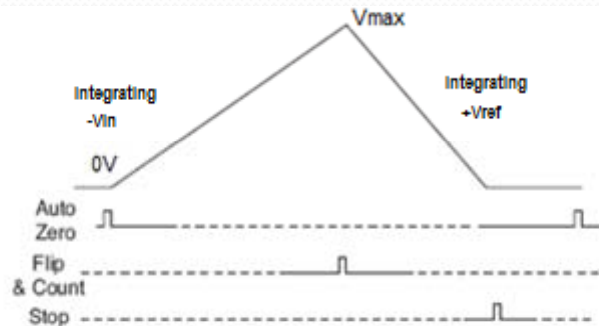


2ⁿ latches



Integrating A/D Converter

- Single, dual and multi-slope ADCs can achieve high resolutions of 16-bits or more are relatively inexpensive and dissipate materially less power.

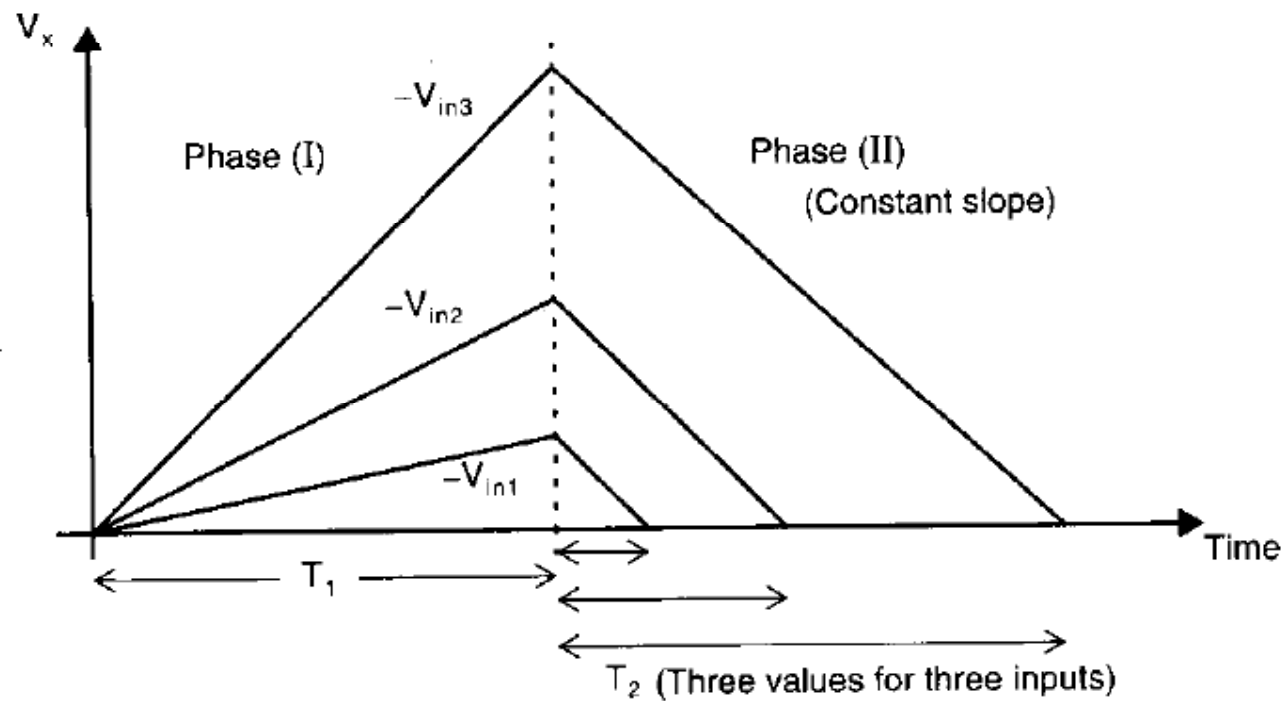


Waveforms of a two-slope ADC (a) and (b) offset cancelled scheme.

- input voltage ($-V_{IN}$) is integrated for a fixed number of clock periods, 2^n .
- It then "de-integrates" V_{max} by changing to $+V_{REF}$ at input and counts the number of clock cycles k until it crosses zero.
- since peak amplitudes of rising and falling ramps are equal \Rightarrow

$$V_{in} \frac{2^n T_{ck}}{\tau} = V_{ref} \frac{k \cdot T_{ck}}{\tau}$$

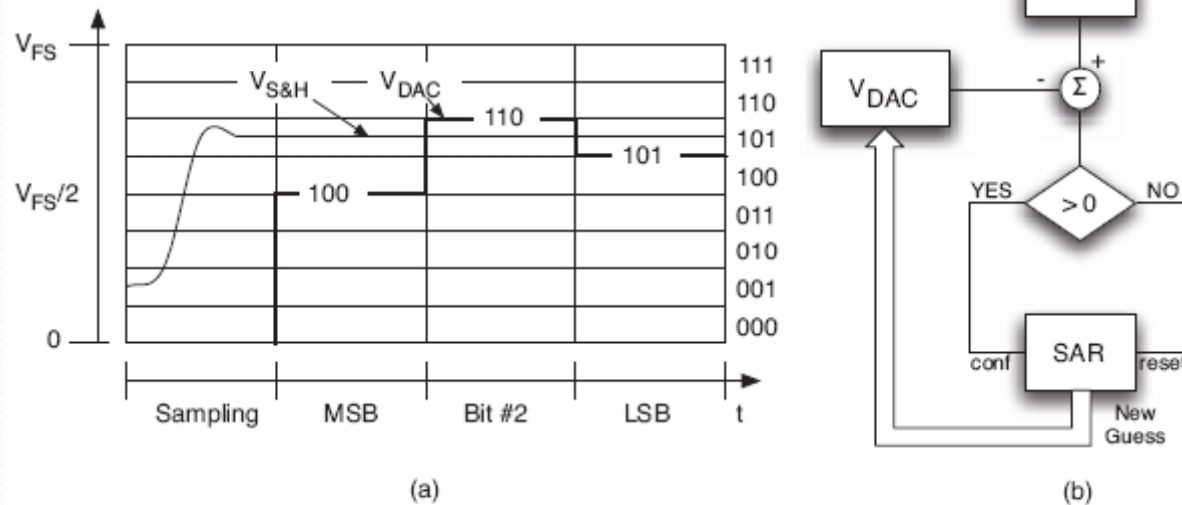
$$k = 2^n \frac{V_{in}}{V_{ref}}$$



Operation of the integrating converter for three different input voltages.

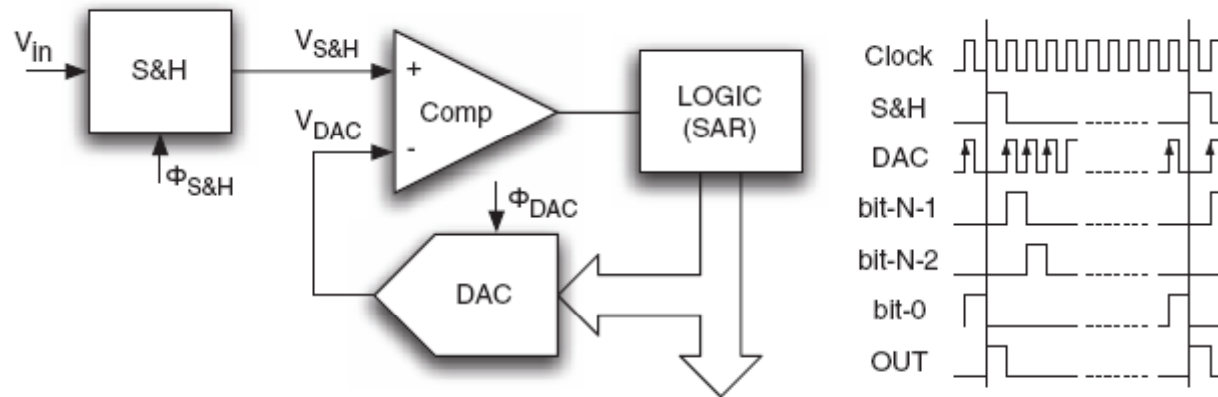
Successive-approximation A/D

- quick conversion time and moderate complexity
- binary-search algorithm



Timing (a) and flow diagram (b) of the successive approximation technique.

Successive Approximation Converter

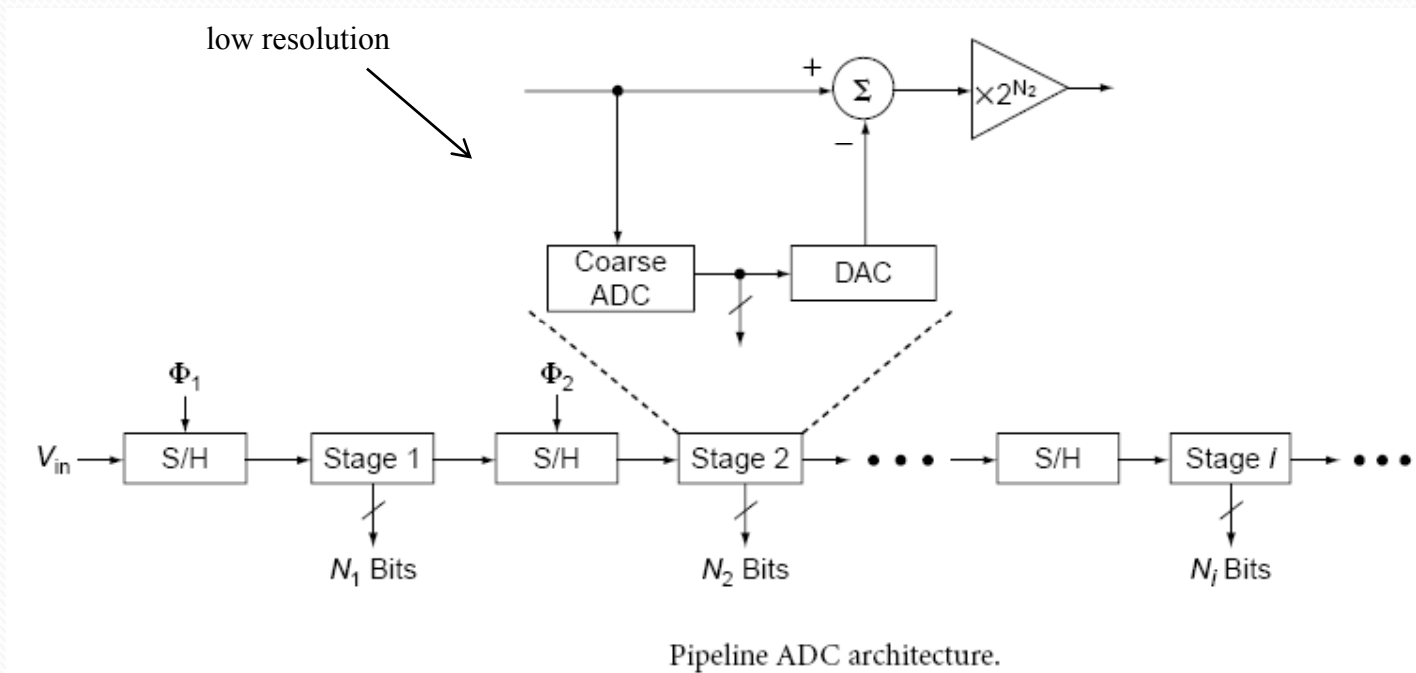


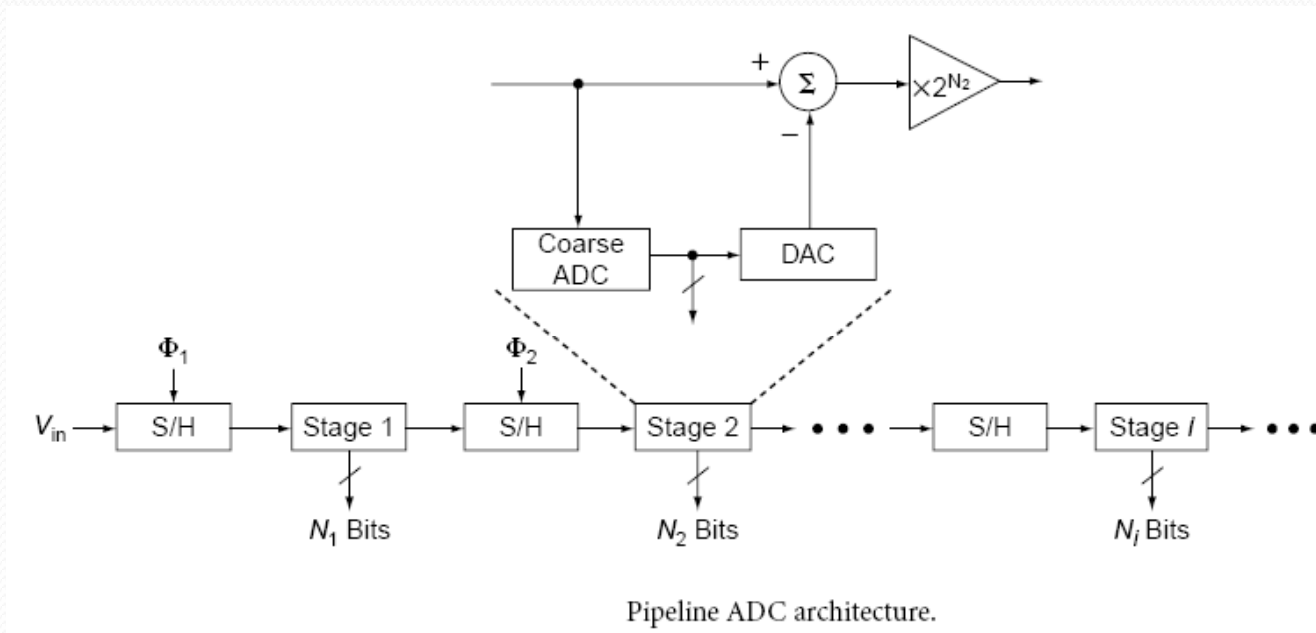
Basic circuit diagram of the successive approximation algorithm.

- The method uses one clock period for the S&H and one clock period for the determination of every bit
⇒ $(n + 1)$ clock intervals for an n -bit conversion

Pipeline (sub-ranging, half-flash) A/D Converter

- it reduces the number of bits to be converted into smaller groups, which are then run through a lower resolution flash converter.
- 100Msps at 8 to 14-bit resolutions
- compared to a flash converter, this approach reduces the number of comparators and logic complexity

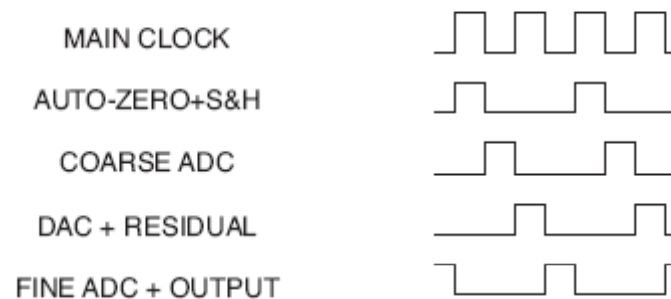
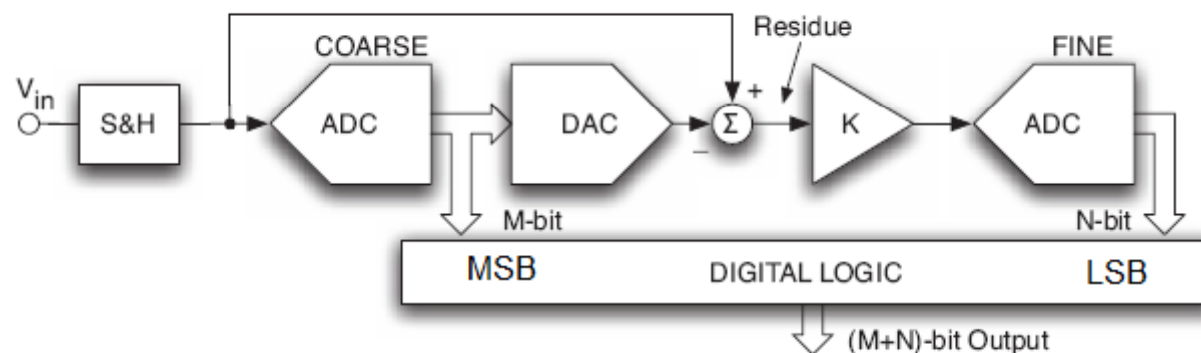




- each stage resolves a few bits quickly and transfers the residue to the following stage so that the residue can be resolved further in the subsequent stages
- on each stage a DAC converts the output of the coarse ADC back to analog and subtracts from the input. The residue is then amplified.

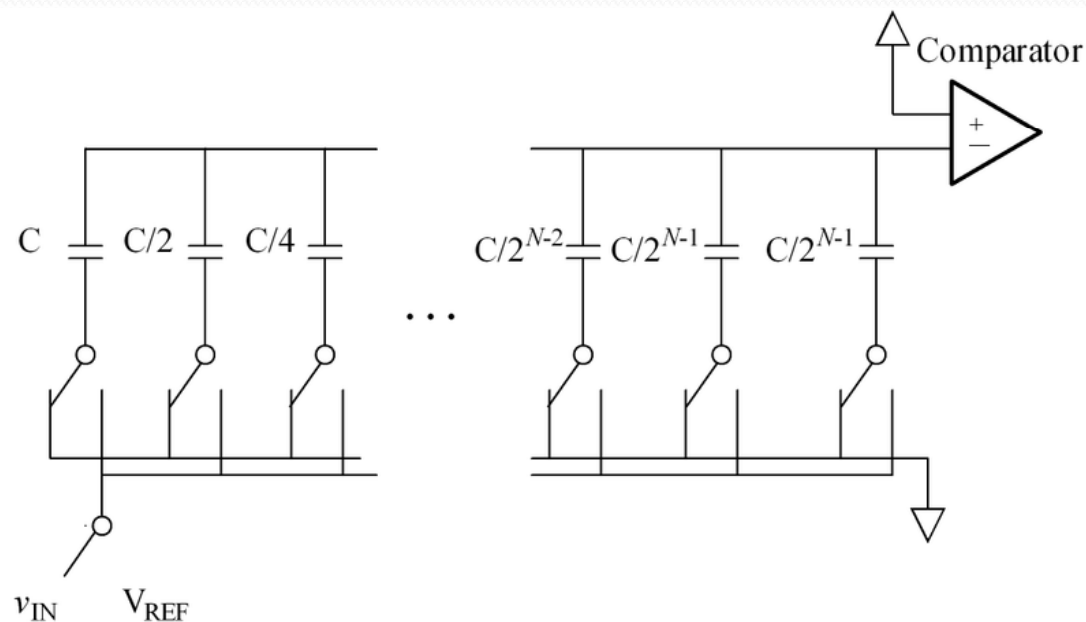
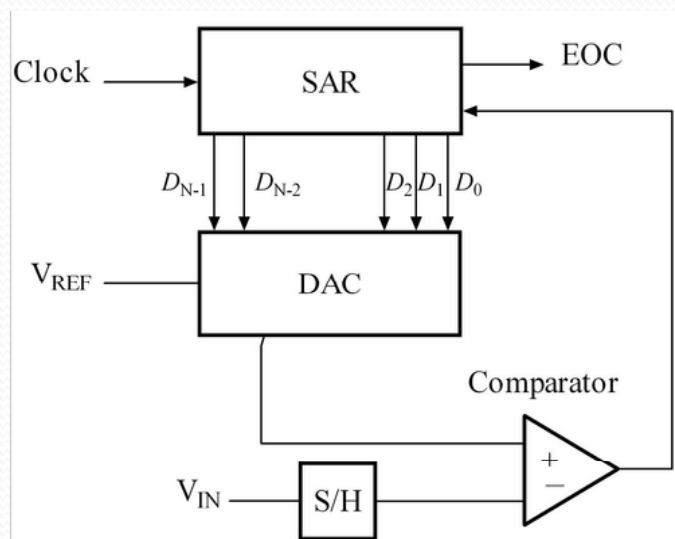
\Rightarrow latency time increases with number of stages K . Delay = $(K+1)$ clock cycles

two-step algorithm: two clock periods, one for converting the MSBs and the other for the LSBs.

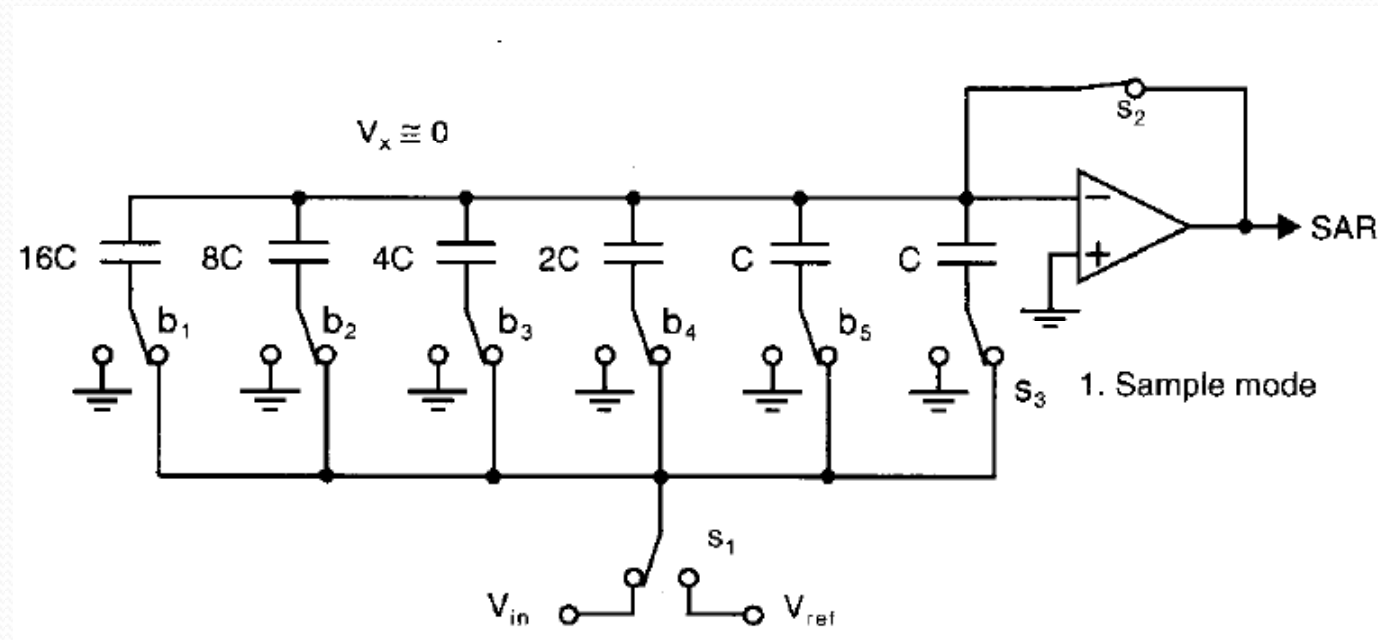


Block diagram of sub-ranging ($K=1$) and two-step architectures ($K>1$).

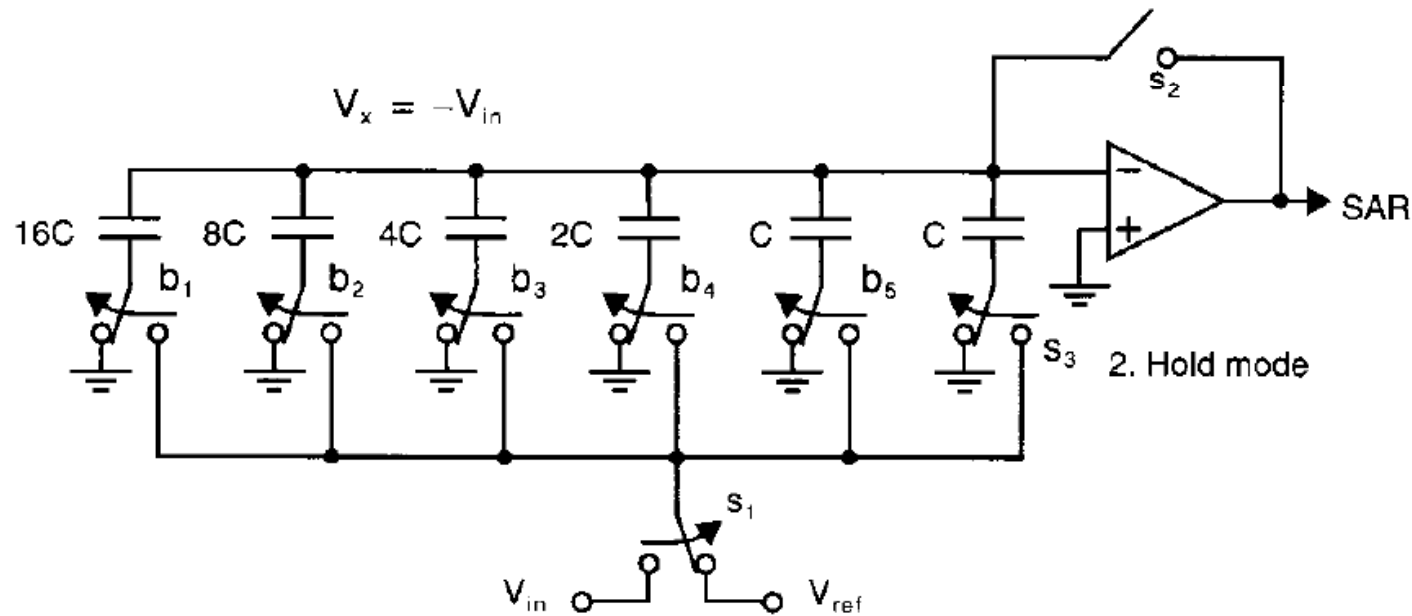
Charge-Redistribution Successive Approximation ADC



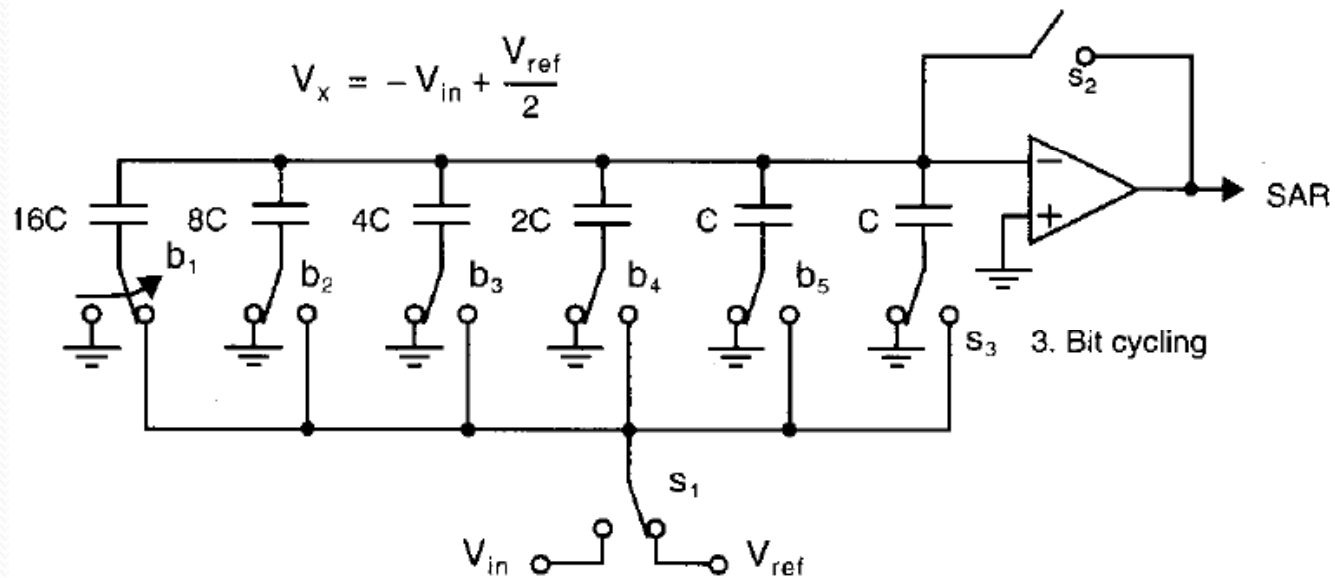
- Ex: 5-bit charge-redistribution A/D Converter



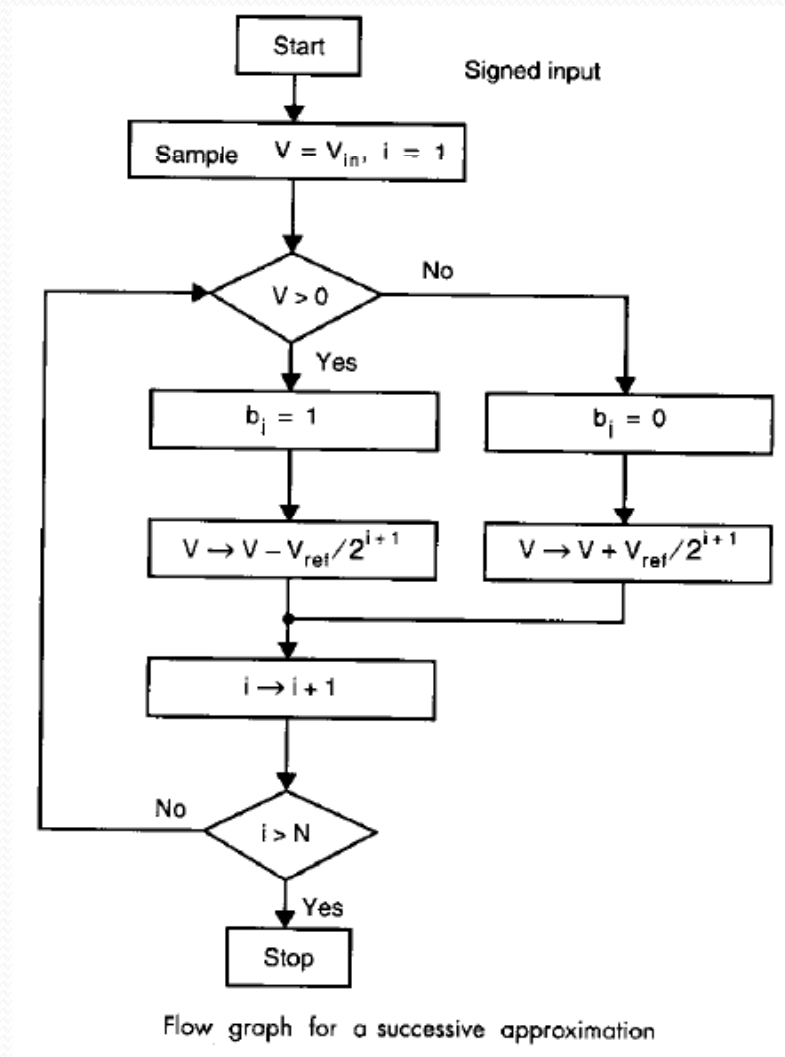
1. *Sample Mode*: in this first step, all capacitors are charged to V_{in}



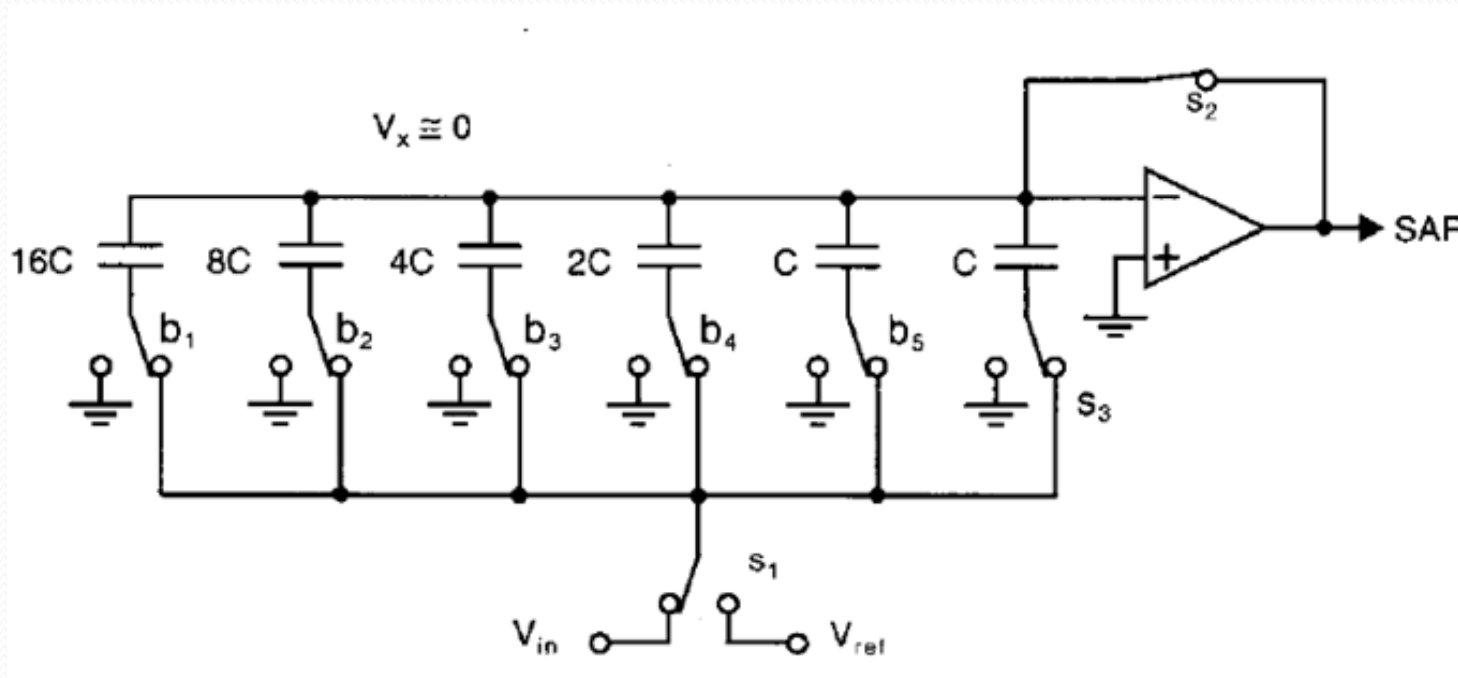
2. *Hold Mode*: The comparator is activated by opening S2, and then all capacitors are switched to ground $\Rightarrow V_x = -V_{in}$
 S1 is switched, so that VREF is applied to the capacitor array, during next step (bit cycling)



3. *Bit cycling*: The largest capacitor (16C in the example) is switched to VREF $\Rightarrow V_x = -V_{in} + V_{REF}/2$. If V_x is negative, then $V_{in} > V_{REF}/2$ and MSB capacitor (16C) remains connected to VREF, with b_1 considered now =1. Otherwise, the MSC capacitor is reconnected to ground and b_1 is taken as 0. This process is repeated N times, with a smaller capacitor being switched each time, until the conversion is finished.



Exercise: Find intermediate node voltages at V_x during the operation of the 5-bit DAC below, when $V_{in} = 1.23V$ and $V_{REF} = 5V$. Assume a parasitic capacitance of $8C$ exists on the node at V_x .

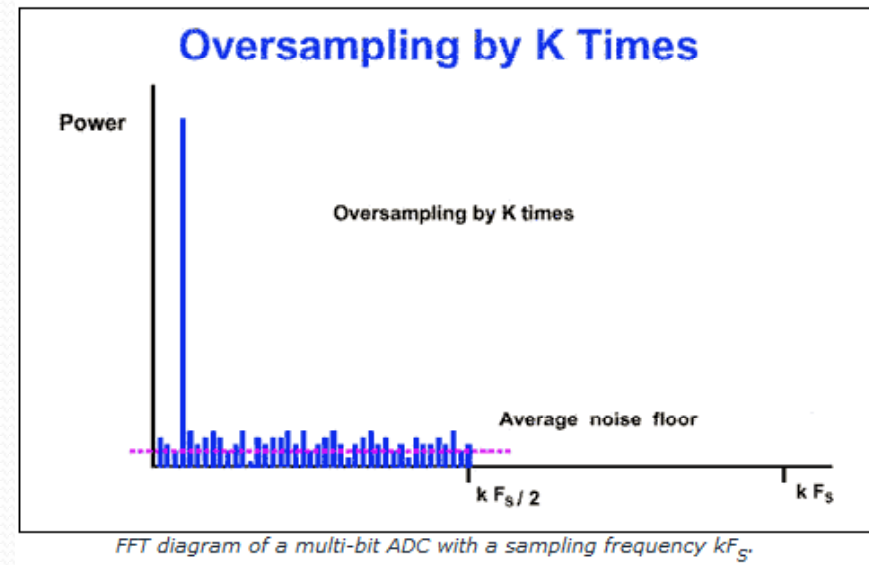
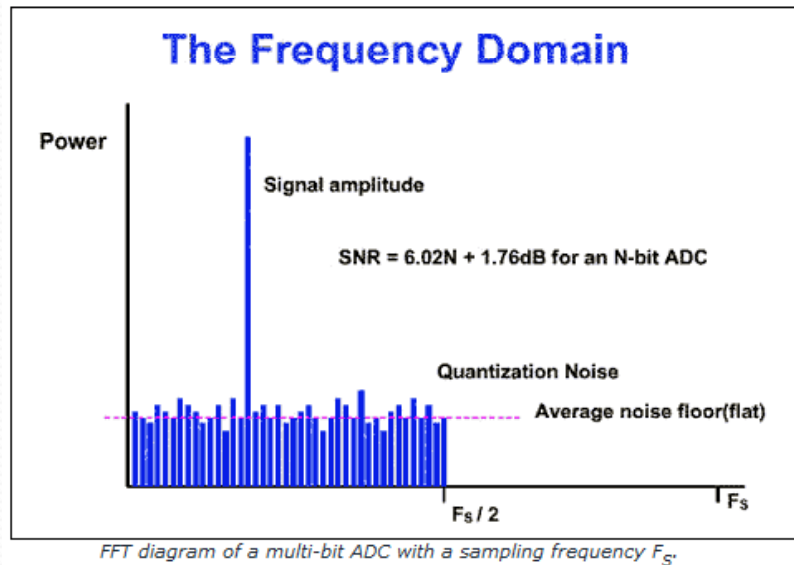


Σ - Δ A/D Converters

- Applications:
 - High-resolution needed applications;
 - Audio, video, medical applications and so forth.



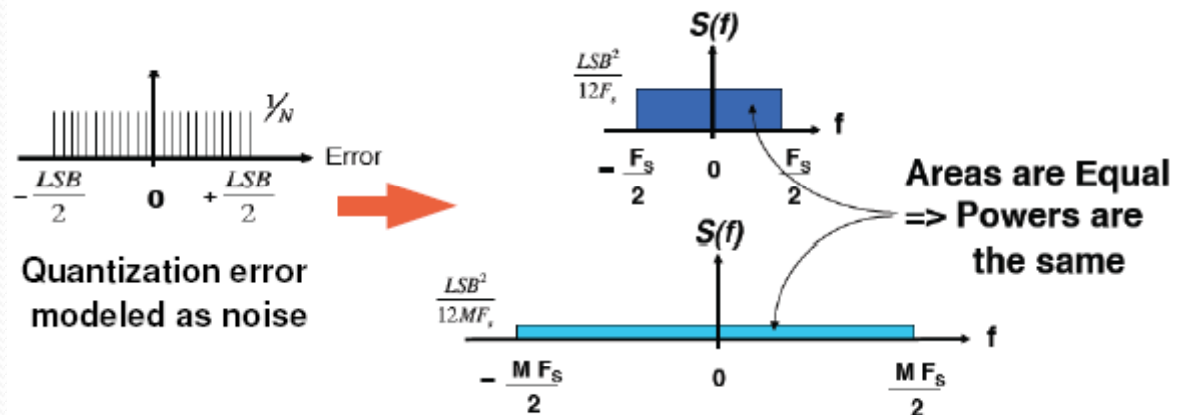
- Nyquist rate $f_N = 2B$
- Oversampling rate $M = f_s/f_N \gg 1$



noise energy spread over a wider frequency range

$$\text{SNR} = 6.02N + 1.76\text{dB}$$

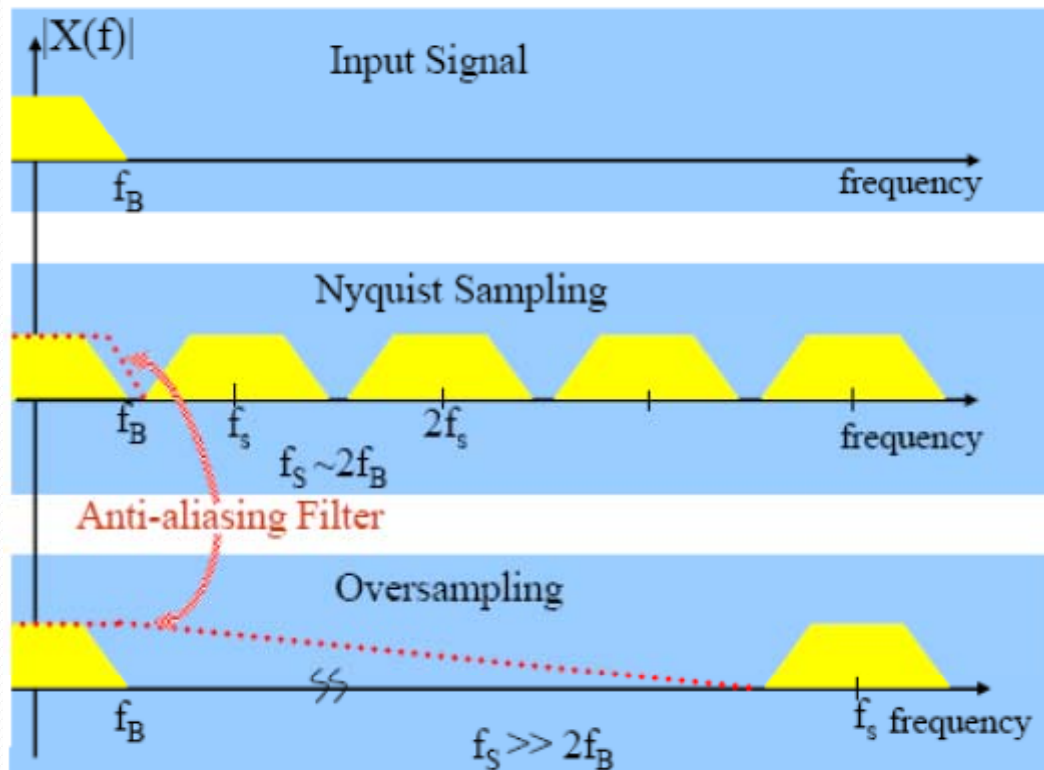
Oversampling

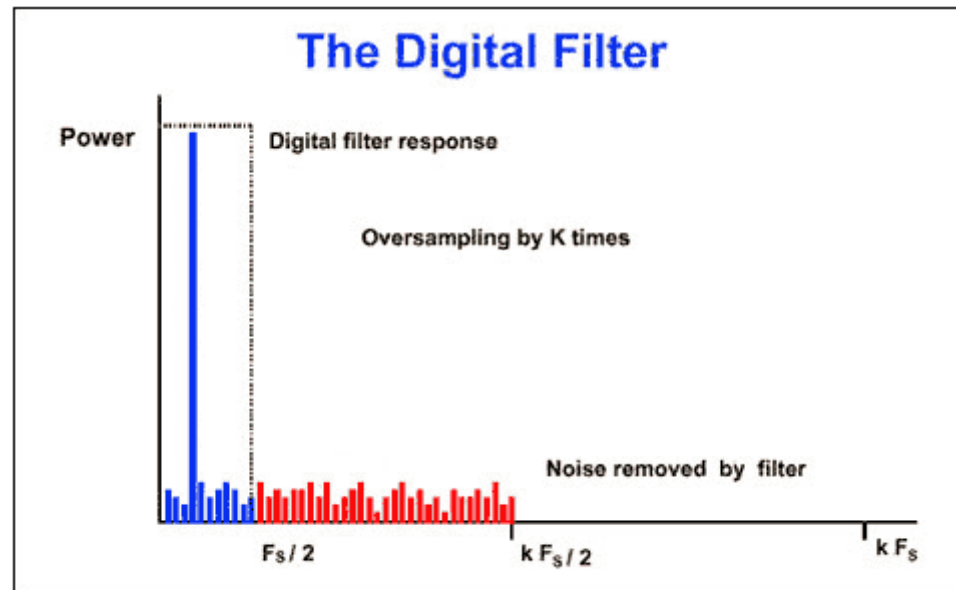


$$M = \frac{F_s/2}{f_{3dB}} : \text{Oversampling Ratio (OSR)}$$

Anti-aliasing Filter

Relaxed requirements with oversampling





Effect of the digital filter on the noise bandwidth.

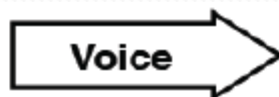
- each factor-of-4 oversampling increases the SNR by 6dB, and each 6dB increase is equivalent to gaining one bit.
- A 1-bit ADC with 24x oversampling achieves a resolution of four bits
- to achieve 16-bit resolution, one must oversample by a factor of 4^{15} , which is not realizable \Rightarrow **noise shaping technique**

without noise shaping:

$$SNR = 6.02N + 1.76 + 10\log(OSR) \quad \text{dB}$$

4x OSR \rightarrow 1bit resolution

13 Bits @ 8 kHz



1 Bits @ 134 GHz

13 Bits @ 300 kHz



1 Bits @ 5 THz

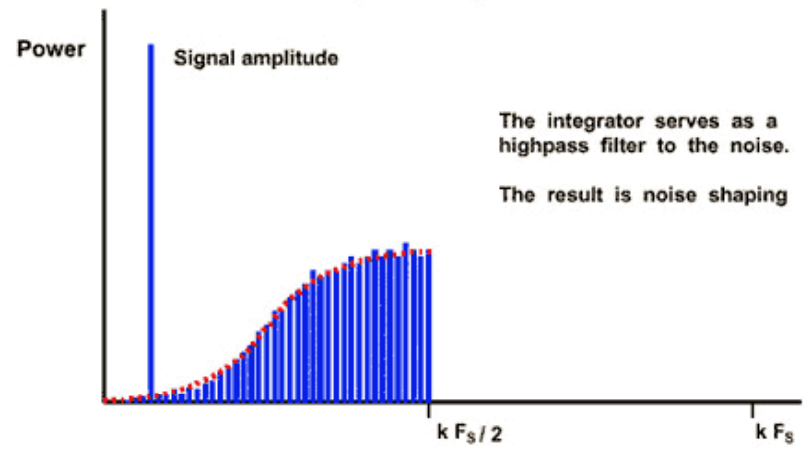
16 Bits @ 40 kHz



1 Bits @ 172 THz

1 bit improves ADC linearity but sampling frequency will be huge !!!

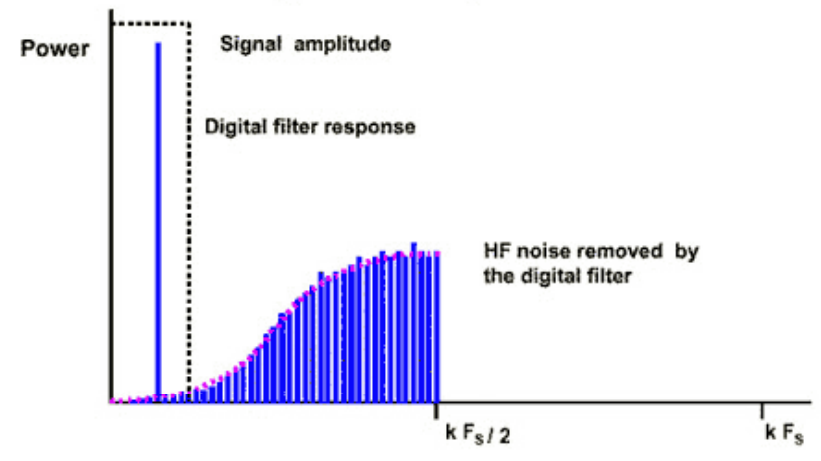
Noise Shaped Spectrum



The integrator serves as a highpass filter to the noise.
The result is noise shaping

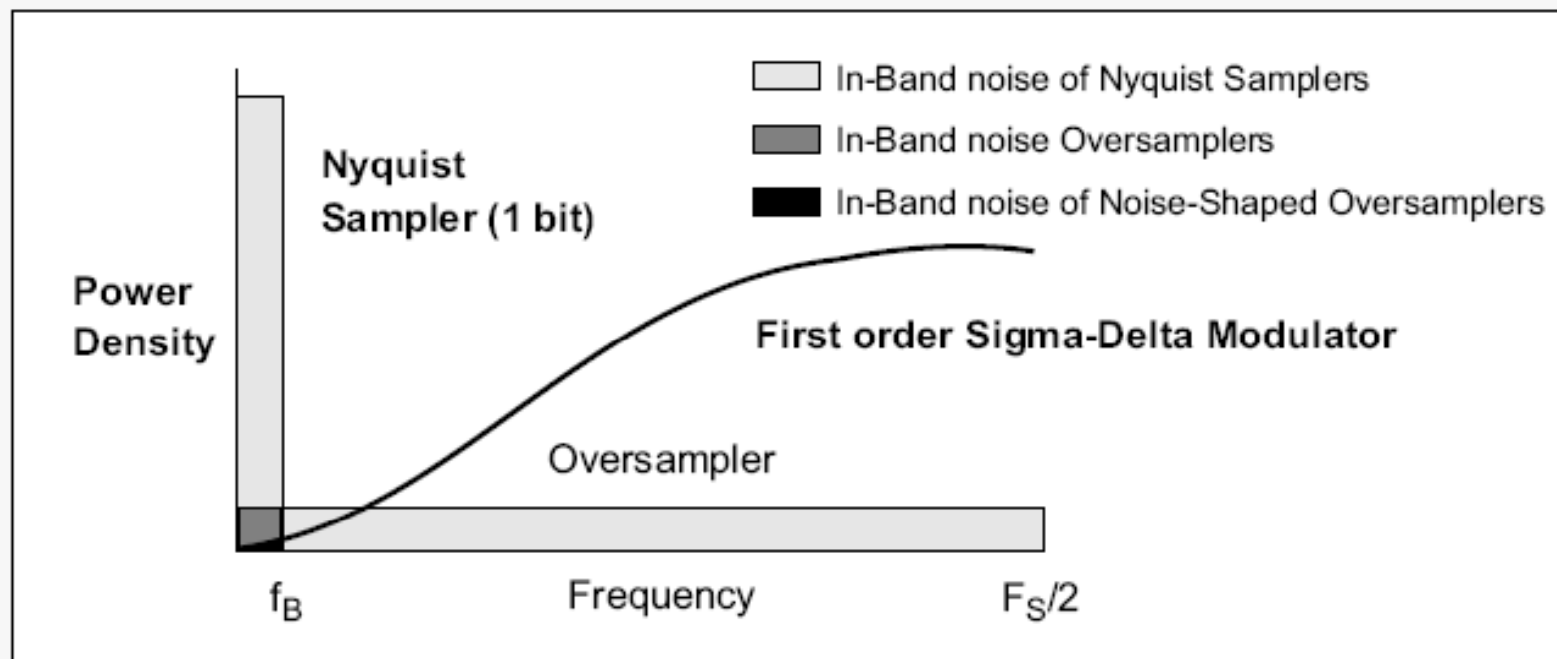
Affect of the integrator in the sigma-delta modulator.

Filtering the Shaped Noise



HF noise removed by the digital filter

Effect of the digital filter on the shaped noise.



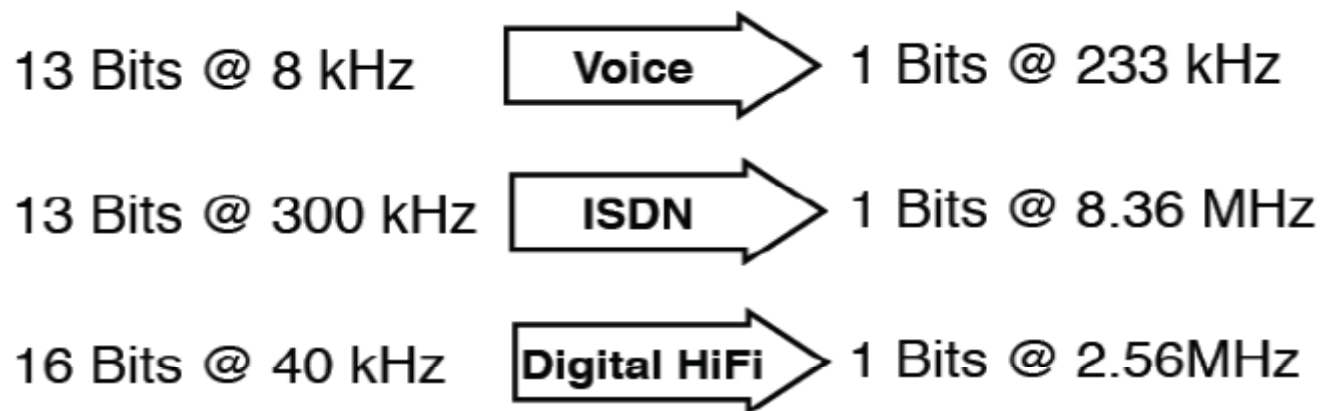
Spectrum of a First-Order Sigma-Delta Noise Shaper

with noise shaping (first-order loop):

$$SNR = 6.02N + 1.76 - 5.17 + 9.03 \log_2(OSR) \quad \text{dB}$$

$$SNR = 6.02N + 1.76 - 5.17 + 30 \log_{10}(OSR) \quad \text{dB}$$

2x OSR \rightarrow 1.5bit resolution

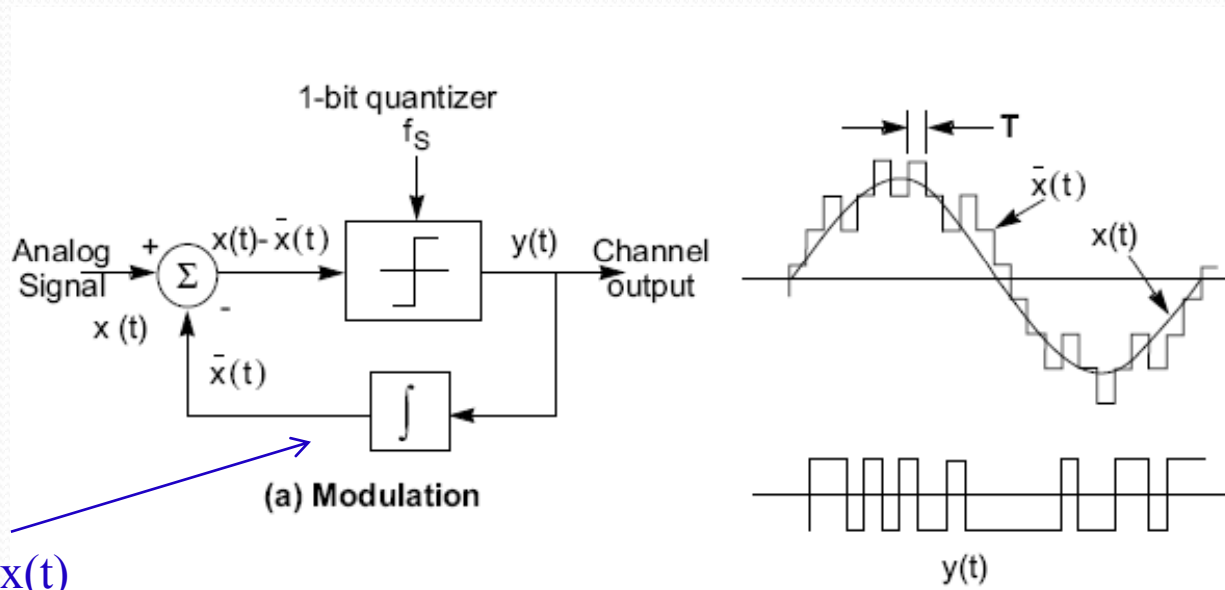


summary:

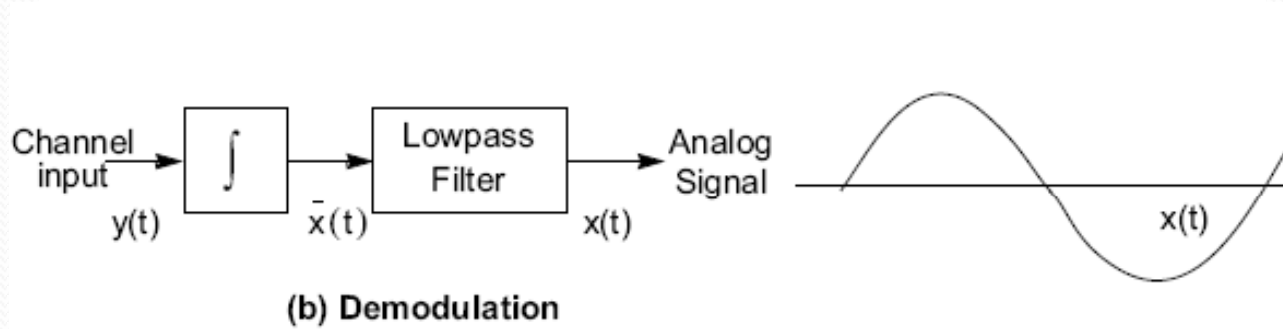
Why $\Sigma\Delta$?


- Quantization Noise reduction in baseband.
- High-resolution.
- Anti-aliasing filter relaxing.
- Analog blocks flexibility.

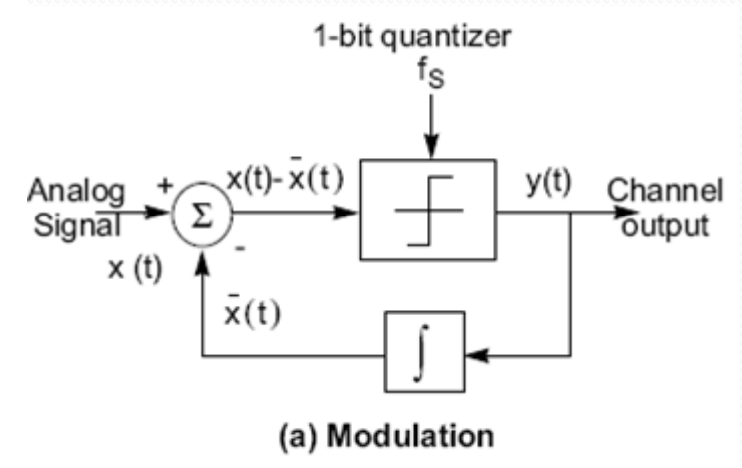
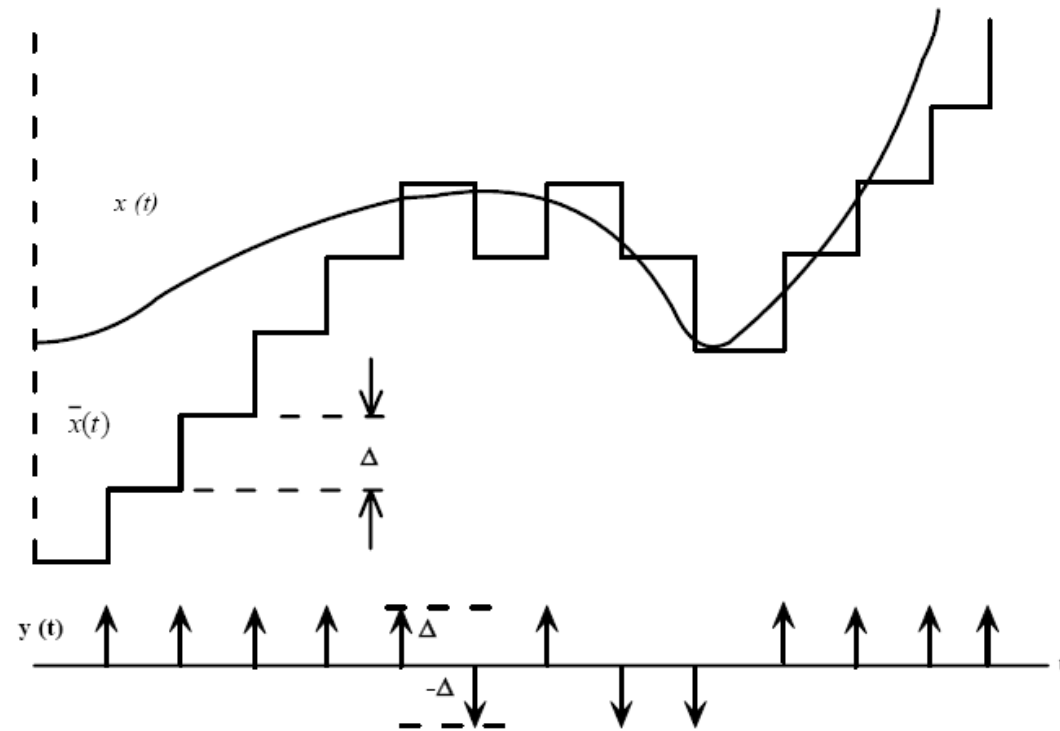
Delta modulation and demodulation



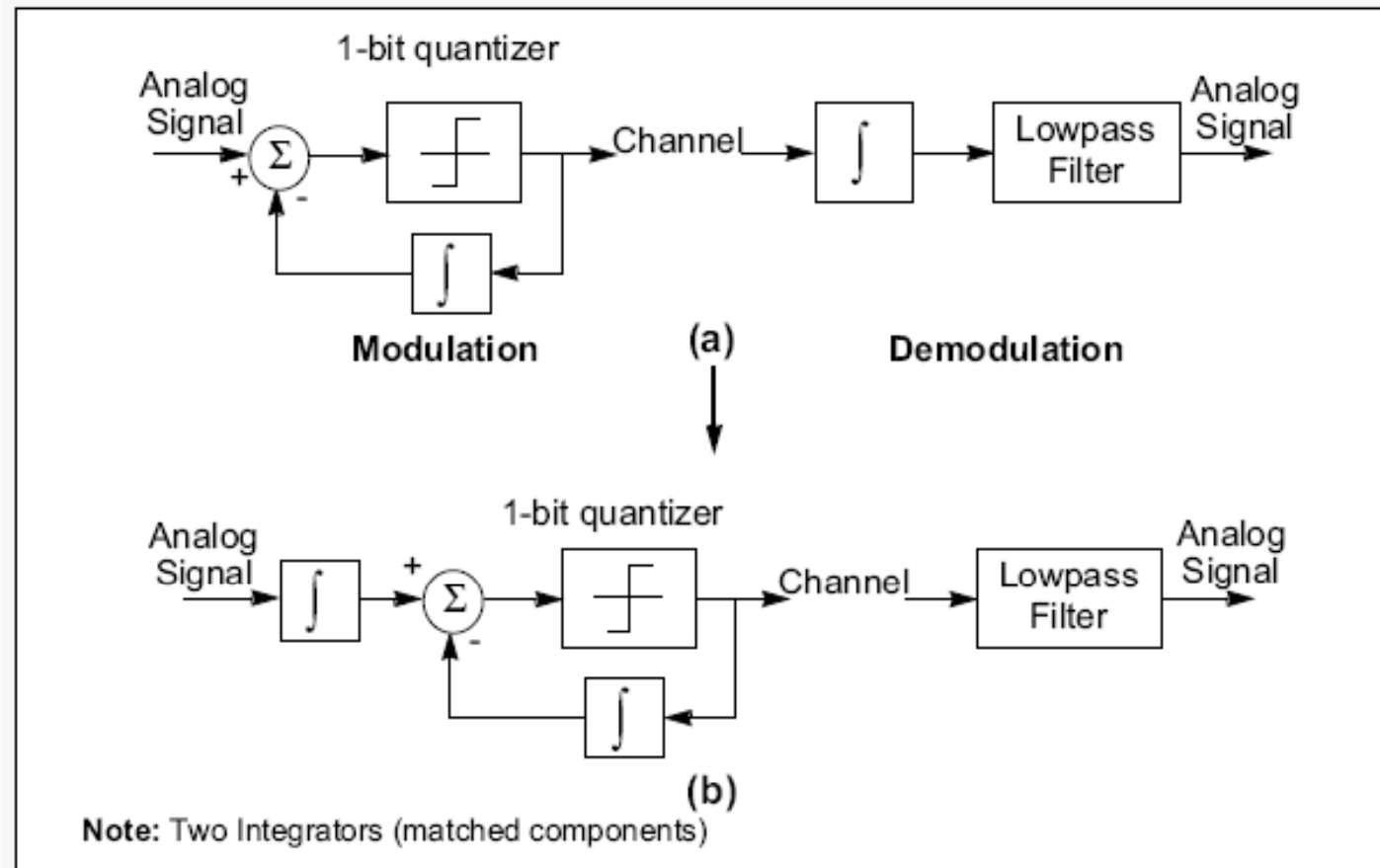
Predictor of $x(t)$



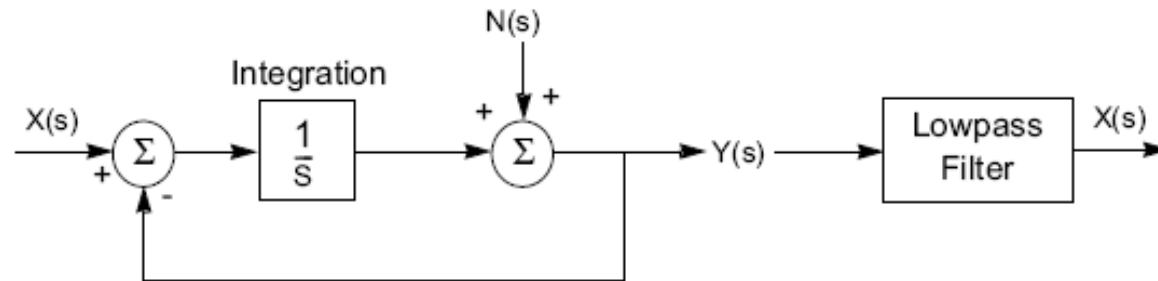
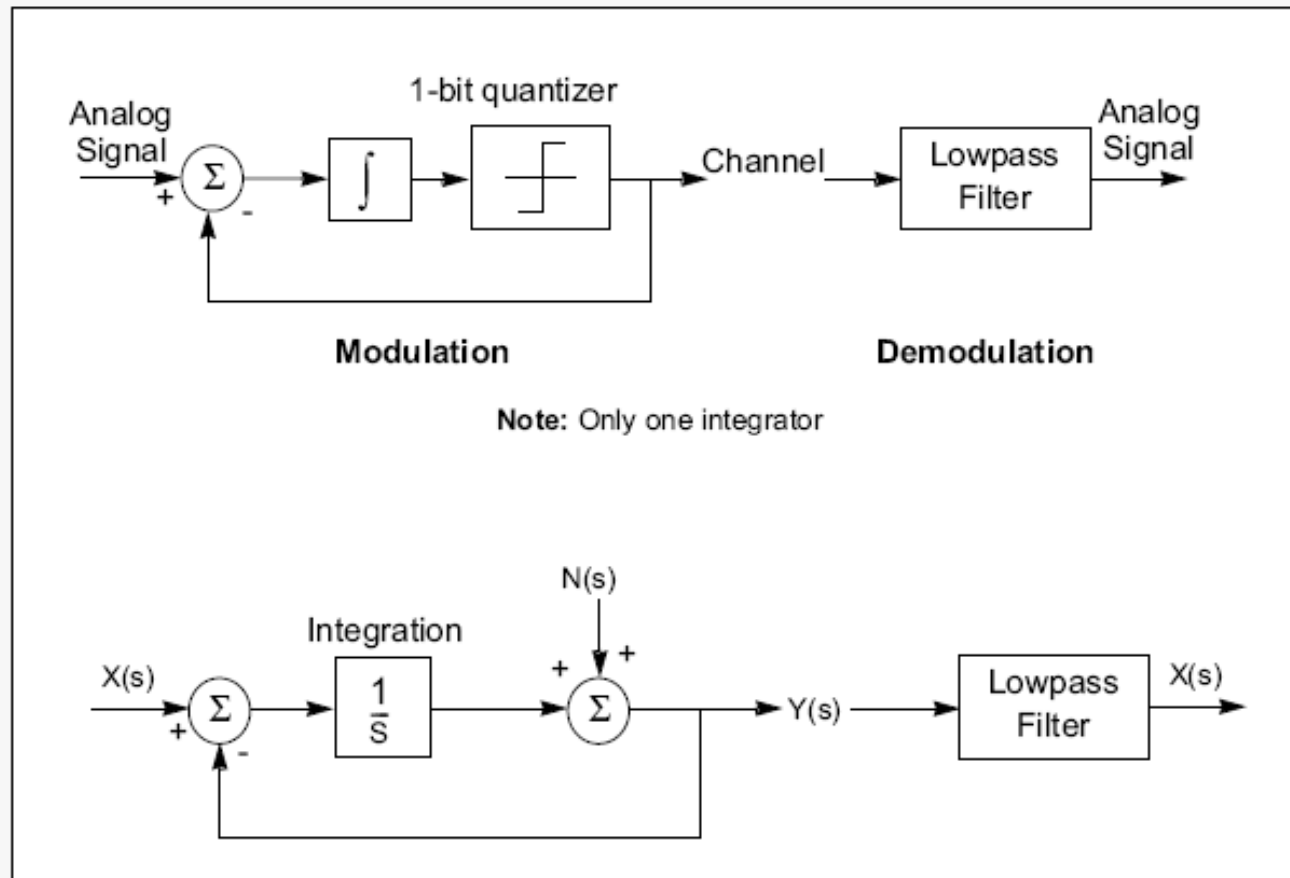
- 
- Delta modulation is based on quantizing the signal amplitude change from sample to sample rather its absolute value (rate of change)
 - since the integrator output tries to predict the input $x(t)$, the integrator works as a predictor.
 - prediction-error term $x(t) - \overline{x}(t)$ is quantized and used to make the next prediction.
 - prediction error (delta modulation output) is integrated in the receiver just as it is in the feedback loop \Rightarrow receiver predicts the input signals



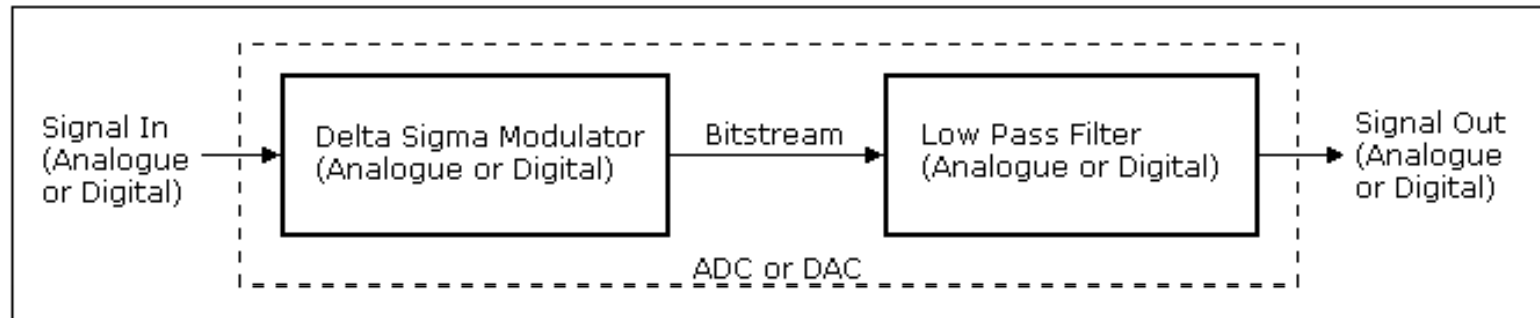
Σ - Δ modulation



Derivation of Sigma-Delta Modulation from Delta Modulation

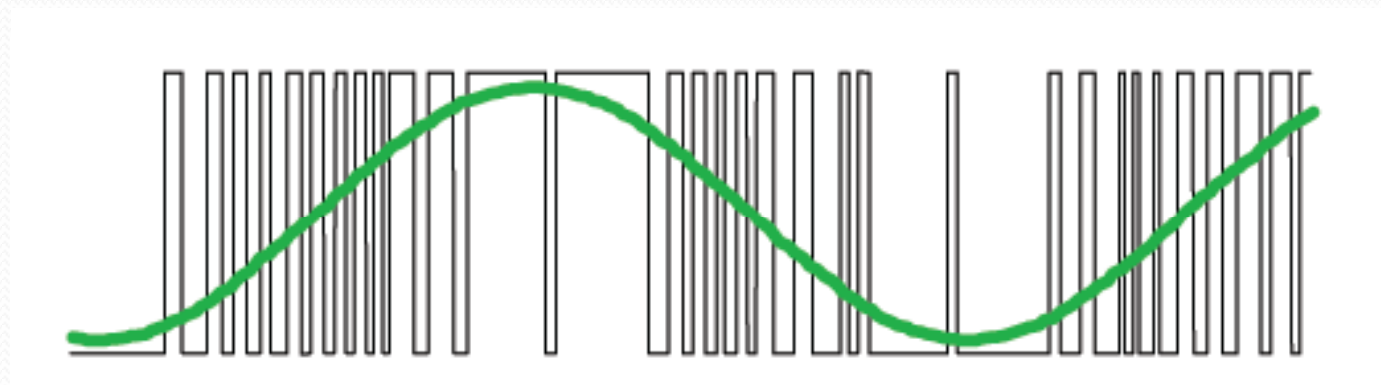


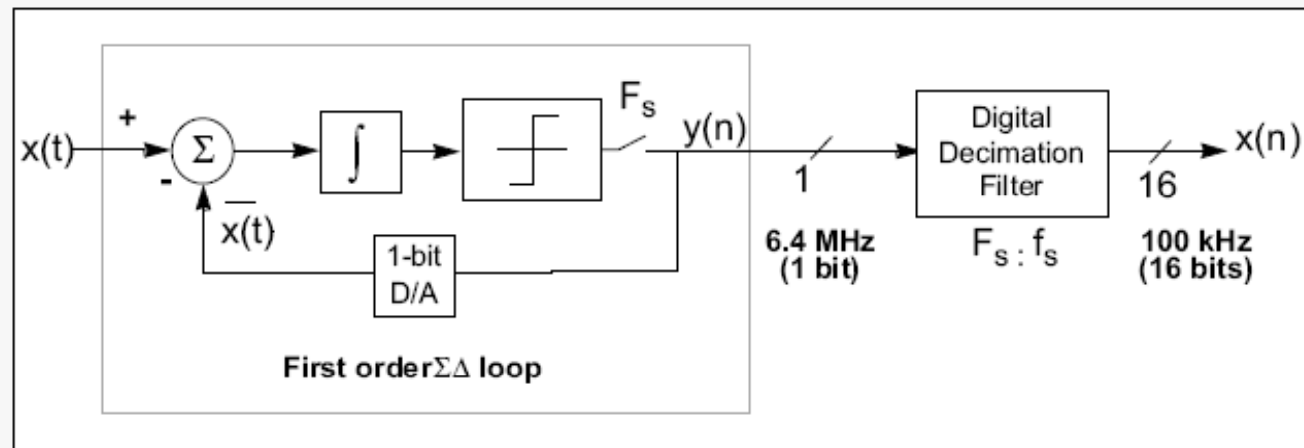
Block Diagram of Signa-Delta Modulation



Block Diagram of a Delta Sigma Converter

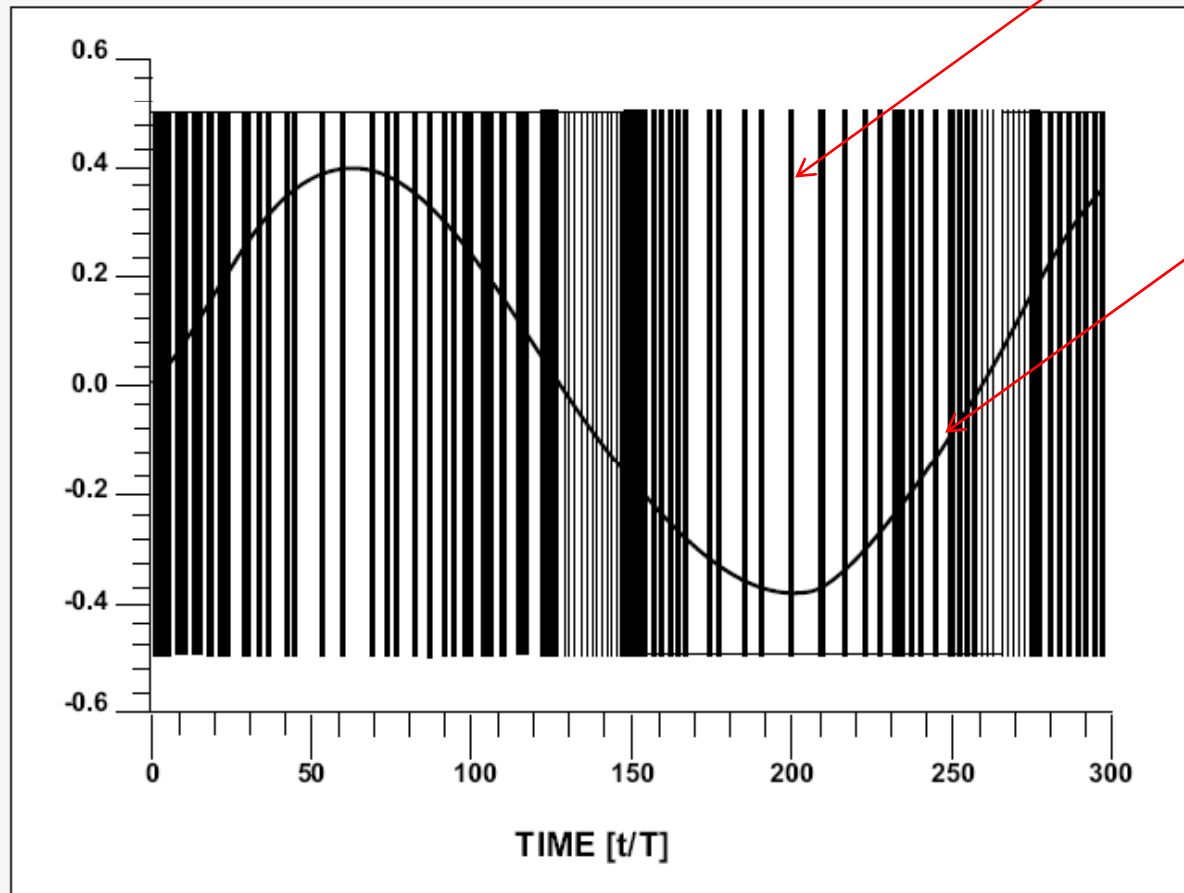
- The bitstream is a one-bit serial signal with a very high bit rate. Its major property is that **its average level represents the average input signal level.**





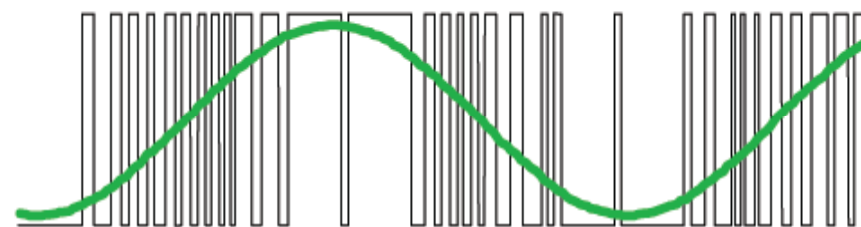
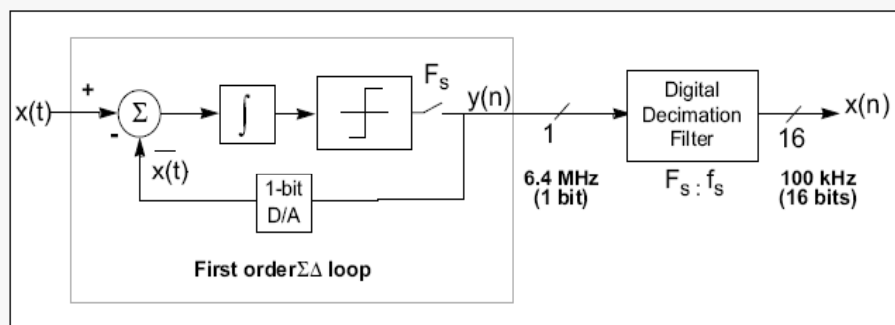
Block Diagram of First-Order Sigma-Delta A/D converter

- the term Sigma-Delta comes from putting the integrator (sigma) in front of the delta modulator. Σ - Δ modulator produces a bitstream, **whose average level represents the input signal level.**
- input to the integrator is the difference between the input signal $x(t)$ and the quantized output value $y(n)$, converted back to the predicted analog signal, $\bar{x}(t)$.
- difference $x(t) - \bar{x}(t)$ at the integrator input is equal to the quantization error.
- error is summed up in the integrator and then quantized by the 1-bit ADC

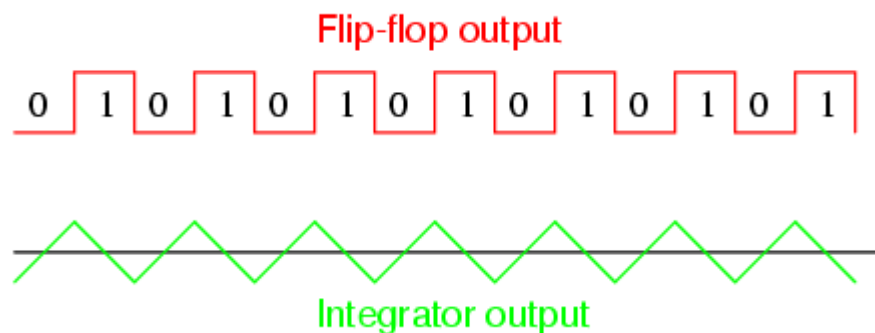


Input and Output of a First-Order Sigma-Delta Modulator

- in each clock cycle, output of the modulator is either plus or minus full scale, according to the results of the 1-bit A/D conversion
- when the sinusoidal $x(t)$ is close to a plus full scale, the output is positive during most clock cycles. Conversely, when $x(t)$ is close to minus full scale, output is mostly negative. In both cases, the local average of the modulator output tracks the analog input.
- When $x(t)$ is near zero, the modulator output varies rapidly between a plus and a minus full scale with approximately zero mean.

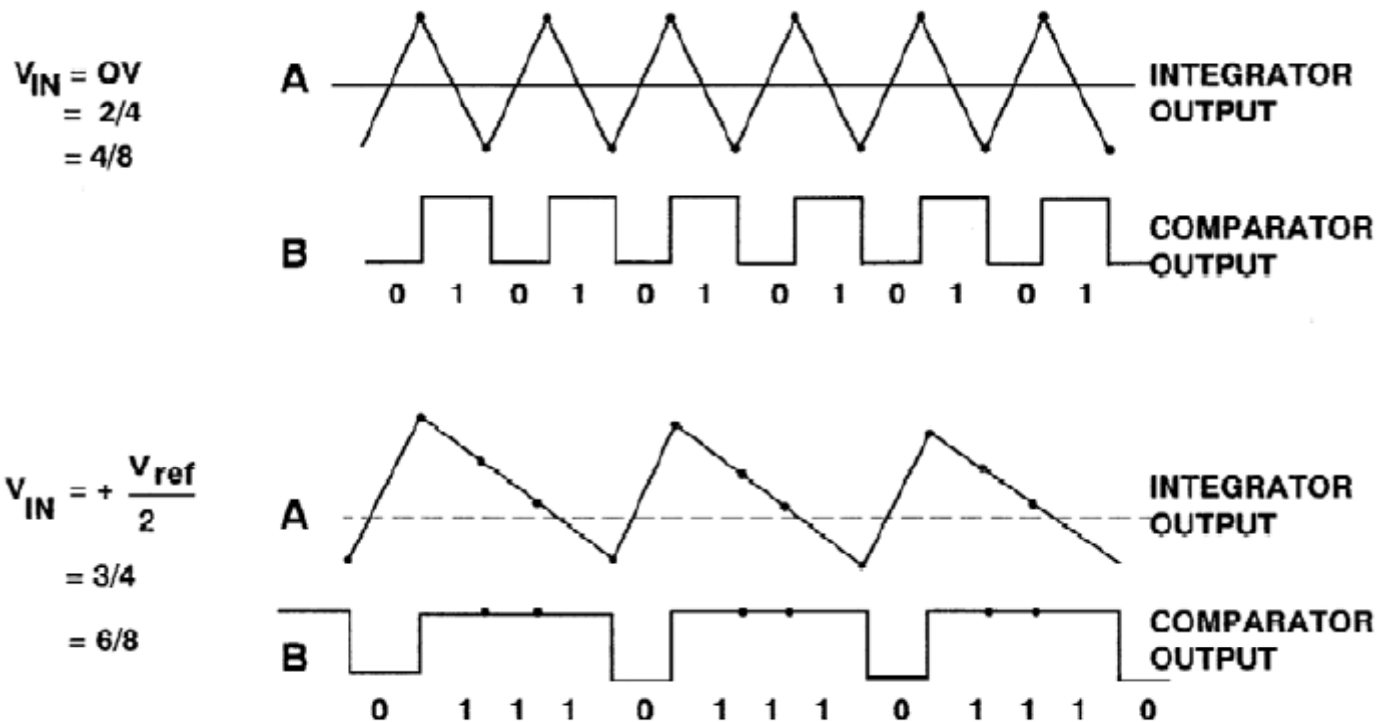


*$\Delta\Sigma$ converter operation with
0 volt analog input*

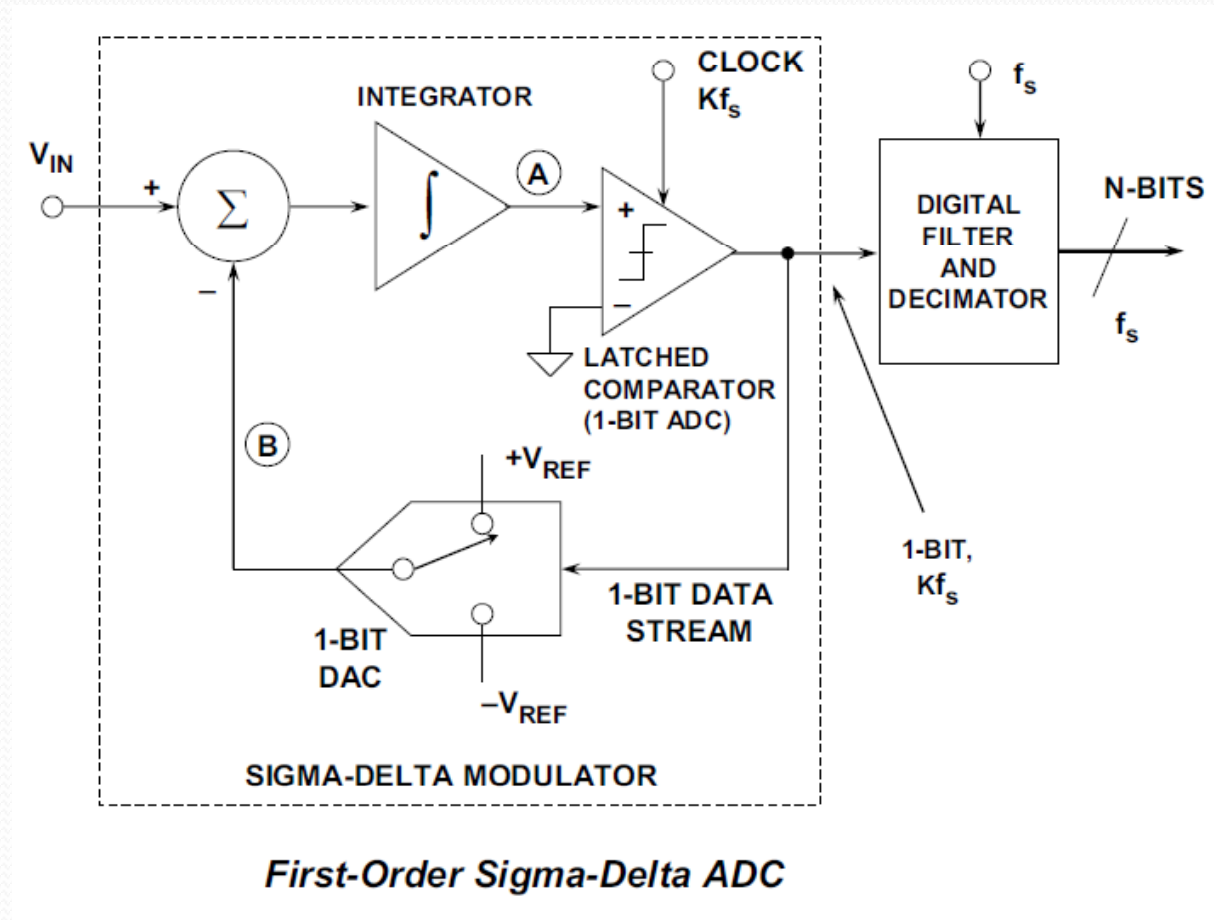


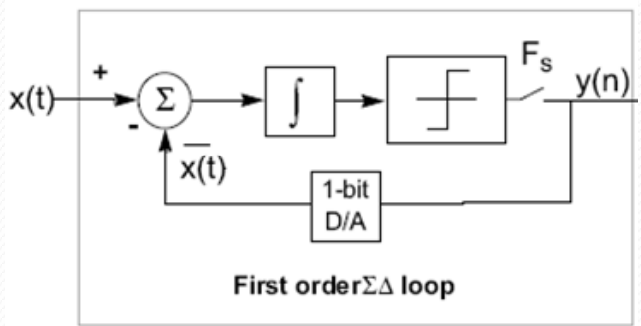
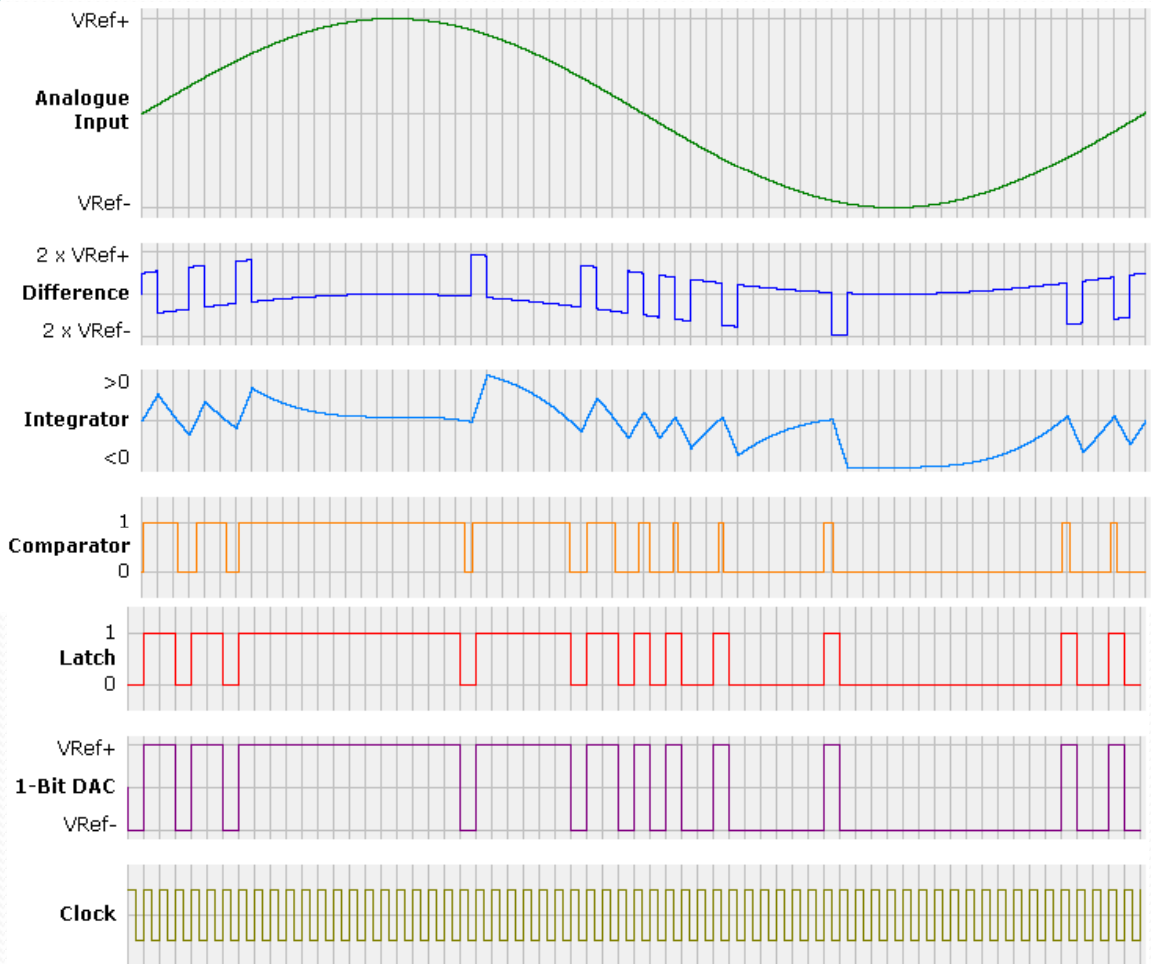
- if the analog input is 0V (ac), the integrator will have no tendency to ramp either positive or negative, except in response to the feedback voltage

⇒ FF output will continually oscillate between "high" and "low," as the feedback system goes back and forth, trying to maintain the integrator output at 0V.

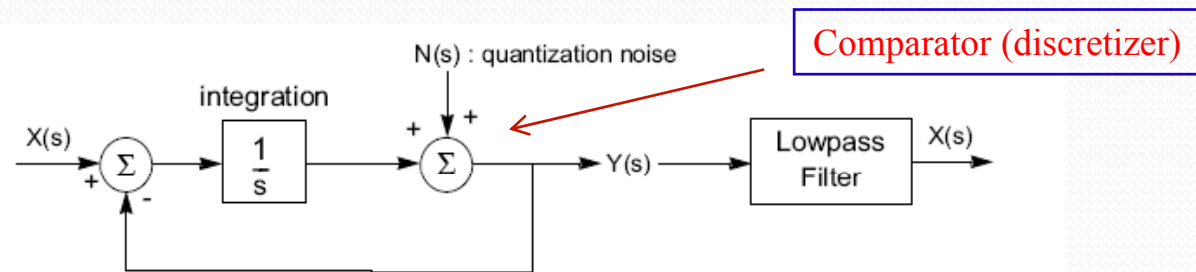


- averaging 4 samples gives 2 bits of resolution
- averaging 8 samples gives 3 bits of resolution





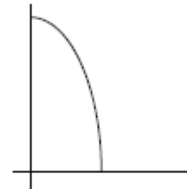
Signals within a First Order Analogue Modulator



Signal Transfer Function:
(when $N(s) = 0$)

$$Y(s) = [X(s) - Y(s)] \frac{1}{s}$$

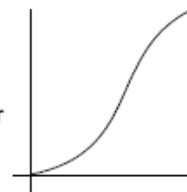
$$\frac{Y(s)}{X(s)} = \frac{\frac{1}{s}}{1 + \frac{1}{s}} = \frac{1}{s+1} \quad \text{: lowpass filter}$$



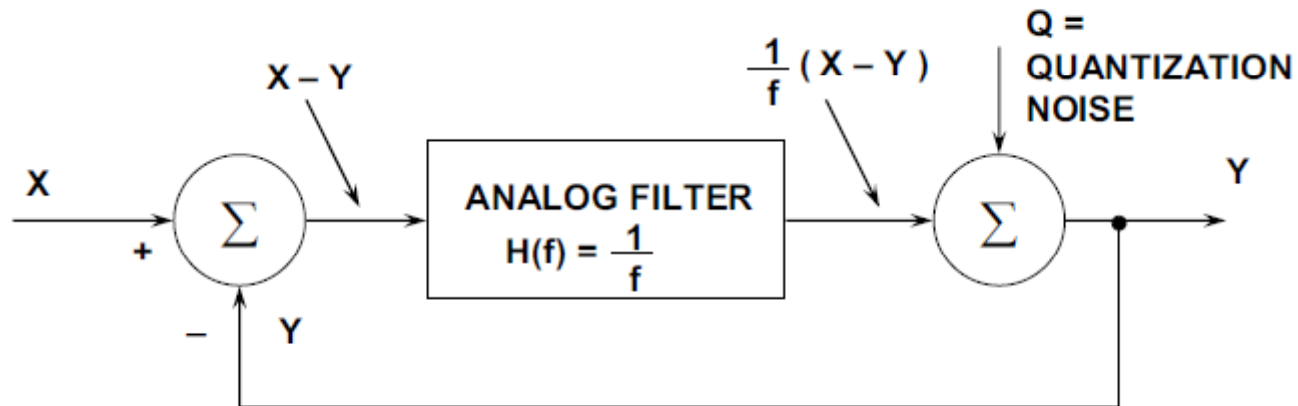
Noise Transfer Function:
(when $X(s) = 0$)

$$Y(s) = -Y(s) \frac{1}{s} + N(s)$$

$$\frac{Y(s)}{N(s)} = \frac{1}{1 + \frac{1}{s}} = \frac{s}{s+1} \quad \text{: highpass filter}$$



- loop integrates the error between the sampled signal and the input signal
 - signal is low-passed and noise is high-passed
- ⇒ the signal is left unchanged as long as its bandwidth doesn't exceed the filter's cutoff frequency, but the Σ - Δ loop pushes the noise into higher frequencies



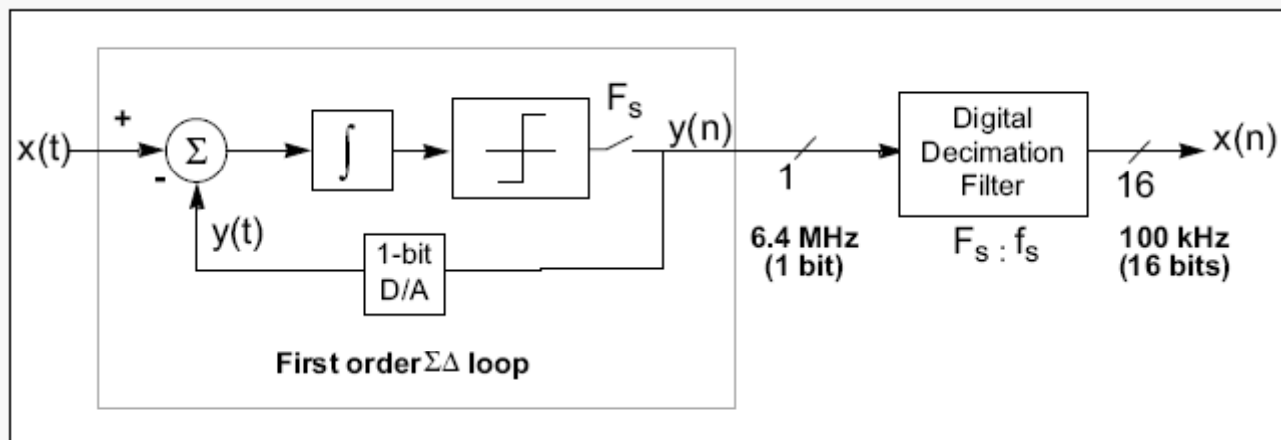
$$Y = \frac{1}{f}(X - Y) + Q$$

REARRANGING, SOLVING FOR Y:

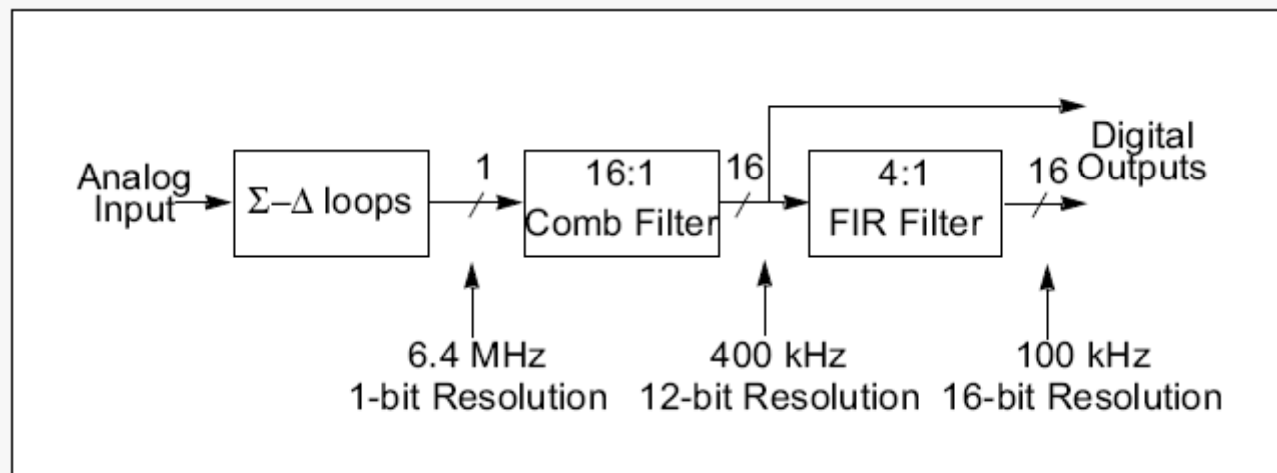
$$Y = \frac{X}{f+1} + \frac{Qf}{f+1}$$

SIGNAL TERM

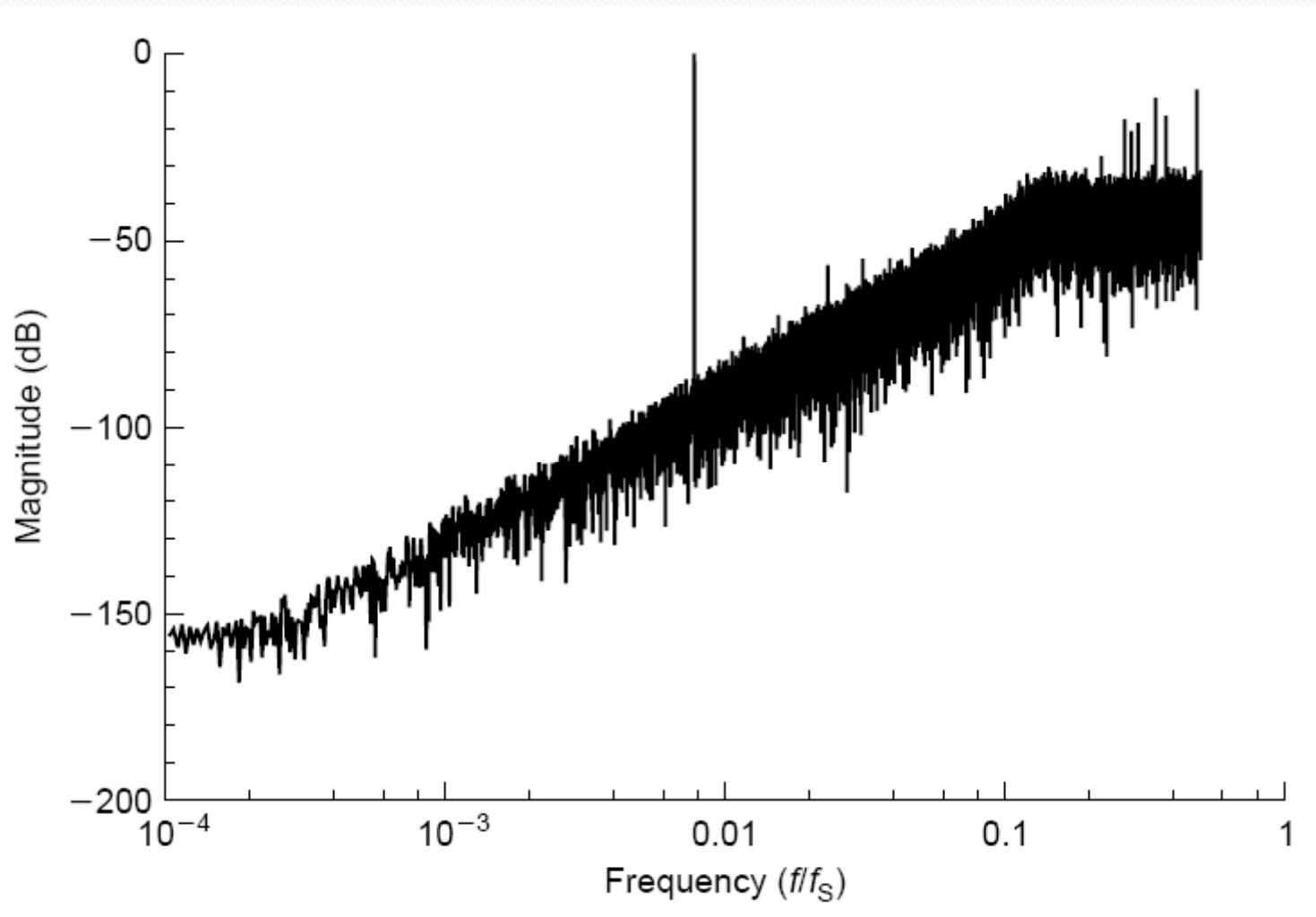
NOISE TERM

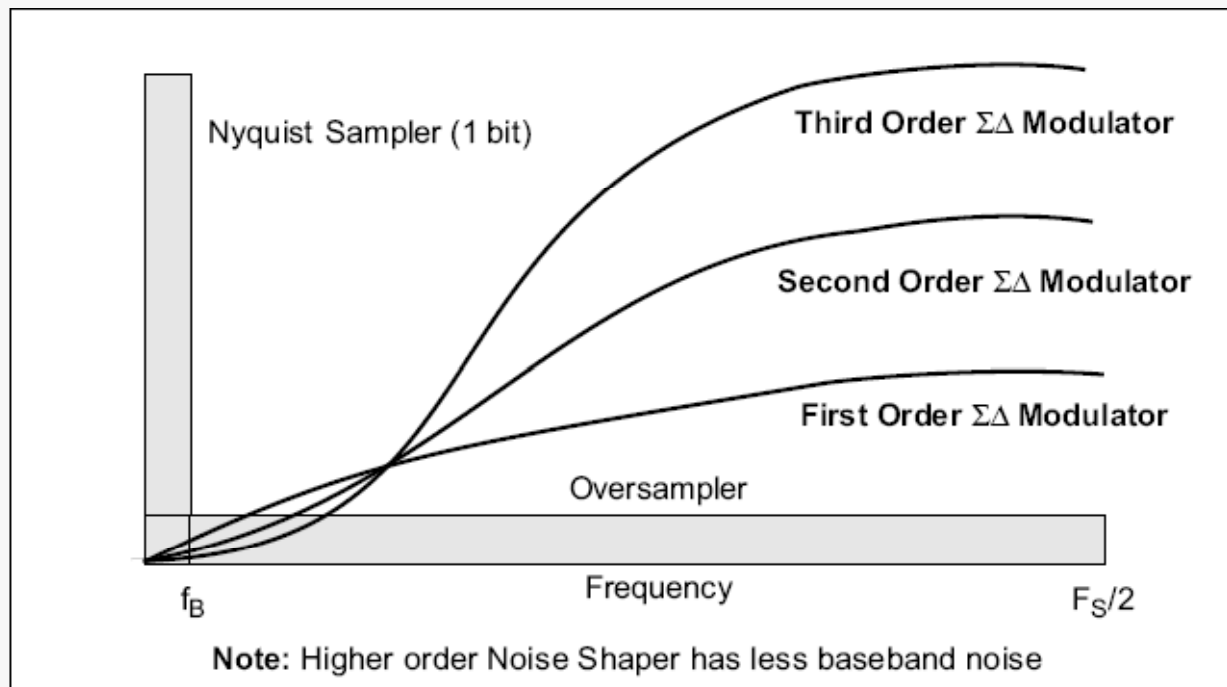


Block Diagram of First-Order Sigma-Delta A/D converter



Digital Decimation Process

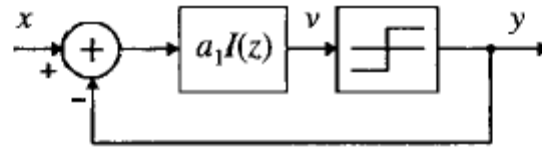




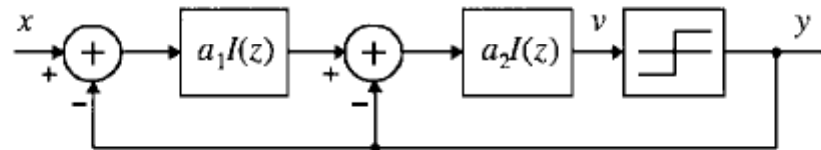
Multi-Order Sigma-Delta Noise Shapers

$$SNR = \frac{3\pi}{2} A_x^2 (2L + 1)(2B - 1)^2 \left(\frac{OVR}{\pi} \right)^{2L+1}$$

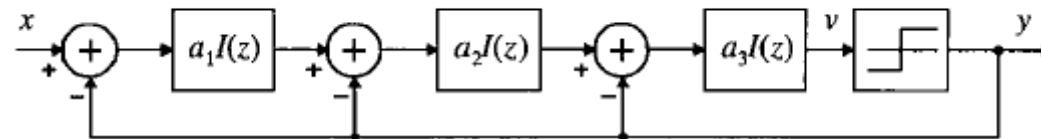
- L : loop order
- B: no. of bits in discriminator
- $A_x = 2^B - 1$



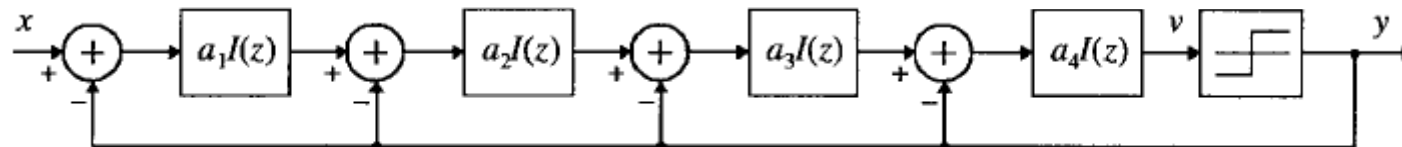
First-order $\Delta\Sigma$ modulator block diagram.



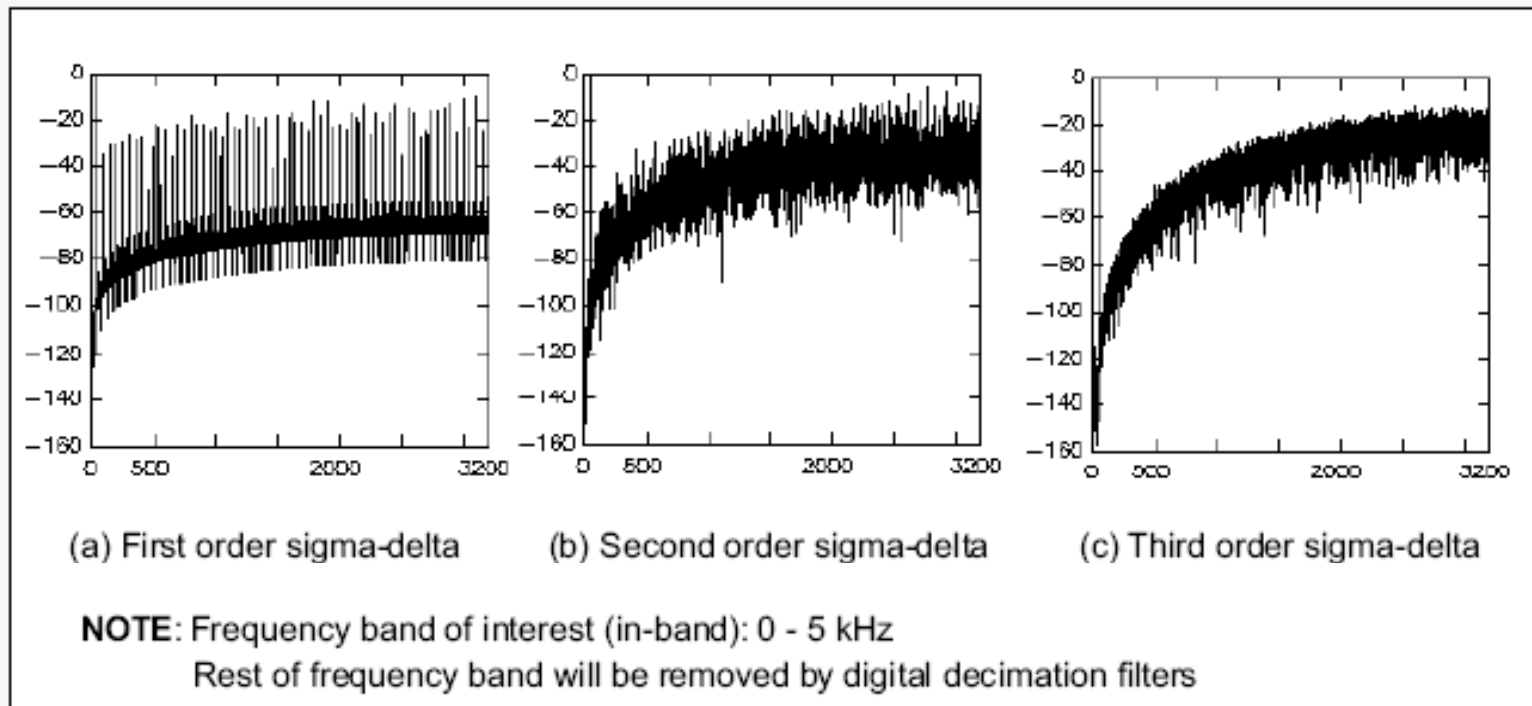
Second-order $\Delta\Sigma$ modulator block diagram.



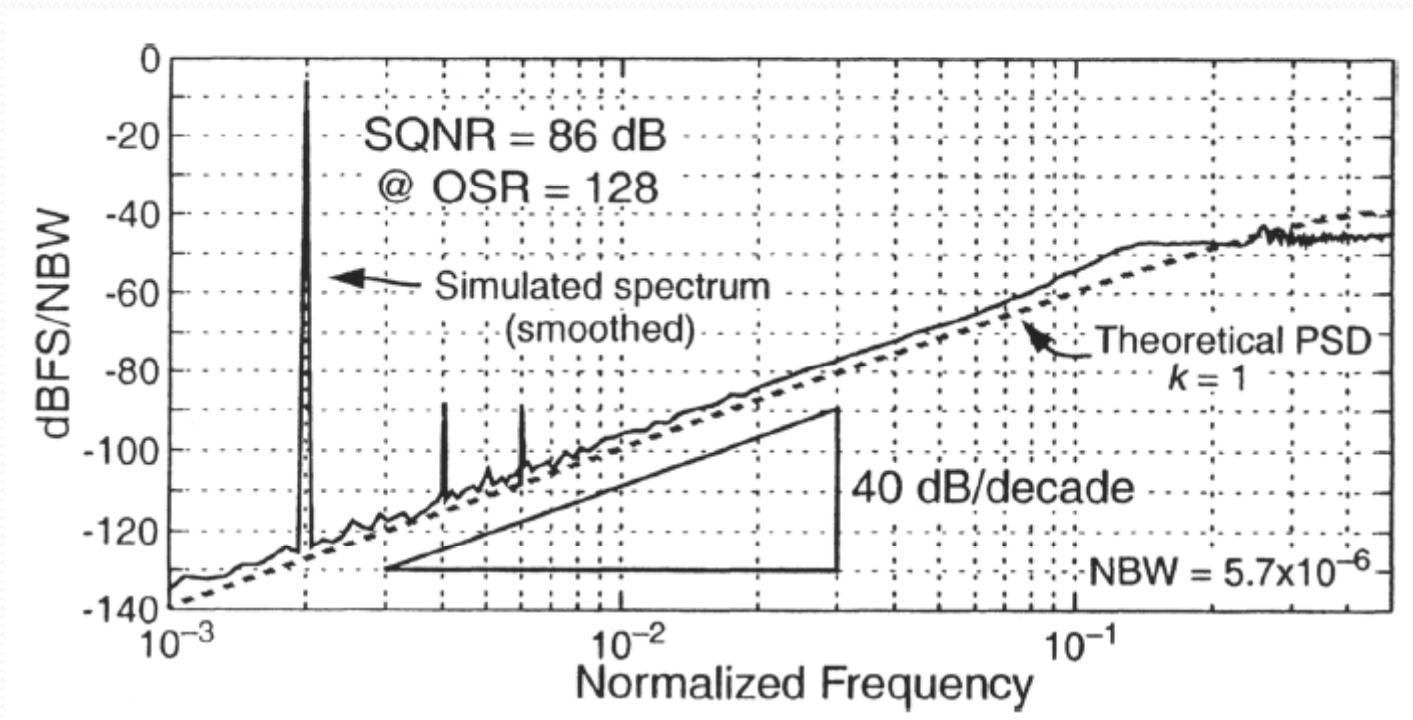
Third-order $\Delta\Sigma$ modulator block diagram.



Fourth-order $\Delta\Sigma$ modulator block diagram.

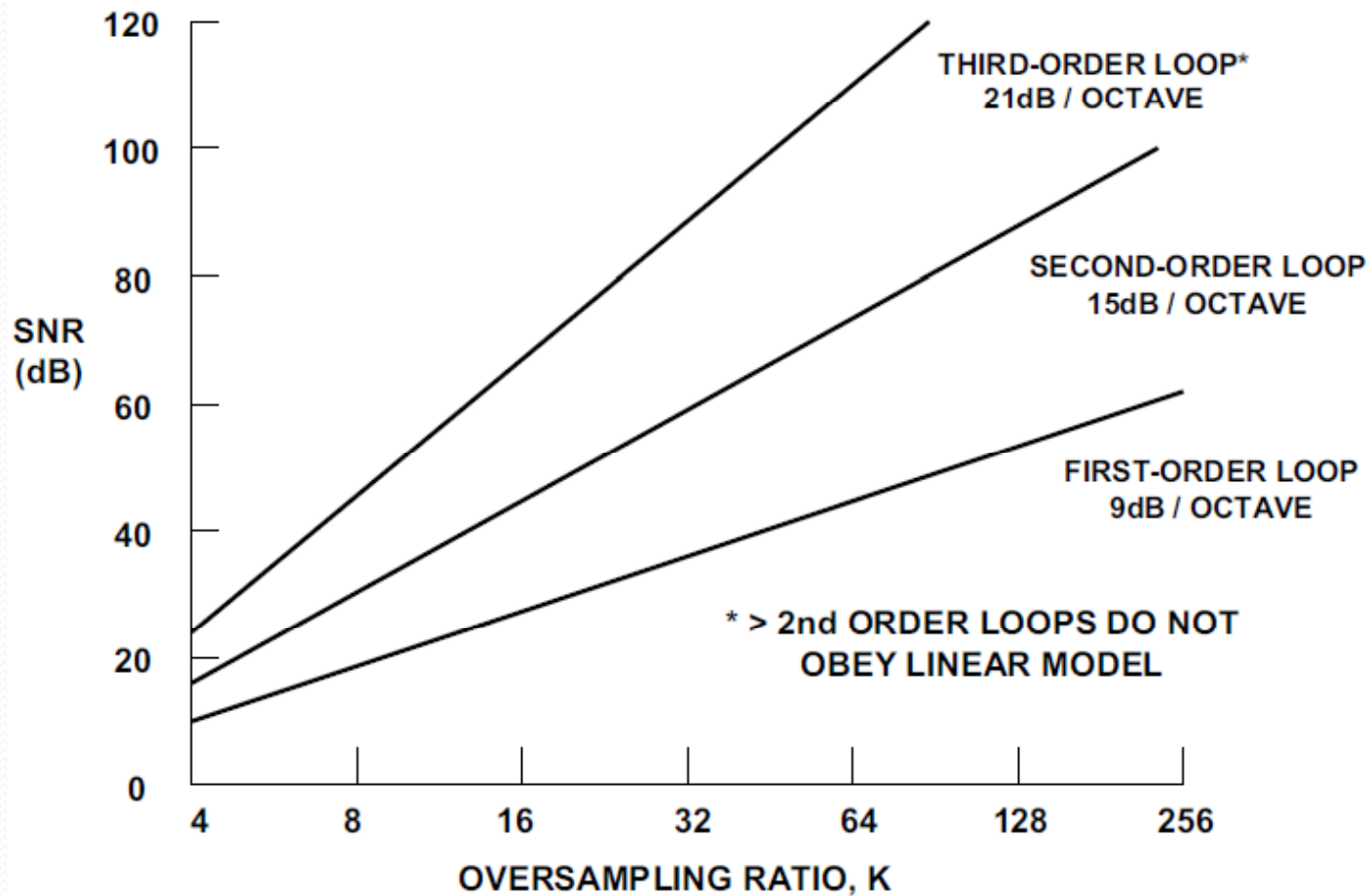


Spectra of Three Sigma-Delta Noise Shapers



Spectrum of 2nd-order modulator

Ref: Schreirer and Temes

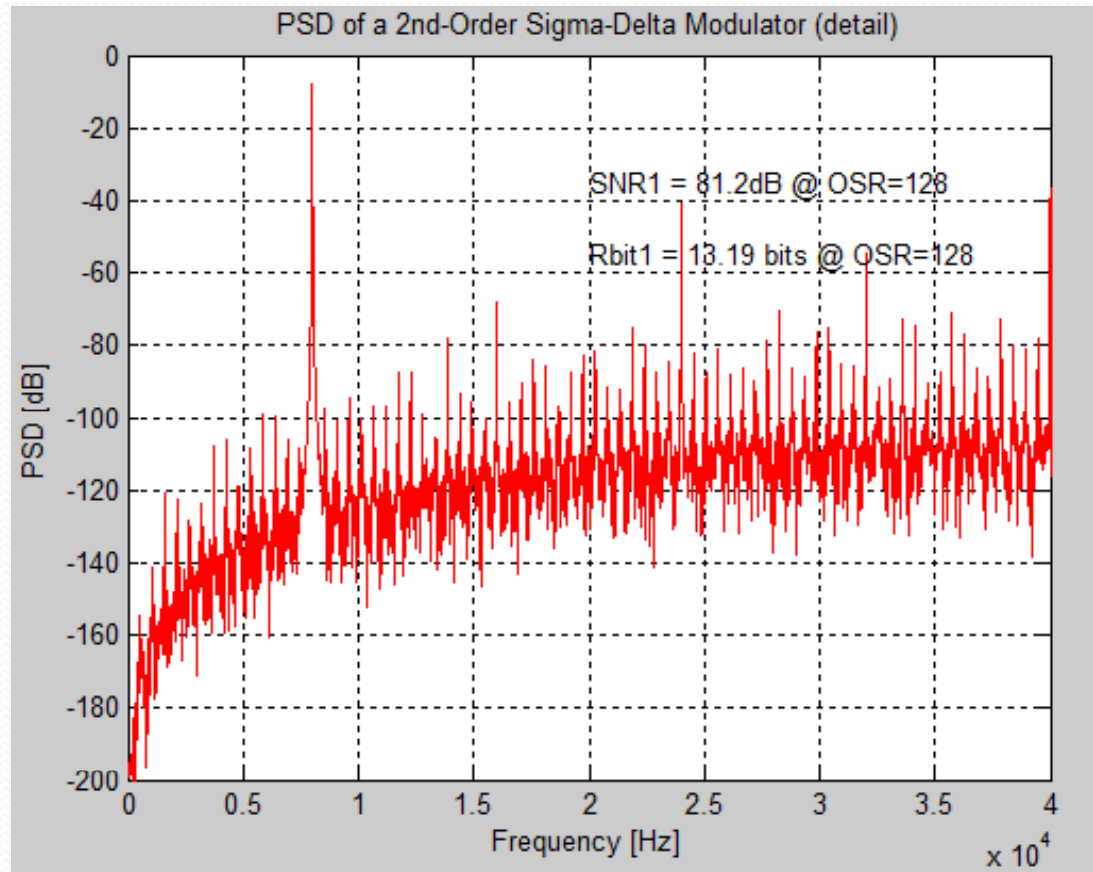


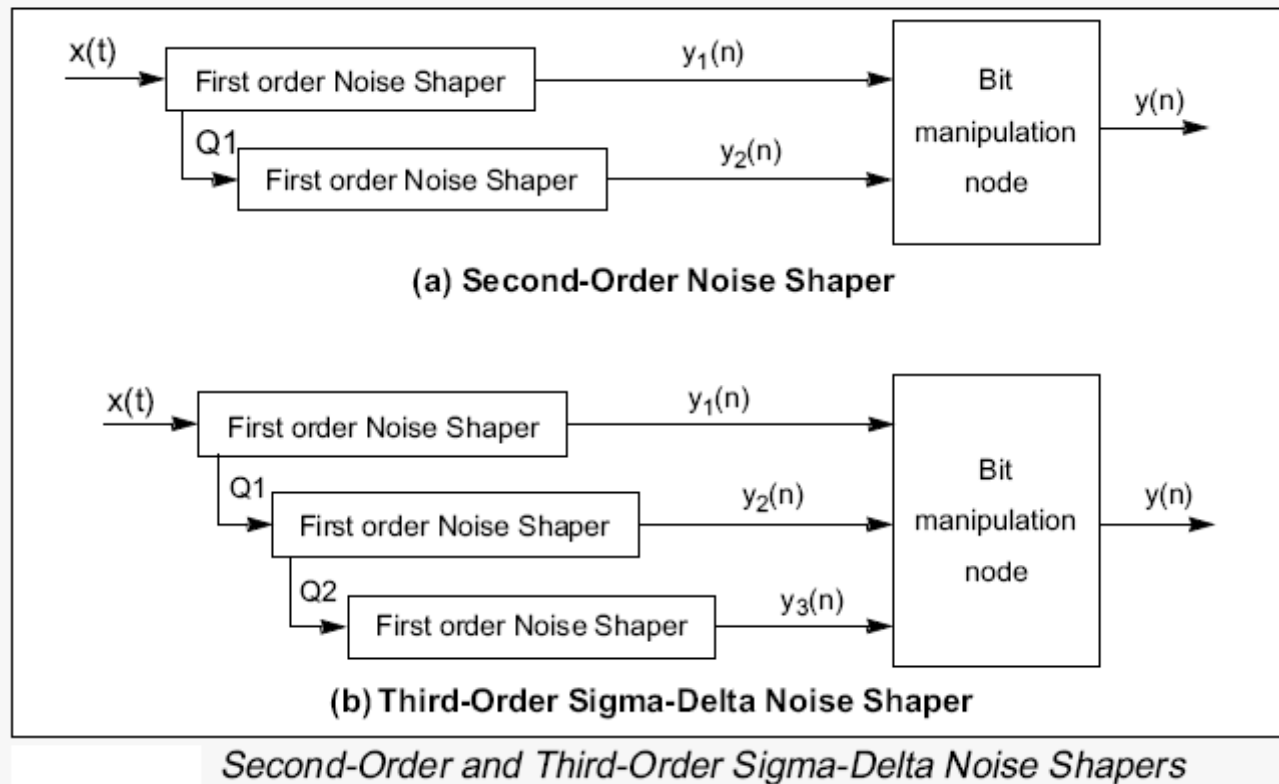
Ref: Kester, M. - Analog Devices, MT - 022 Tutorial

CALCULATED PERFORMANCE OF THE IDEAL $\Delta\Sigma$ MODULATOR (1-BIT/4-BIT QUANTIZER)

<i>n</i>	2			3			4		
OVR	SNR	DR	OL	SNR	DR	OL	SNR	DR	OL
16	37/61	49/73	1	53/76	65/88	1	68/91	80/103	1
32	52/76	64/88	1	74/97	86/109	1	95/118	107/131	1
64	67/91	79/103	1	95/118	107/130	1	122/146	134/158	1
128	82/106	94/118	1	116/139	128/151	1	149/173	161/185	1

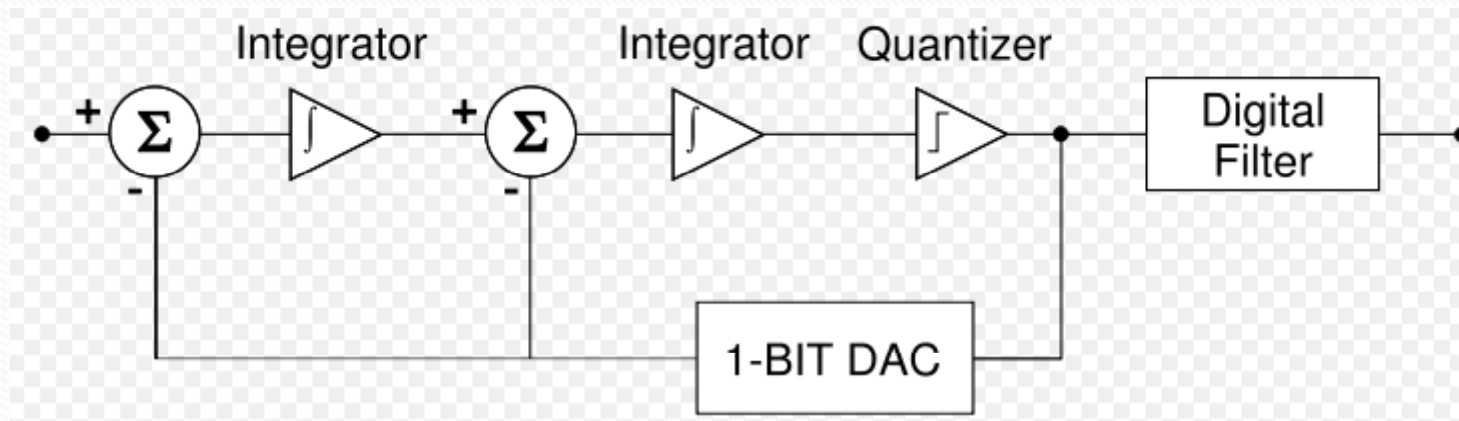
OL (overload level) : defined as the maximum input signal amplitude for which A/D still operates correctly



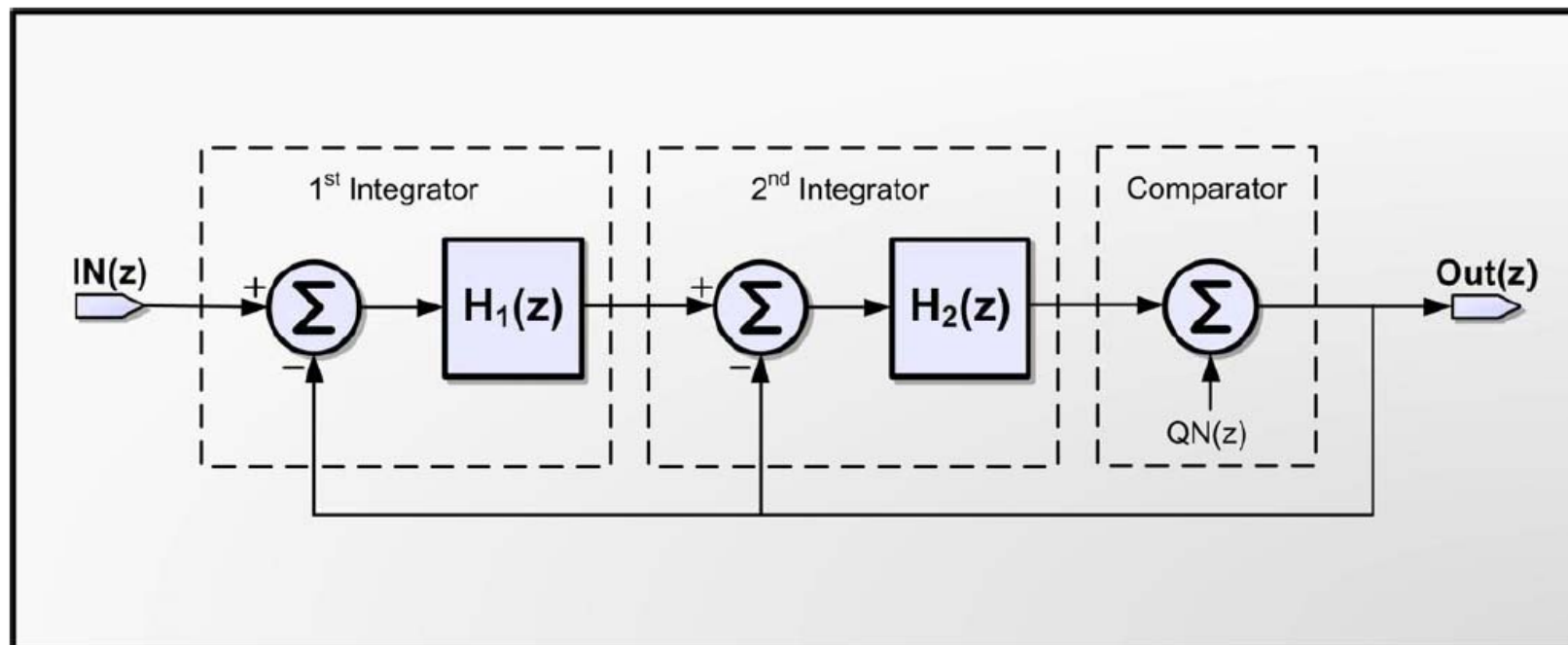


- 2nd-order Σ - Δ modulator

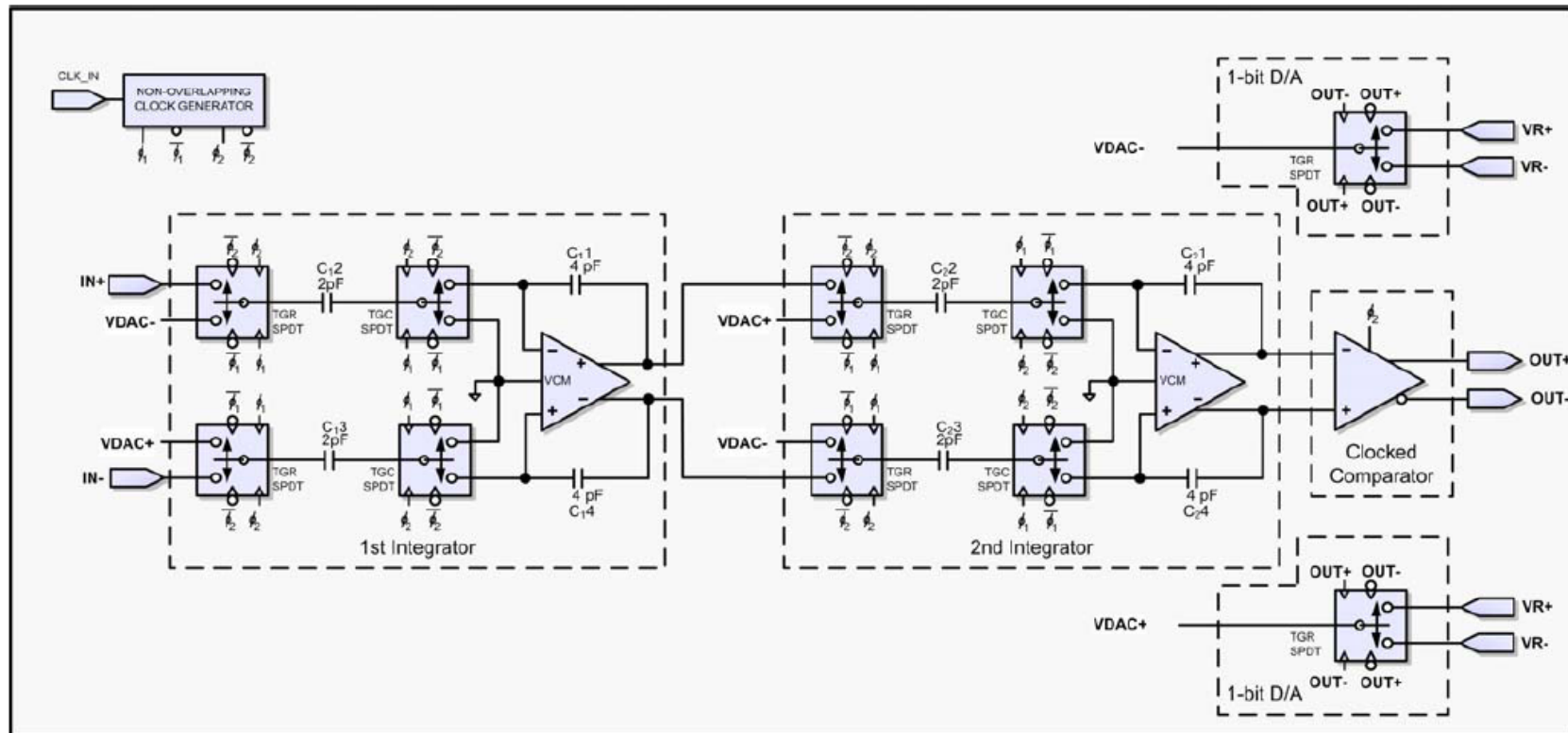
- Continuous-Time (CT) Integrators



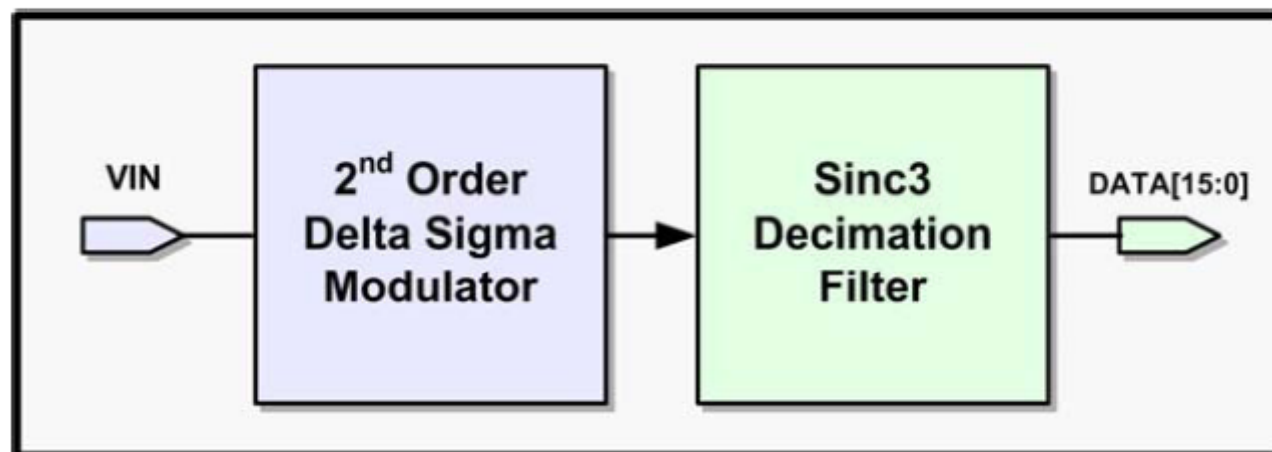
- 2nd-order Σ - Δ modulator
- Discrete-Time (CT) Integrators



Block diagram of a second order $\Sigma\Delta$ modulator



Differential 2nd order $\Sigma\Delta$ modulator



High-level view of delta-sigma modulator

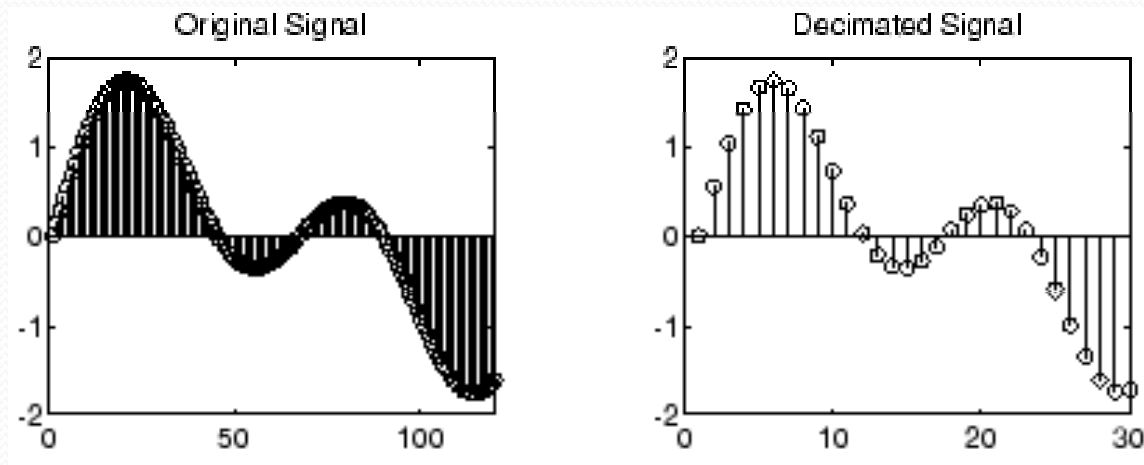
Decimation

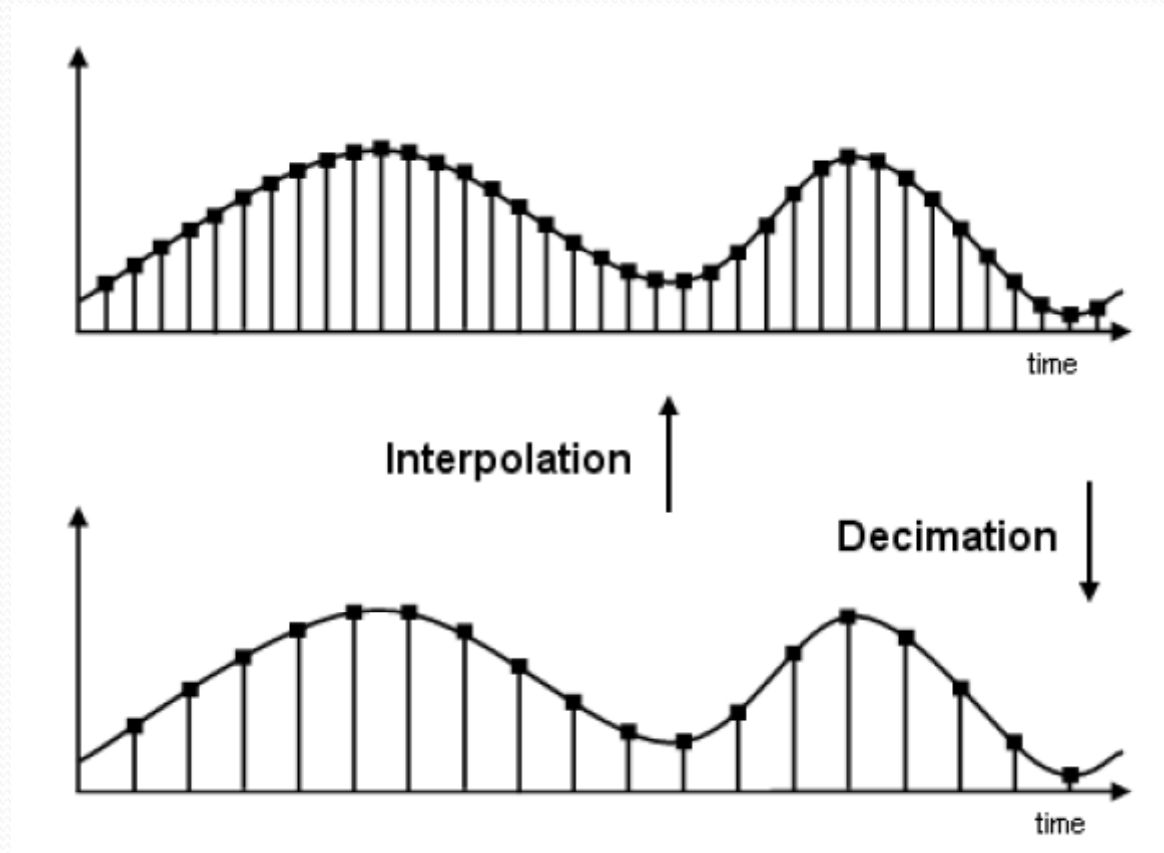
- decimation is used in a $\Sigma\text{-}\Delta$ ADC to
 - i) downsampling (eliminate redundant data at the output); re-sample the signal at Nyquist rate.
 - ii) attenuate noise above baseband
 - Nyquist theorem: sample rate only needs to be 2x the input-signal bandwidth to reliably reconstruct the original signal
 - However, the input signal was grossly oversampled to reduce the quantization noise
- ⇒ there is redundant data that can be eliminated without introducing distortion to the conversion result.

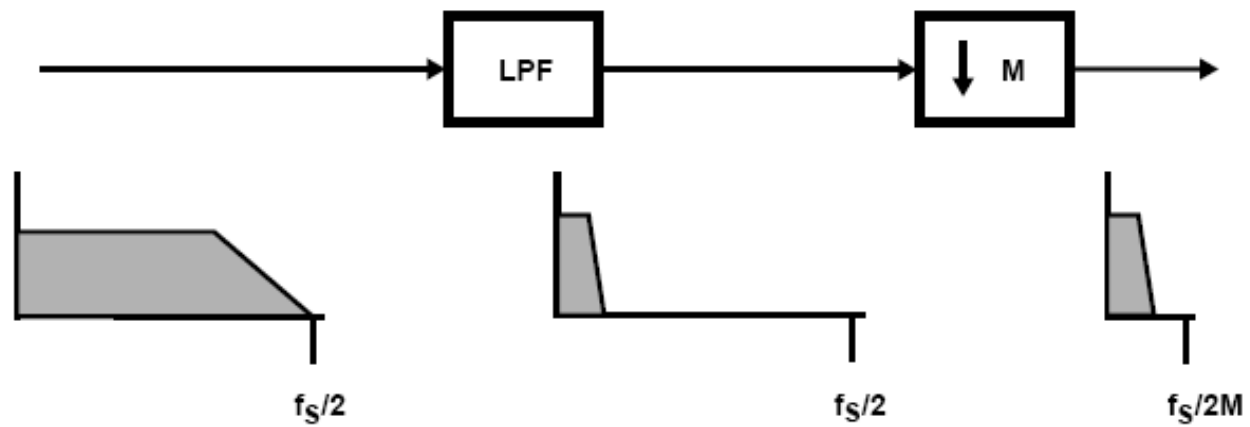
Essentially, decimation is both an averaging filter function and a rate reduction function performed simultaneously.

Decimation reduces the original sampling rate to a lower rate, the opposite of interpolation.

⇒ output sampling rate by ignoring all but every Mth sample

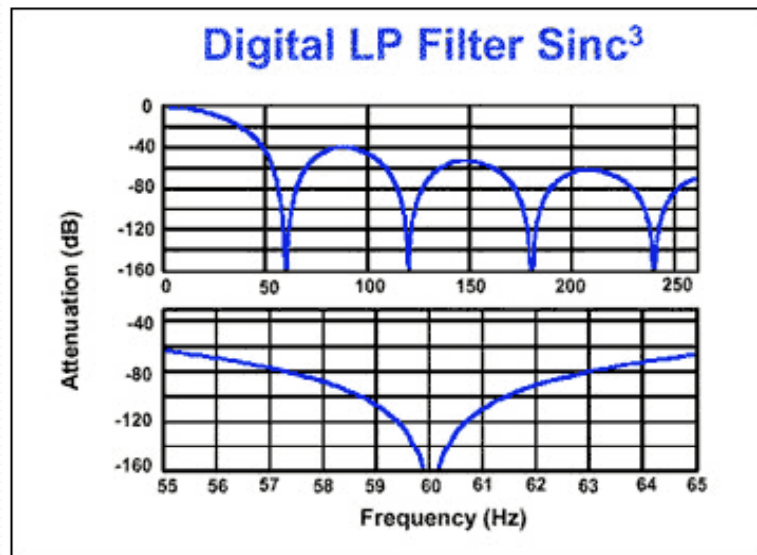




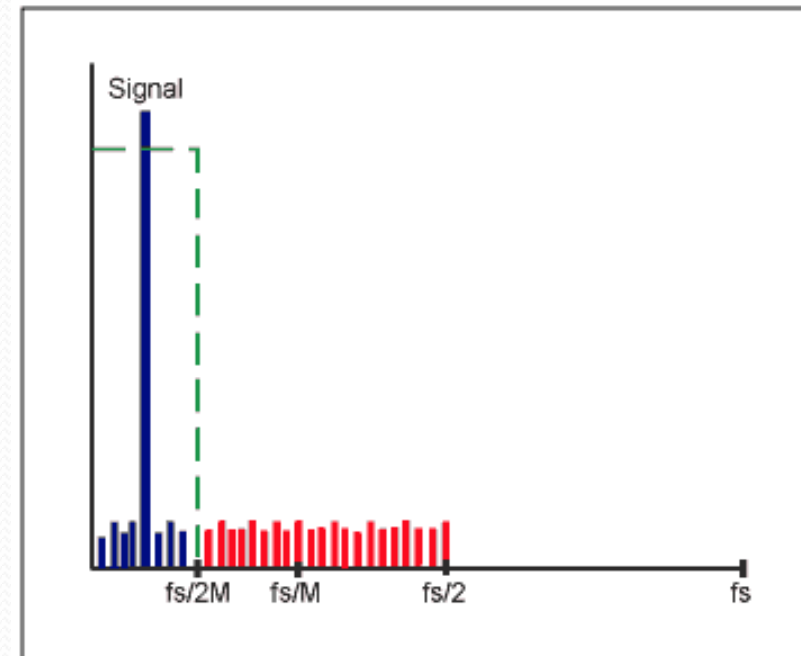


BLOCK DIAGRAM AND SPECTRAL REPRESENTATION OF THE DECIMATION PROCESS

- decimation comb filter

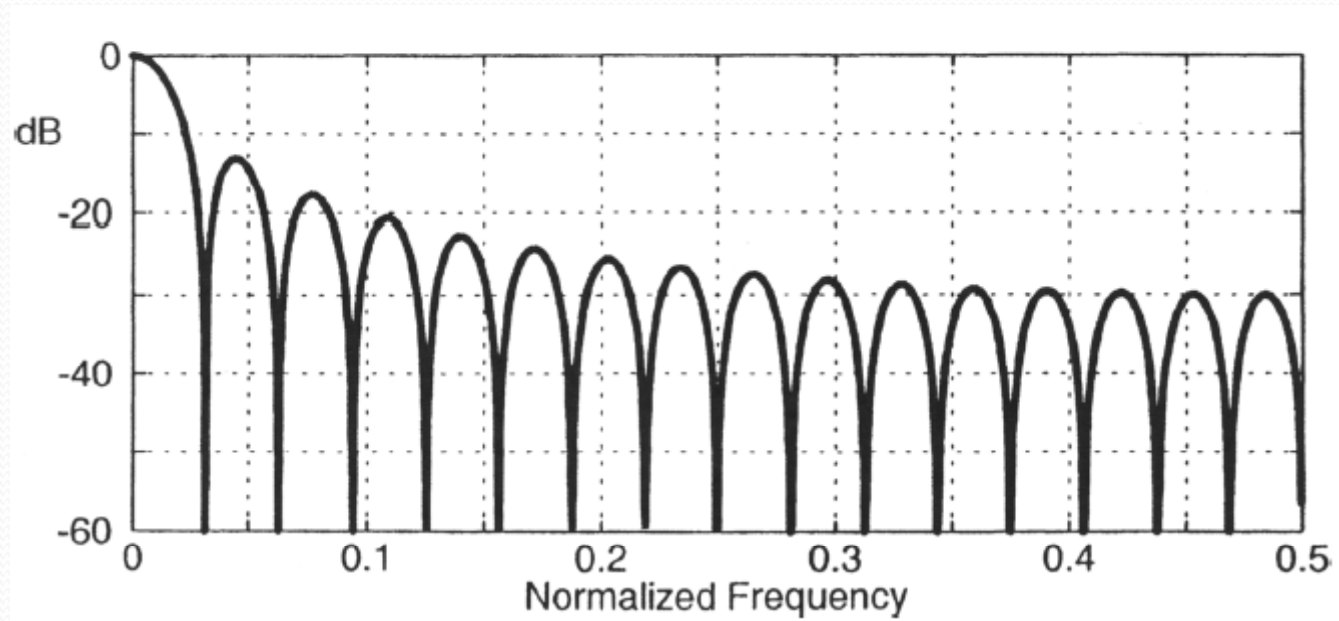


Low-pass function performed by Sinc³ filter.



Decimation does not cause any loss of information.

- programmable decimation ratio
- the digital filter is generally designed so that zeros occur at the mains frequencies of 50 Hz/60 Hz.

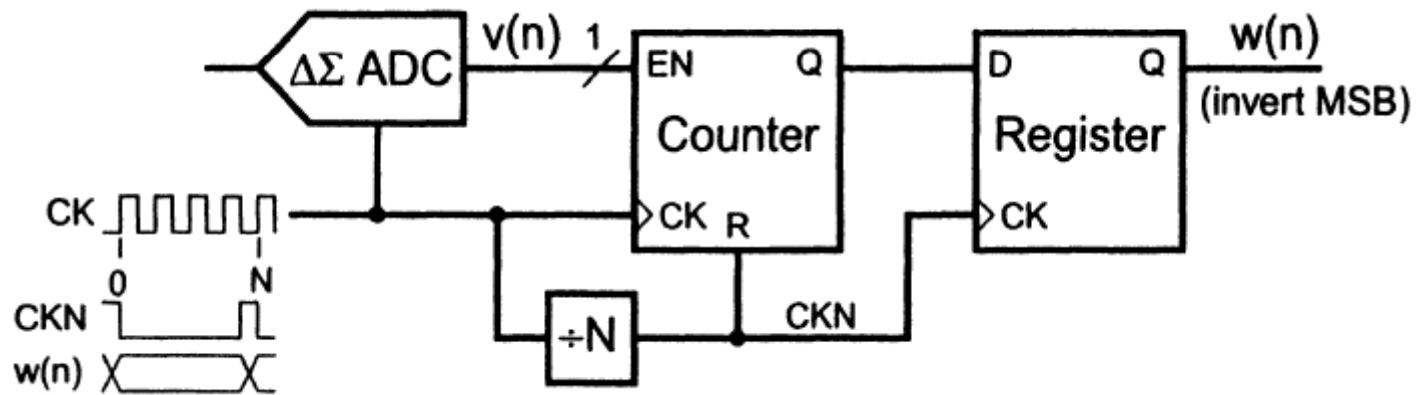


Frequency response of a sinc filter with $N = 32$.

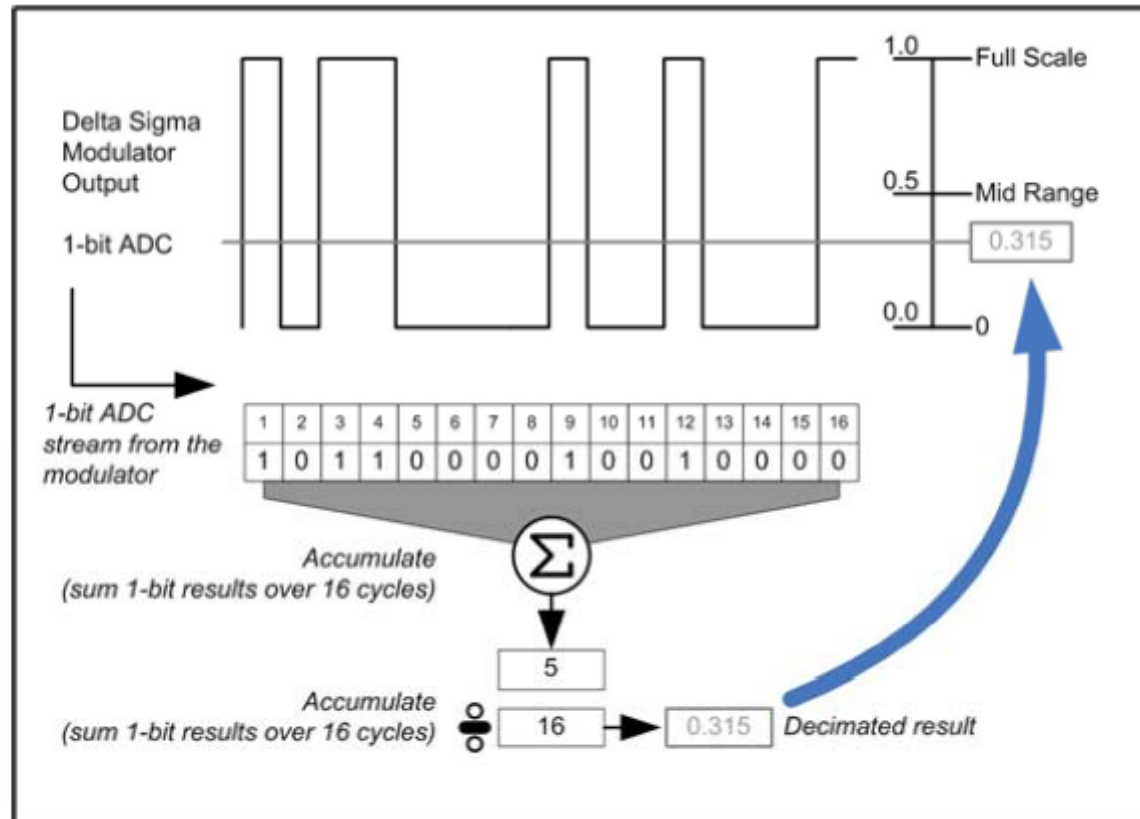
- 
- $\Sigma\Delta$ - ADC can also be viewed as a synchronous voltage-to-frequency converter followed by a counter.

“If the number of "1"s in the output data stream is counted over a sufficient number of samples, the counter output will represent the digital value of the input”

- This method of averaging only works for dc or very slowly changing input signals.
- 2^N clock cycles must be counted in order to achieve N-bit effective resolution, thereby severely limiting the effective sampling rate.



Sinc filter realized with a counter.



$\Sigma\Delta$ A/D stream accumulated and decimated to represent an n-bit value of the input

Sample Rate Reduction == >> More Resolution

1
0
1
0
0
1
0
1
1
1
0
0
0
1
0
1

16 1-bit inputs

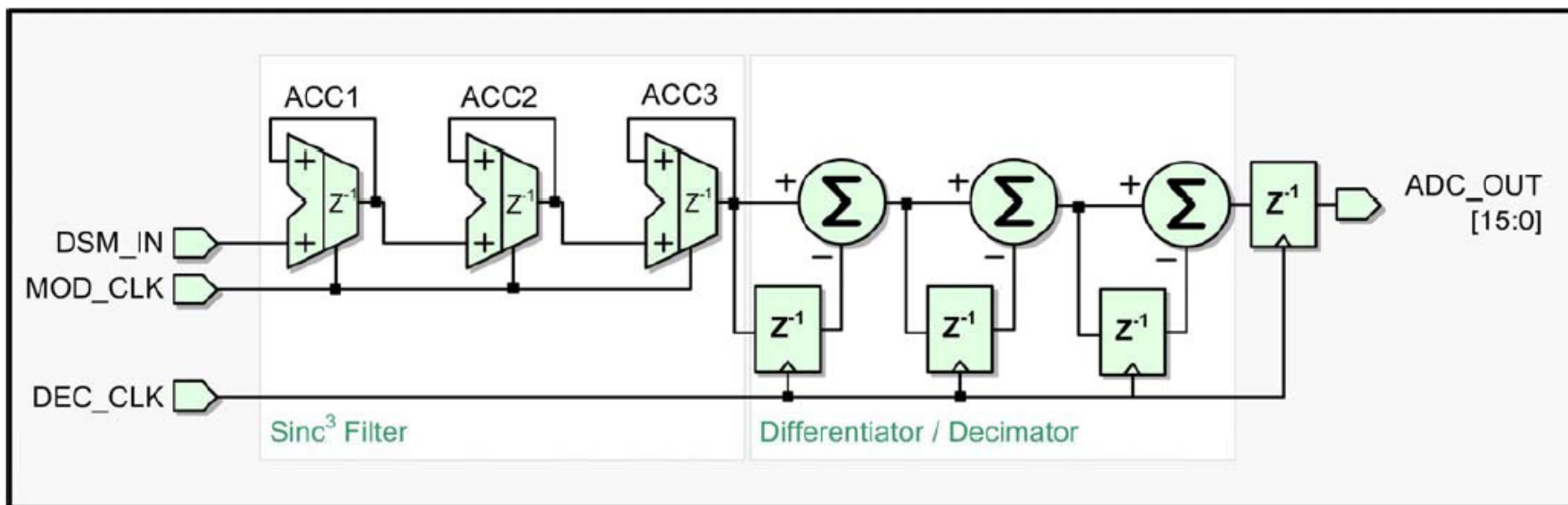
16 : 1 decimation
----->>
average

$$\frac{7}{16} = 0.4375 = 0111$$

1 multi-bit output

speed is exchanged for resolution

Simple Example of Decimation Process



Sinc3 digital decimation filter

```

// decimation.v
// Decimation filter with Sinc3 filter followed by
// Differentiator and Decimation
//
module decimation(
    DSM i,
    DSM clk i,
    WordClk_i;
    Reset i,
    DWord ro);

input        DSM clk i; // DSM-rate clock (bit
clock)
input        WordClk i; // Output Word-rate clock
input        Reset i; // Active-hi reset
input        DSM i; // Input from Modulator
output [15:0] DWord ro; // 16-bit Output Word

reg [23:0] Acc1 r;
reg [23:0] Acc2 r;
reg [23:0] Acc3_r;
reg [23:0] Acc3_q1 r;
reg [23:0] Acc3_q2 r;
reg [23:0] Diff1 r;
reg [23:0] Diff2 r;
reg [23:0] Diff3_r;
reg [23:0] Diff1_q1 r;
reg [23:0] Diff2_q2 r;
reg [15:0] DWord_ro;
//
// Internal Wires
//
// 2's-comp version of DWord
wire [23:0] DWord_2comp_w;
// Sinc Filter
assign DWord_2comp_w = (DSM i==1'b0) ? 24'd0 : 24'd1;
// Accumulator (Integrator)

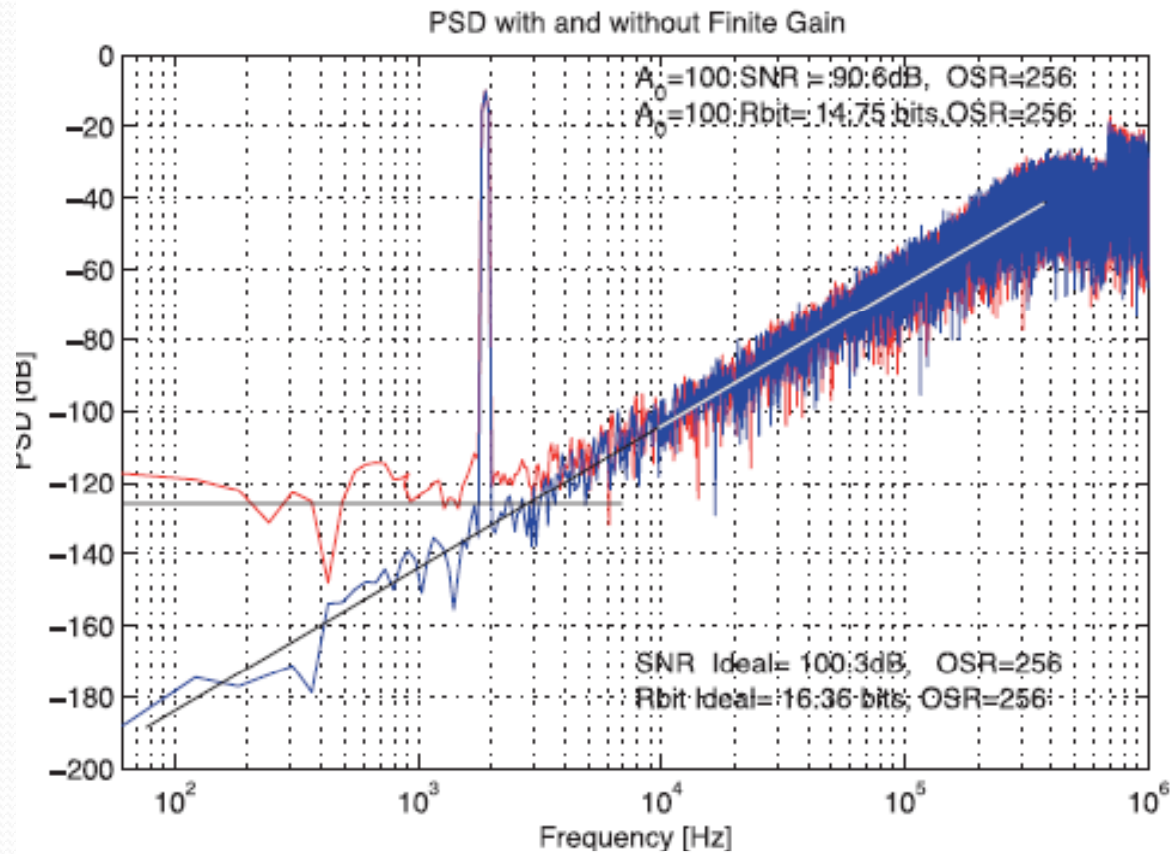
always @(negedge DSM clk i or posedge Reset i)
if (Reset i) begin
    /* initialize acc registers on Reset_i */
    Acc1 r <= 24'd0;
    Acc2 r <= 24'd0;
    Acc3_r <= 24'd0;
end
else begin
    /* perform accumulation process */
    Acc1 r <= Acc1 r + DWord_2comp_w;
    Acc2_r <= Acc2_r + Acc1_r;
    Acc3_r <= Acc3_r + Acc2_r;
end

//
// Decimation Filter
//
/* Decimation stage (MClkOut/ WordClk) */
always a(negedge DSM clk i or posedge Reset i)
if (Reset i)
    word count <= 8'd0;
else
    word count <= word count + 8'd1;

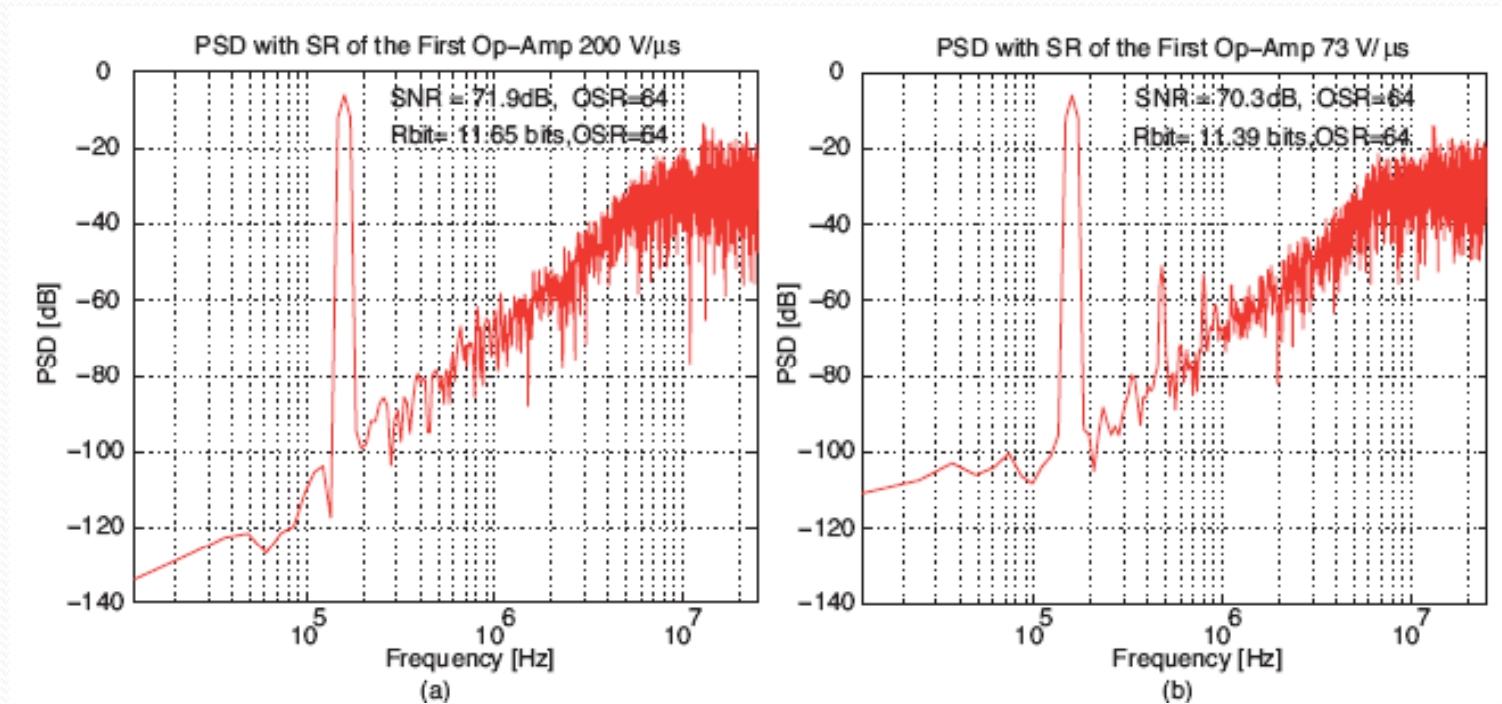
//
// Differentiator and Decimation
//
always @ (posedge WordClk i or posedge Reset i)
if(Reset i) begin
    Acc3_r_d2 <= 24'd0;
    Diff1_q1 r <= 24'd0;
    Diff2_q1 r <= 24'd0;
    Diff1 r <= 24'd0;
    Diff2 r <= 24'd0;
    Diff3_r <= 24'd0;
end
else begin
    Diff1 r <= Acc3_r - Acc3_q2 r;
    Diff2 r <= Diff1 r - Diff1_q1 r;
    Diff3_r <= Diff2_r - Diff2_q1_r;
    Acc3_q2 r <= Acc3_r;
    Diff1_q1 r <= Diff1 r;
    Diff2_q1_r <= Diff2_r;

    DWord ro <= Diff3_r[23:8];
end
endmodule

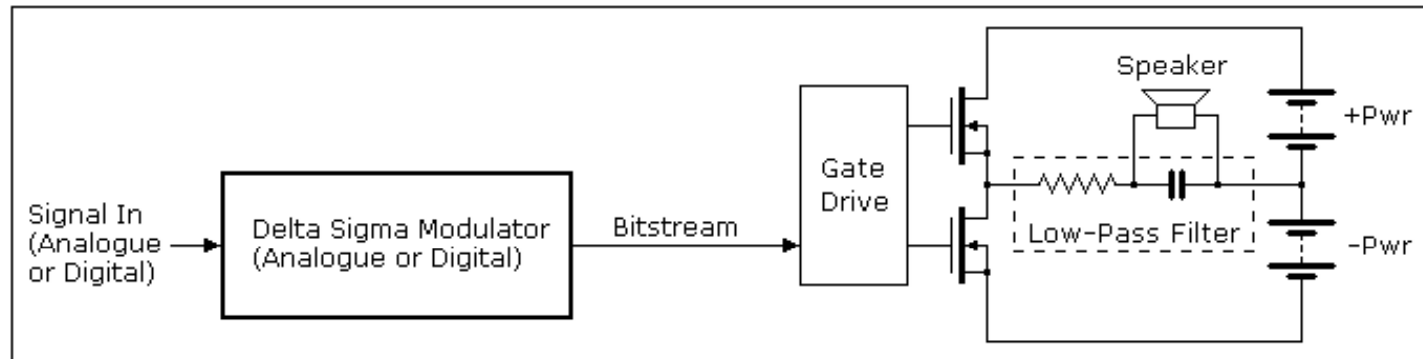
```



Output spectra with ideal and finite gain ($A_0 = 100$) op-amp.



Class-D Power Amplifiers:



Power Amplifiers using a Digital Output Stage

- Both output transistors operate in push-pull mode
- bitstream is amplified to the high level of the power supply and is available at the output with low impedance